



## Characterization and statistics of rogue waves in random sea states

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Rogue waves are frequently modeled using the nonlinear Schrodinger (NLS) equation and its higher order extensions due to Dysthe and Trulsen (HONLS). In [2] Sura shows that the kurtosis ( $\kappa$ ) and skewness ( $s$ ) of deep ocean field data obey the quadratic inequality  $\kappa \geq 3/2s^2 + \kappa_0$  which is not satisfied by Gaussian or double exponential noise. Here we show that sea states modeled using the HONLS equation and random phase JONSWAP initial data exhibit a significant deviation from Gaussianity and satisfy Sura's relation between the skewness and kurtosis, thus providing a realistic picture of sea surface height variability.

In [1] we introduced the "splitting distance",  $\delta$ , between two consecutive simple points in the Floquet spectrum of the associated Zakharov-Shabat problem of the NLS equation, as a spectral measure of proximity to instabilities in the wavefield and correlated the development of localized rogue waves in random sea states characterized by JONSWAP spectra with  $\delta$ . Here we take a closer look at the nonlinear spectral decomposition and characterization of JONSWAP solutions of the NLS equation. For the HONLS equation,  $\delta$  evolves in time. We determine both the initial splitting distance  $\delta_0$  and the time averaged splitting distance  $\delta_{avg}$ . From a practical standpoint the use of  $\delta_{avg}$  doesn't allow for a useful predictive tool as one must follow the evolution of  $\delta(t)$ . However, we show  $\delta(t)$  remains close to  $\delta_0$  and the maximum strength, skewness, and kurtosis of the sea states are well predicted by the initial  $\delta_0$ .

## References

- [1] A.L. Islas and C.M. Schober, Predicting rogue waves in random oceanic sea states, *Phys. Fluids* **17** (2005).
- [2] P. Sura and S.T. Gille, Stochastic dynamics of sea surface height variability, *J. Phys. Oceanogr.* **40** (2010).