

The impact of irrigation on Budyko framework hypothesis in Neyshaboor watershed, Iran Ameneh Mianabadi^{1,2,3}, Amin Alizadeh¹, S. Hossein Sanaeinejad¹, Bijan Ghahraman¹, Kamran Davary¹, A.M.J. Coenders-Gerrits³

Introduction

In hydrology, Budyko curves are used as a first estimation of actual evapotranspiration (ET) as a function of the aridity index (\emptyset):

$$\frac{ET}{P} = \frac{\emptyset}{1 + f(\emptyset)} = F(\emptyset)$$

However, Budyko curves do not work to estimate ET in areas with lots of irrigation (Figure 1a).

To investigate the impact of irrigation, we divided the watershed into two parts including mountainous area (without irrigation) and plain area (with irrigation) (Figure 1b & 1c, respectively). As shown in the figures, in the plain area with irrigation, the amount of evaporation ratio exceeds one.

Here we aim to find a solution for areas with lots of irrigation and still use the Budyko curve framework.

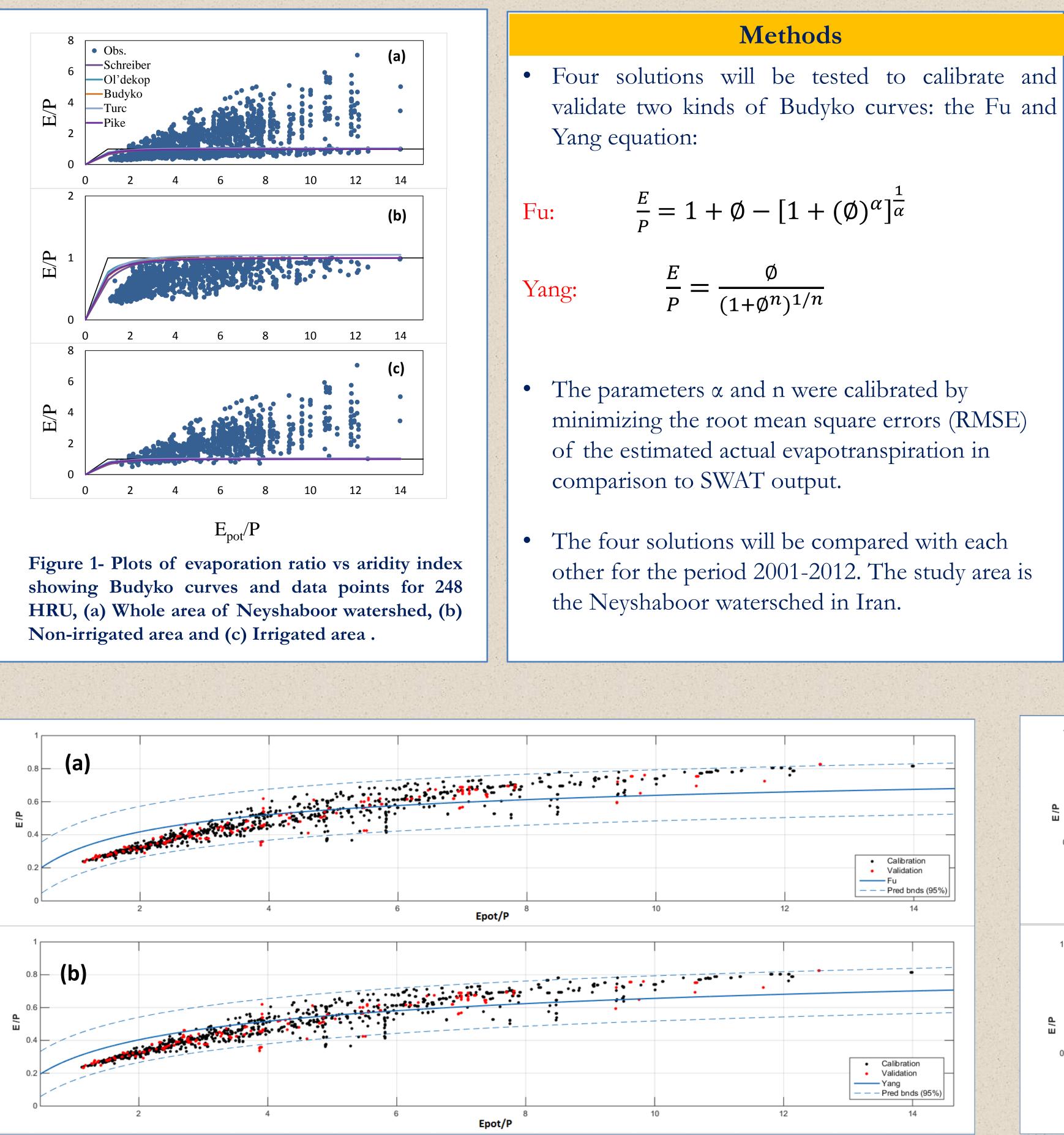


Figure 2- Plotted data and fitted model for whole area of the watershed for S4 (a) Fu equation and (b) Yang equation.

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¹Department of Water Engineering, College of Agriculture, Ferdowsi University of Mashhad, Mashhad, Iran

²Graduate University of Advanced Technology, Kerman, Iran

³Department of Water Management, Faculty of Civil Engineering and Geosciences, Delft University of Technology, Delft, The Netherlands (A.mianabadi@tudelft.nl)

Solutions

$$[1+(\emptyset)^{\alpha}]^{\frac{1}{\alpha}}$$

S1: Separating actual evapotranspiration (E) coming from rainfall (E_p) and irrigation (E_I) and calibrate Fu and Yang equations for the evapotranspiration coming from rainfall only (with E_{pot} potential evapotranspiration, P precipitation, and I irrigation).

$$\frac{E_P}{P} = \frac{\emptyset}{1 + f(\emptyset)} = F(\emptyset) = F(\frac{E_{pot}}{P})$$

The amount of evapotranspiration from irrigation water can be estimated as follow (RC is recharge as estimated with a SWAT model):

$$E_I = I - RC \quad \text{in } c$$

$$E_L = 0 \quad \text{in } c$$

S2: Including irrigation in the Budyko framework and incorporating irrigation water inflow in water availability (E_{P+I} is total evapotranspiration from both irrigation and precipitation).

$$\frac{E_{P+I}}{P+I} = \frac{\emptyset}{1+f(\emptyset)} = F(\emptyset) = F(\frac{E_{pot}}{P+I})$$

S3: Using water footprint definition, estimating effective rainfall (part of rainfall stored in the root zone and can be used by the plants by SWAT model.

$$E_P = \min(E_{P+I}, P_{e})$$

S4: Using water footprint definition, estimating effective rainfall by USDA.

$$P_{effective} = 125 + 0.1P$$
 i

 $P_{effective} = \frac{P}{125}(125 - 0.2P)$ if $P \le 250 \text{ mm/year}$

Results & Discussion

According to the Table 1, S4 shows the highest R² and the lowest RMSE. But, since the USDA estimated a very low amount for effective rainfall, the amount of parameters α and n for S4 are less than those for other solutions.

Figure 2 shows the plotted data and fitted model for whole area of the watershed for S4. S1 and S3 showed similar results.

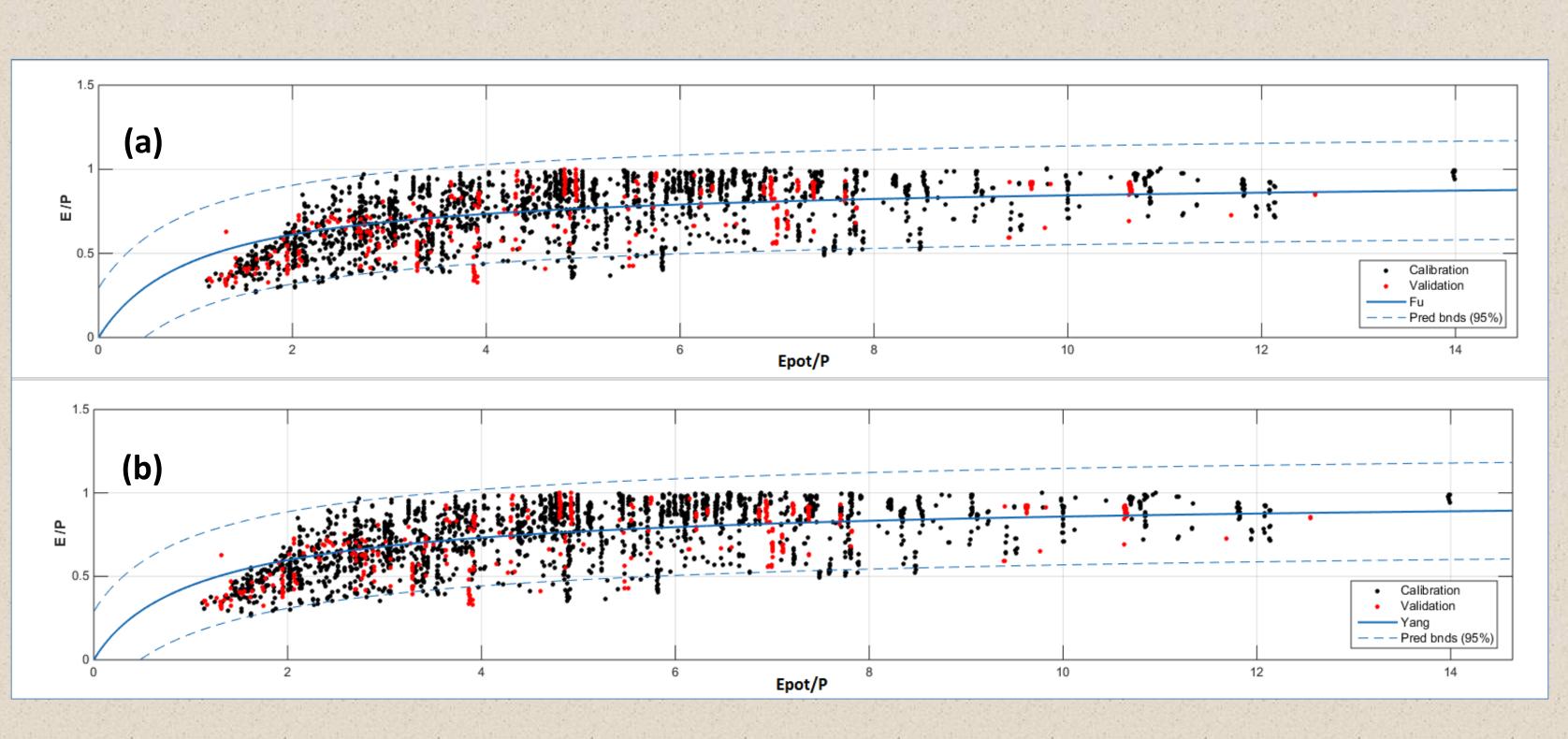


Figure 3- Plotted data and fitted model for whole area of the watershed for S1 (a) Fu equation and (b) Yang equation.

dry season

in wet season

Peffective)

if P > 250 *mm/year*

Area S		Fu				Yang			
	Solution —	α	\mathbf{R}^2	RMSE _c *	RMSE _V **	n	\mathbf{R}^2	RMSE _C	RMSE _v
Total	S 1	1.60 (1.59, 1.62) ***	0.35	0.15	0.15	0.85 (0.84, 0.87)	0.36	0.15	0.15
	S2	1.73 (1.71, 1.74)	0.06	0.18	0.18	0.99 (0.97, 1.01)	0.05	0.18	0.18
	S 3	1.60 (1.59, 1.61)	0.35	0.15	0.15	0.85 (0.84, 0.87)	0.37	0.15	0.15
	S 4	1.319 (1.316, 1.322)	0.69	0.08	0.08	0.568 (0.565, 0.571)	0.75	0.07	0.07
Irrigated	S 1	1.84 (1.81, 1.86)	0.49	0.10	0.15	1.08 (1.06, 1.10)	0.49	0.10	0.15
	S2	2.30 (2.27, 2.32)	0.33	0.08	0.08	1.60 (1.57, 1.62)	0.32	0.08	0.08
	S 3	1.84 (1.81, 1.86)	0.49	0.10	0.15	1.08 (1.06, 1.10)	0.50	0.10	0.15
	S 4	1.338 (1.334, 1.343)	0.67	0.07	0.07	0.585 (0.581, 0.589)	0.74	0.06	0.06
Non-irrigated		1.56 (1.55, 1.57)	0.38	0.15	0.15	0.81 (0.80, 0.83)	0.40	0.15	0.14

*RMSE for calibration data, ** RMSE for validation data, ***Confidence interval (95%) shown in parenthesis.

- equations using ground-based data, especially actual ET.

Future research:

- Calibration of the equations using modified SEBAL algorithm.

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Table 1 Statistical comparisons of two Budyko frameworks using three solutions for Nevshaboor watershed

Conclusion & future research

• Although the S4 solution showed the highest R² and the lowest RMSE, we prefer the S1, because of more reliable results and similar behavior to Schreiber, Oldekop, Budyko and Pike equations.

• Although S1 and S3 showed nearly similar results, S1 is preferred, because it needs less data than S3.

For the catchments with adequate data, it is better to investigate the solutions and calibrate the

• Calibration of the equations with the real data for the catchment and for other catchment.

Estimation of runoff using the ET estimated using Budyko curves.

References