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## **Reproducing the Solar Wind proton temperature profile via DNS of MHD turbulence**

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Context: The Solar Wind proton temperature  $T_p$  shows a radial profile  $R^{-0.9}$  significantly shallower than the adiabatic  $R^{-4/3}$  profile [Totten et al 1996]. This temperature profile has been attributed to turbulent heating, which requires a dissipation rate equal to  $Q = 3.6 \, 10^{-5} T_p U/R[J/(kg s)]$  (1) [Vasquez et al 2007]. The possibility of a turbulent heating large enough to modify the radial profile of the temperature has not been verified yet via direct numerical simulations.

Aim: We want to test if MHD turbulence developing in the range [0.2,1] AU is able to reproduce the observed  $R^{-0.9}$  temperature profile.

Method: We use the expanding box model (EBM) [Grappin & Velli 1996] which incorporates the effects of expansion into the compressible MHD equations, and so allows to follow the evolution of the plasma advected by the solar wind between 0.2 and 1 AU. In the absence of turbulence, the  $R^{-4/3}$  temperature profile is obtained. We start at 0.2 AU with mean field almost aligned with the radial and  $k_{\perp}^{-1}$  spectrum perpendicular to the mean field [Verdini, Grappin 2016]. Simple phenomenology (Kolmogorov) suggests that the ratio between turbulent heating and the required heating (1) is close to  $M^2/\epsilon$ , where M is the Mach number of the large eddies and  $\epsilon$  is the nonlinear time normalized by the transport time of the plasma by the wind. We thus explore the  $(M, \epsilon)$  parameter space and examine whether a large enough value of  $M^2/\epsilon$  indeed allows to recover the temperature profile observed by Totten et al (1996).

Results: We have obtained significant slowing down of the adiabatic cooling by considering increasing Mach numbers and/or decreasing  $\epsilon$  and approach in some cases the  $R^{-0.9}$  temperature profile. The role of the compressibility in the cascade is examined.