

## Aftershock Statistics explained from Geometric Reductionism

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The decay of aftershocks has recently been shown to follow a stretched exponential function instead of the Omori law (Mignan, Geophys. Res. Lett., 2015). This triggers a complete re-investigation of aftershock statistics in Southern California and a new physical interpretation of these results: (1) After verifying the stretched exponential behavior of aftershocks in time, I show that aftershocks follow a pure exponential in space. I then (re)demonstrate that  $K(M) = \exp(\alpha(M - m_{min} - \Delta m_B))$  with  $K$  the aftershock production by mainshock magnitude  $M$ ,  $\alpha$  the Gutenberg-Richter distribution slope and  $\Delta m_B$  Båth's parameter. Based on these observations, I propose the Recursive Aftershock Stretched Exponential (RASE) model. (2) I investigate the origin of aftershocks using geometric reductionism made possible by the Non-Critical Precursory Accelerating Seismicity Theory postulate, which states that spatial density switches from  $\delta b_0$  for background seismicity to  $\delta b_p$  for activated events (such as foreshocks, induced seismicity and here aftershocks) when the static stress field  $\sigma(r)$  exceeds the threshold  $\sigma(rA^*) \propto \Delta\sigma^*$  with  $r$  the distance to source. The postulate explains the exponential spatial distribution (assuming that aftershocks fill a noisy fractal network within  $rA^*$ ) and aftershock production (assuming a constant stress drop) with  $K(M) = \delta b_p \cdot V(M)$ ,  $V$  being the volume of a rounded cuboid centred on the fault of length  $l \propto \exp(\alpha M)$ , and with radius  $rA^*$ . Finally the observed stretching factor  $\beta \approx 0.4$  is explained topologically from the fractal dimension  $D \approx 1.5$ .