

## Determination of NH<sub>3</sub> emissions from confined areas using backward Lagrangian stochastic dispersion modelling

Christoph Häni (1), Albrecht Neftel (2), and Jörg Sintermann (3)

(1) Bern University of Applied Sciences, School of Agricultural, Forest and Food Sciences HAFL, Zollikofen, Switzerland (christoph.haeni@bfh.ch), (2) Agroscope - Institute for Sustainability Science, Zürich, Switzerland, (3) Swiss Federal Institute for Forest, Snow and Landscape Research WSL, Birmensdorf, Switzerland

Employing backward Lagrangian stochastic (bLS) dispersion modelling to infer emission strengths from confined areas using trace gas concentration measurements is a convenient way of emission estimation from field measurements (see Wilson et al., 2012 and references therein). The freely available software 'WindTrax' ([www.thunderbeachscientific.com](http://www.thunderbeachscientific.com)), providing a graphical interface for the application of a bLS model, has spurred its utilisation in the past decade. Investigations include mainly methane (CH<sub>4</sub>) and ammonia (NH<sub>3</sub>) emissions based on experimental plots with dimensions between approximately 10<sup>2</sup> to 10<sup>4</sup> m<sup>2</sup>. Whereas for CH<sub>4</sub> deposition processes can be neglected, NH<sub>3</sub> has a strong affinity to any surface and is therefore efficiently deposited. Neglecting dry deposition will underestimate NH<sub>3</sub> emissions, e.g. with a standard WindTrax approach. We extended the bLS model described in Flesch et al. (2004) by a dry deposition process using a simple, one-directional deposition velocity approach. At every contact of the model trajectories with ground level (here at the height of the roughness length  $Z_0$ ), deposition is modelled as:

$$F_{dep} = v_{dep} \times C_{Traj} \quad (1)$$

where  $v_{dep}$  represents deposition velocity, and  $C_{Traj}$  is the actual concentration of the specific trajectory at contact. A convenient way to model  $v_{dep}$  is given by a resistances approach. The deposition velocity is modelled as the inverse of the sum of a series of different resistances to deposition. The aerodynamic resistance is already implicitly included in the bLS model, thus  $v_{dep}$  is given as:

$$v_{dep} = \frac{1}{R_b + R_c} \quad (2)$$

$R_b$  and  $R_c$  represent resistances of different model layers between  $Z_0$  and the surfaces where deposition take place. With this approach we analysed a dataset from measurements with an artificial NH<sub>3</sub> source that consisted of 36 individual orifices mimicking a circular area source with a radius of 10 m. The use of three open-path miniDOAS (Sintermann et al., submitted to AMT) systems allowed to measure a line integrated vertical concentration profile downwind of the source. The inclusion of the deposition process is necessary for a consistent interpretation of the measurements.

### References

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- Wilson, J.D., Flesch, T.K., Crenna, B.P., 2012. Estimating Surface-Air Gas Fluxes by Inverse Dispersion Using a Backward Lagrangian Stochastic Trajectory Model, in: Lin, J., Brunner, D., Gerbig, C., Stohl, A., Luhar, A., Webley, P. (Eds.), *Lagrangian Modeling of the Atmosphere*. American Geophysical Union, Washington, D. C., pp. 149–162.