

From ice crystal single-scattering to climate prediction: the way forward?

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EGU, Vienna, April 2011



Acknowledgements !

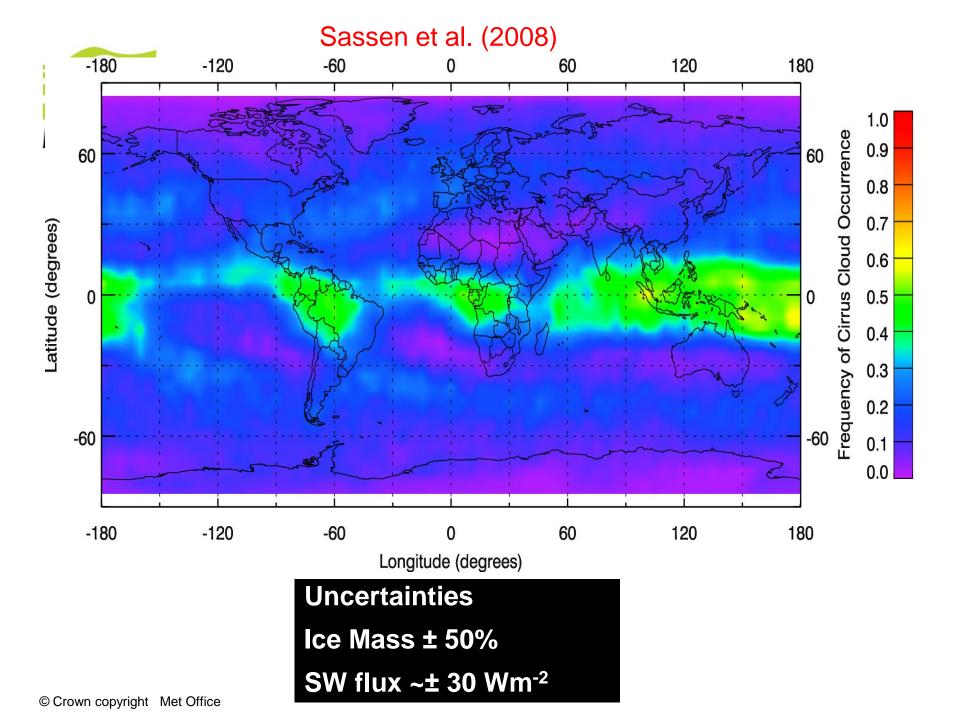
Professor Ping Yang (Texas A & M, USA), Dr Joseph Ulanowski (University of Hertfordshire, UK), Dr Stephen Langdon (University of Reading, UK), Professor Simon Chandler-Wilde (University of Reading, UK) Dr David Hewitt (University of Reading, UK) Dr Paul Connolly (University of Manchester, UK), and Dr James Manners (Met Office, UK)



- Uncertainties in the cirrus radiative effect & contribution to the hydrological cycle
- New era of remote sensing & the need for a consistent set of ice crystal single-scattering properties across EM spectrum
- The natural variability of cirrus & proposed models to represent ensembles of ice crystals
- Define single-scattering properties & scattering solutions
- Coupling the single-scattering properties to bulk cloud properties: No need for "effective dimension"
- Example of a GCM parameterization
- Issues

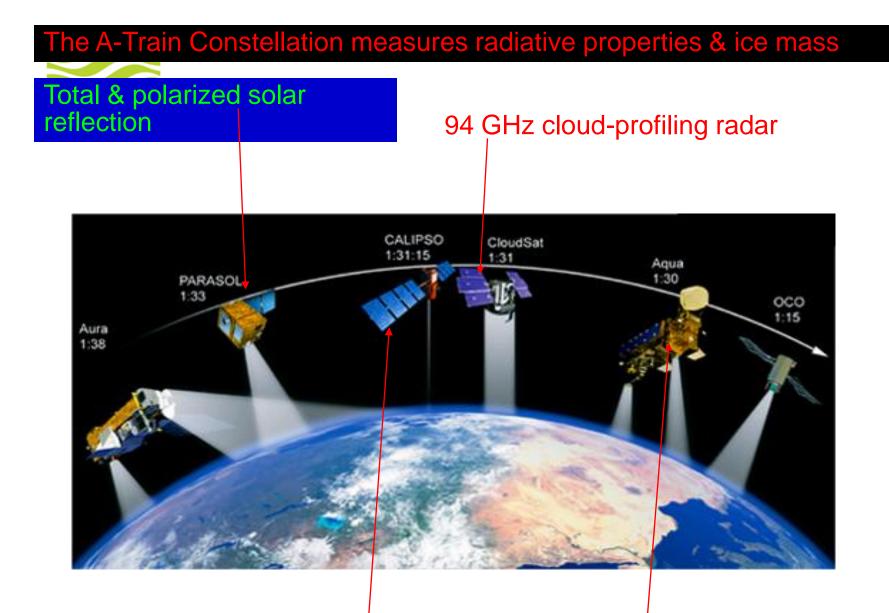


Current global cirrus uncertainties





The remote sensing problem & the need for a consistent set of single-scattering properties

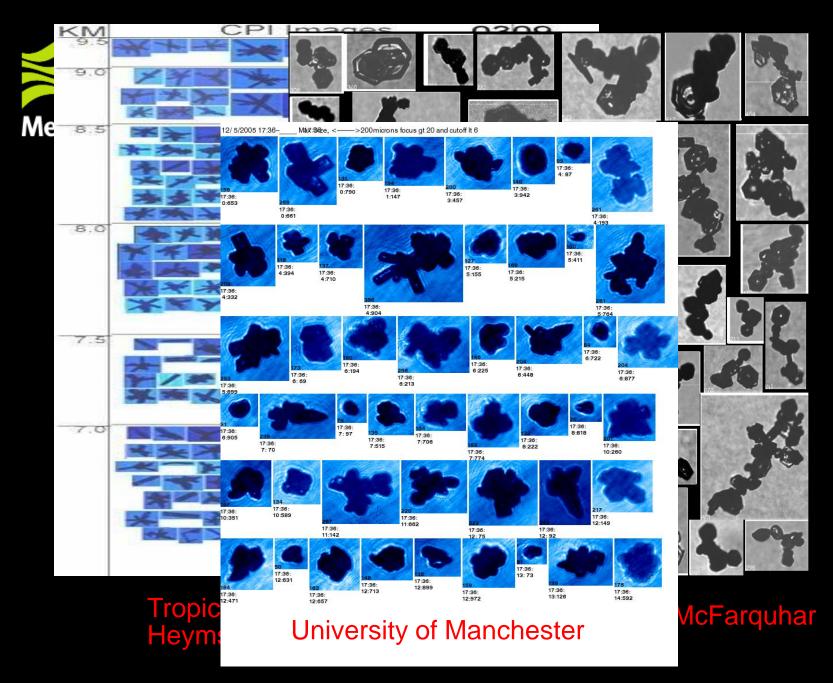


Lidar

Solar reflection & Infrared transmission



The natural variability of ice crystals & proposed models

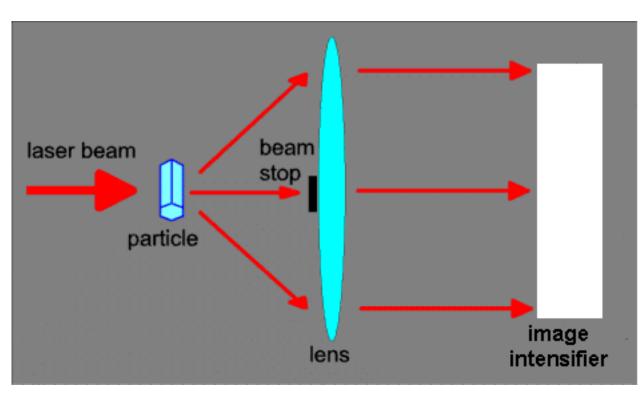




Met Office

SID-3 2D scattering pattern formation

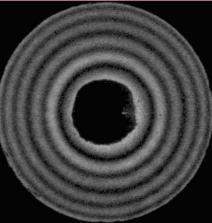
SID-3 circumvents optical resolution limits of imaging cloud probes by acquiring 2D scattering patterns



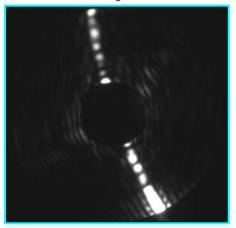
Ice crystal size down to $\sim 1 \ \mu m$

Ack: Z. Ulanowski

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2D scattering pattern: droplet



2D scattering pattern: ice column

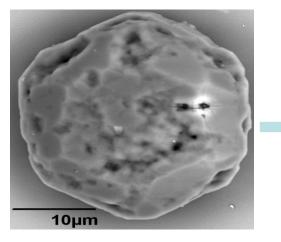


 SID-3 data from mid-latitude cirrus and mixed phase clouds shows strong roughness in the majority of ice particles.

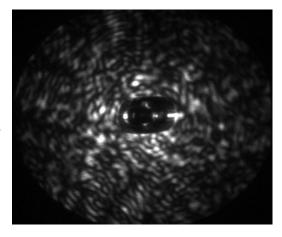
2D scattering SID-3 Cirrus ice

Z. Ulanowski et

Rough ice model



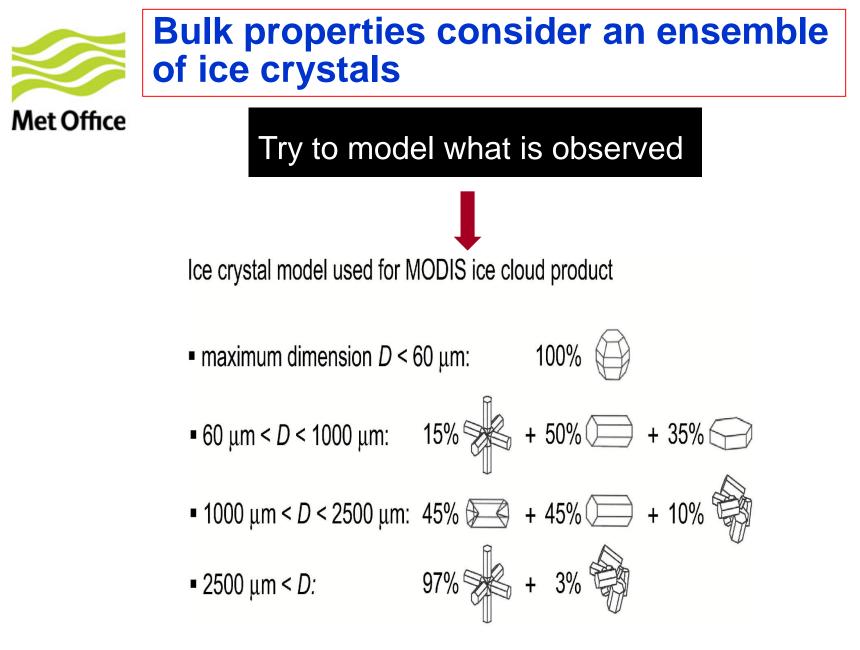
Rough ice model



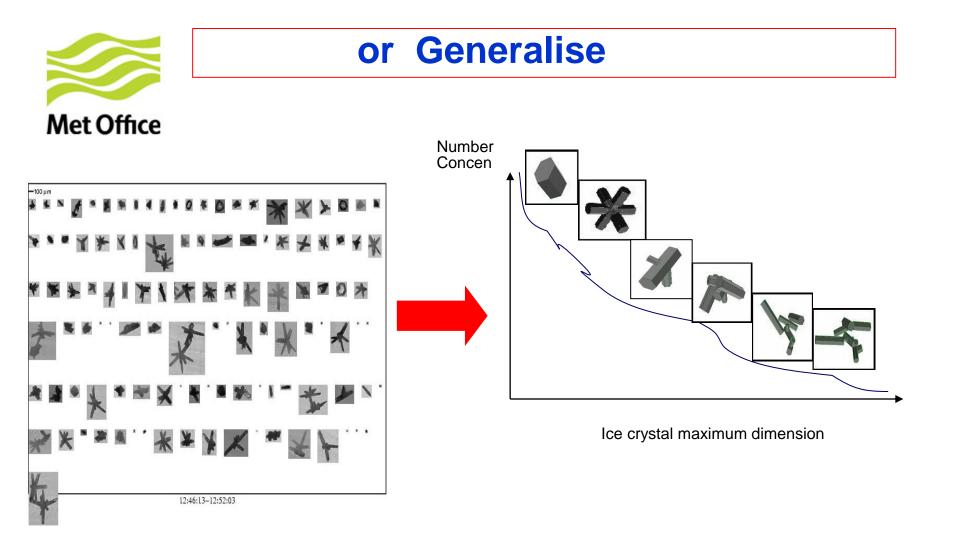
Z. Ulanowski et al. (2010) *12th ELS Conf.,* Helsinki.

Cases studied so far by Ulanowski suggest that small cirrus ice crystals are predominantly rough

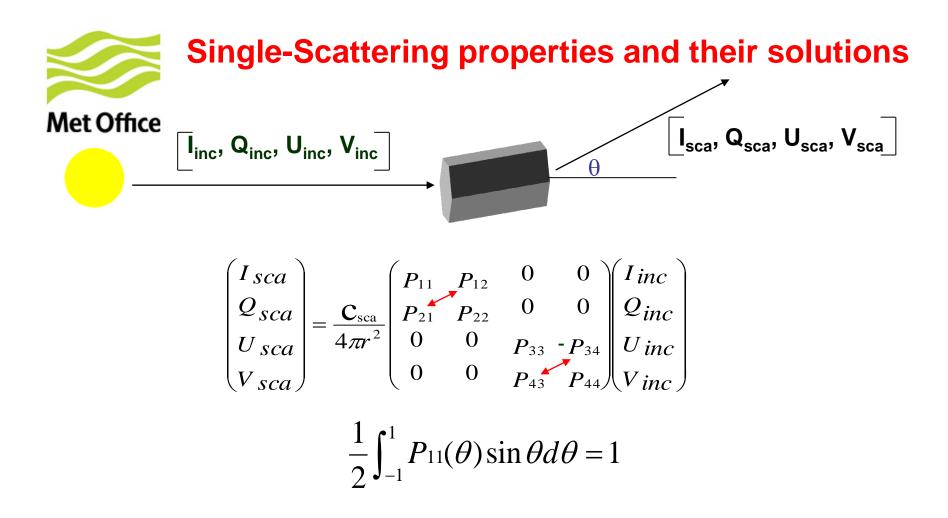
Ack: Z. Ulanowski



Ack: P Yang, B Baum and G Hong



Baran & Labonnote (2007)



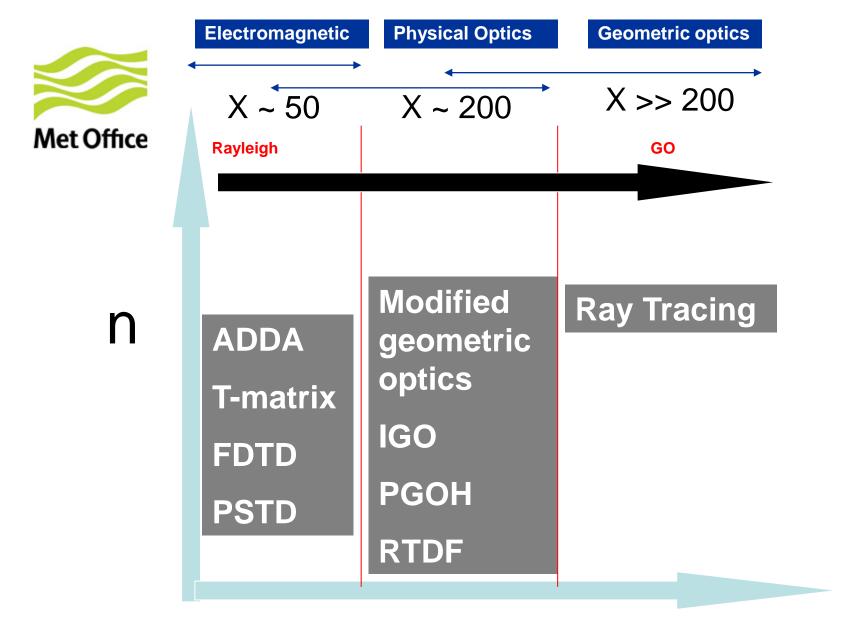
 P_{12}/P_{11} describes the degree of linear polarization (DLP) ($P_{11}-P_{22}$)/ ($P_{11}+P_{22}$) describes the linear depolarization ratio

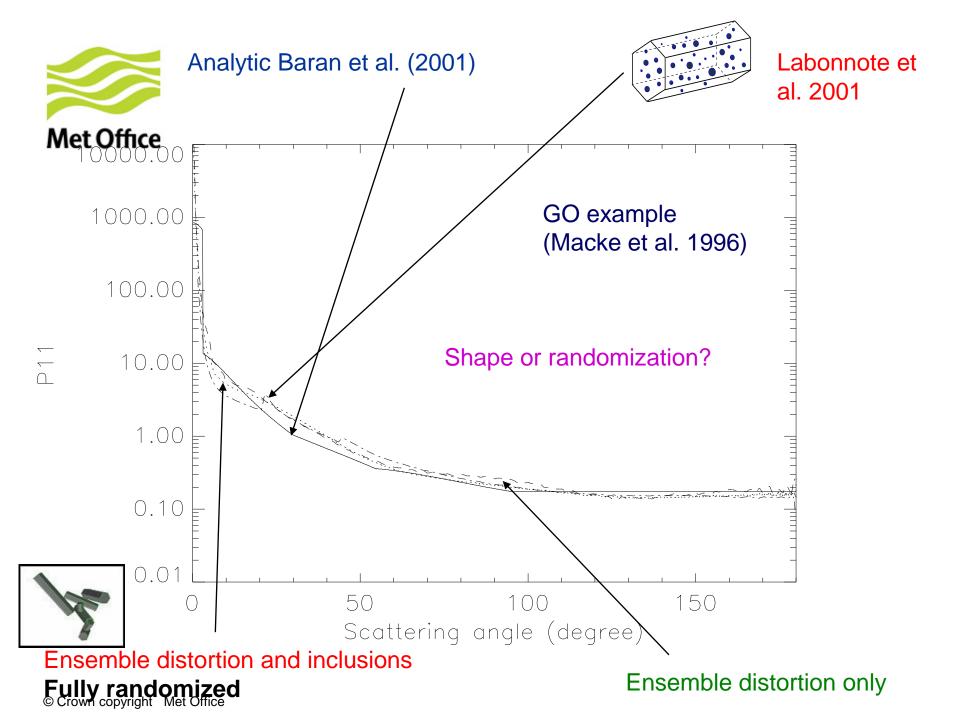


Total Optical Properties

$$g = \langle \cos\theta \rangle = \int_{-1}^{1} d(\cos\theta) P_{11}(\cos\theta) \cos\theta$$

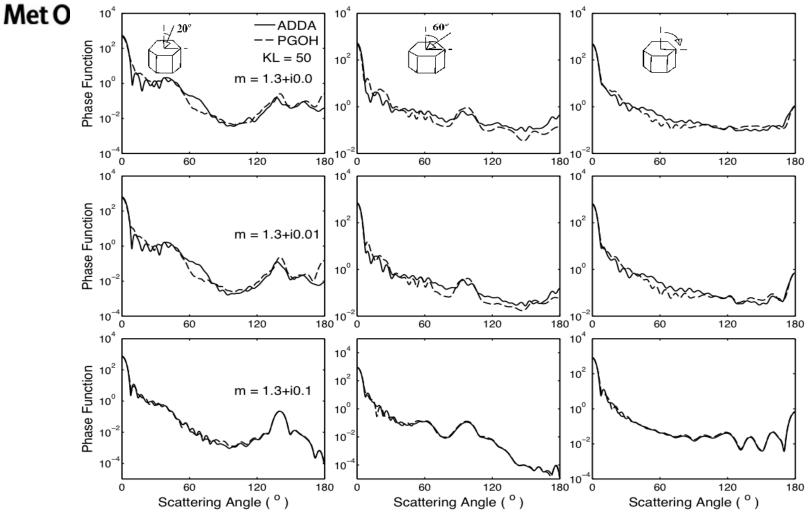
$$K_{ext} = \int (Q_s(\vec{q}) + Q_a(\vec{q})) < S(\vec{q}) > n(\vec{q})d\vec{q}$$
$$\omega_0 = K_{sca} / (K_{sca +} K_{abs})$$



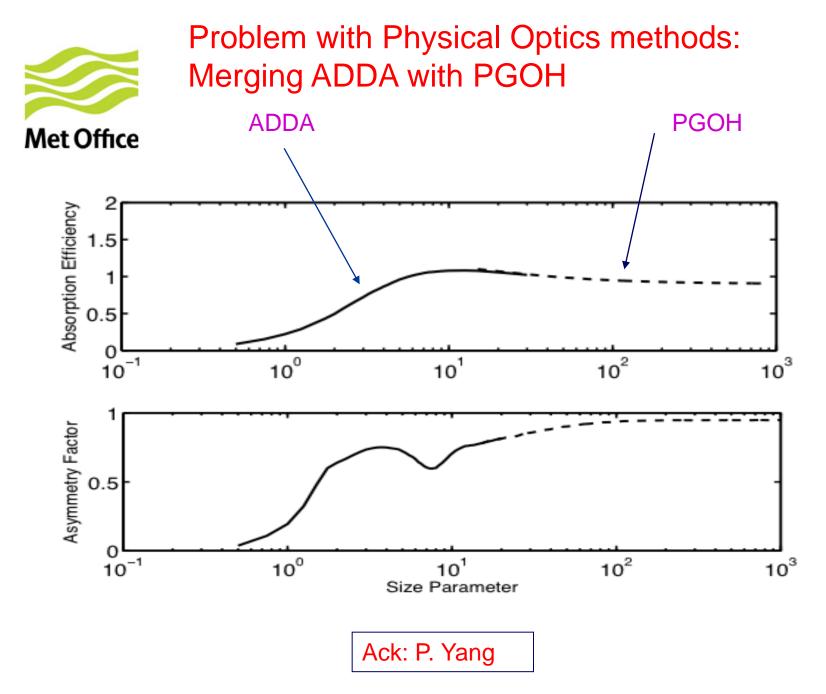




Physical Optics: PGOH method



"Scattering and absorption of light by ice particles: solution by a new physical-geometric optics hybrid method" by L. Bi, P. Yang, G. W. Kattawar, Y. Hu, and B. A. Baum, JQSRT (in press) © Crown copyright Met Office





Scattering solutions for all X space ?

Interesting new area: can we learn from scalar wave scattering?

A solution for the high frequency limit?

Currently: Based on scalar wave scattering from 2D and possible extension to 3D polygons

 $\nabla^2 \mathbf{u} + \mathbf{k}^2 \mathbf{u} = \mathbf{0}$

As $K = 2\pi/\lambda \rightarrow \infty$

Find solution space so that computational cost ~ log(K) as $K \rightarrow \infty$

As $K \rightarrow \infty$ d.o.f small whilst accuracy is maintained for any K

See for rigorous proof Langdon et al. 2010

Example – Scalar wave scattering by 2D Hexagon



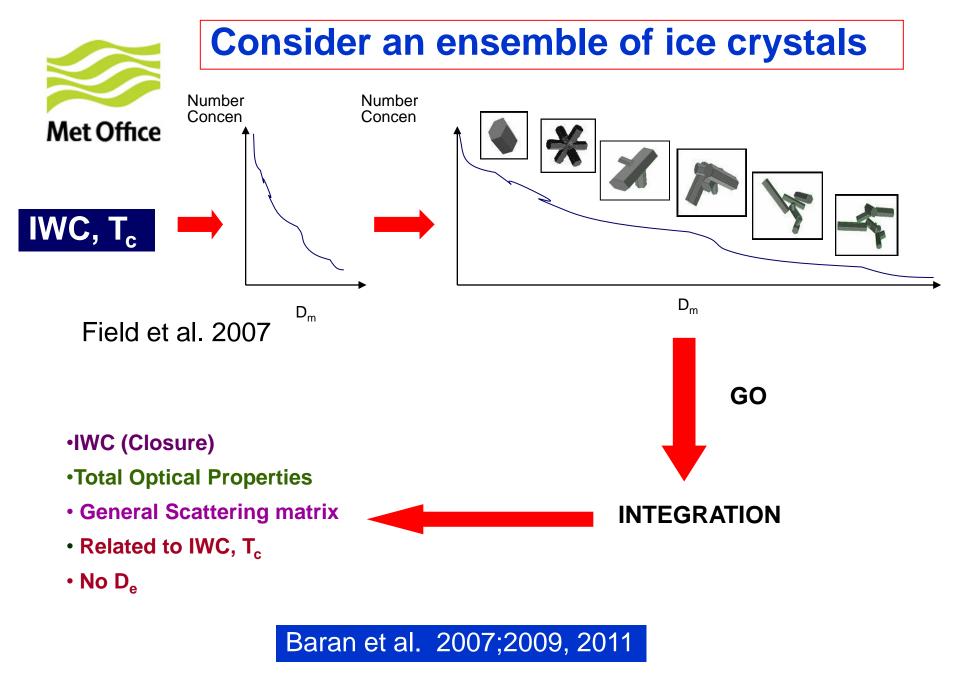
Re[u], λ =0.1, λ_{0} =0.076336, k₀/k=1.31+0.01i, max(λ /h)=10, uniform mesh 2.5 2 1.5 1 0.5 X=60 0 -0.5 -1 -1 -1.5 -2 -2 -2.5 ` -2.5 -3 -2 -1.5 -0.5 0 0.5 1.5 2 2.5 -1 1

Ack: D. Hewitt, S. Langdon & S Chandler-Wilde



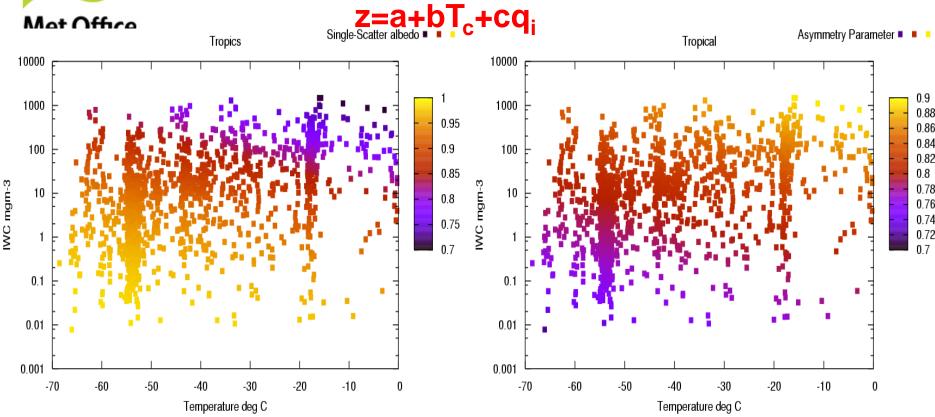


Coupling the single-scattering properties to bulk cloud properties: No need for "effective dimension"





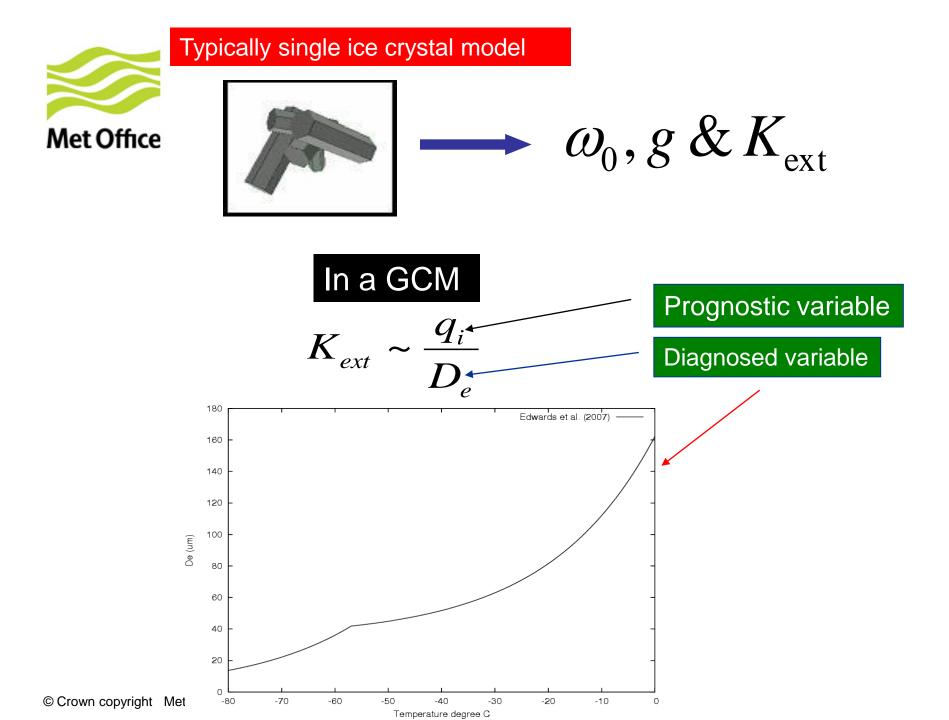
ω_0 and g in $\,IWC\text{-}T_C$ space



The IWC and cloud temperature were obtained from a number of field campaigns including CAESAR (UK), CEPEX (Tropics), FRAMZY (Europe) A total number of 1530 Tropical and 1210 Mid-latitude PSDs were generated



Example of a GCM parameterization





Problems with traditional approach

Cirrus composed of randomized habit mixtures

 $\rm D_{e}$ & IWC are in-situ derived independent of GCM cloud scheme: Issues with ice crystal shattering for $\rm D_{e}$

D_e diagnosed only & depends on definition

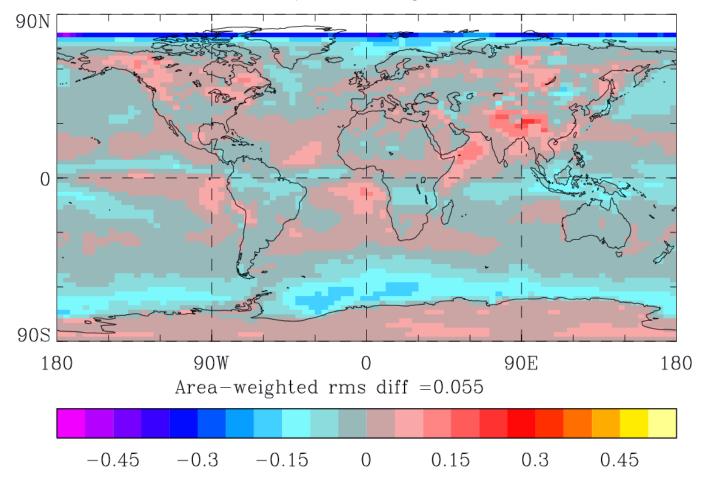
 D_e (cloud scheme) $\neq D_e$ (Radiation)

Physical inconsistency between cloud and radiation GCM schemes

 $q_i \& T_c$ are variables in GCM cloud schemes so link cirrus optical properties <u>directly</u> to these variables through the <u>same</u> PSD as used in the cloud scheme: No requirement for D_e

Observations: Ensemble – CERES (TOA Short-wave Albedo) averaged over Dec, Jan, Feb: No tuning:

Ten year Average



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Modelling & remote sensing issues

•There is however convergence between e-m and physical optics approaches at X~20 – but still not a fully solved problem

•Theory: Can we predict the observed scattered intensity using one single scattering theory – a different approach to the conventional methods may be needed – high frequency scattering seems promising...< 10 yrs ?

•Can we develop a model ensemble that is consistent across the electromagnetic spectrum – one theory – one model ?

•An ensemble model that is related to the atmospheric state

•Randomized scattering properties from pristine (P_{11} features) to full (P_{11} featureless): shape or randomization?

 It is important to parameterize GCM prognostic variables directly in terms of optical properties

• The concept of D_e is not required either in models or remote sensing as this property is merely diagnosed in models. For GCMs it is more important to retrieve IWC of thin cirrus.

 The above implies consistent PSDs between GCM cloud and radiation schemes