



TRENDS IN FLOOD QUANTILES OF THE ITALIAN AND AUSTRIAN ALPINE BASINS: STATISTICAL TESTING ON A COMPREHENSIVE DATASET

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INTRODUCTION

- In mountain basins, global warming directly affects the alternance of snow deposition and melting:
Is this already changing runoff regimes?
- For the flood regime, would it help to have a ‘correctly stratified’ dataset that allows us to check the existence of empirical changes?
- Are there valuable statistical tools that drive the empirical findings to consensus, so to start with the ‘Attribution’ Phase?

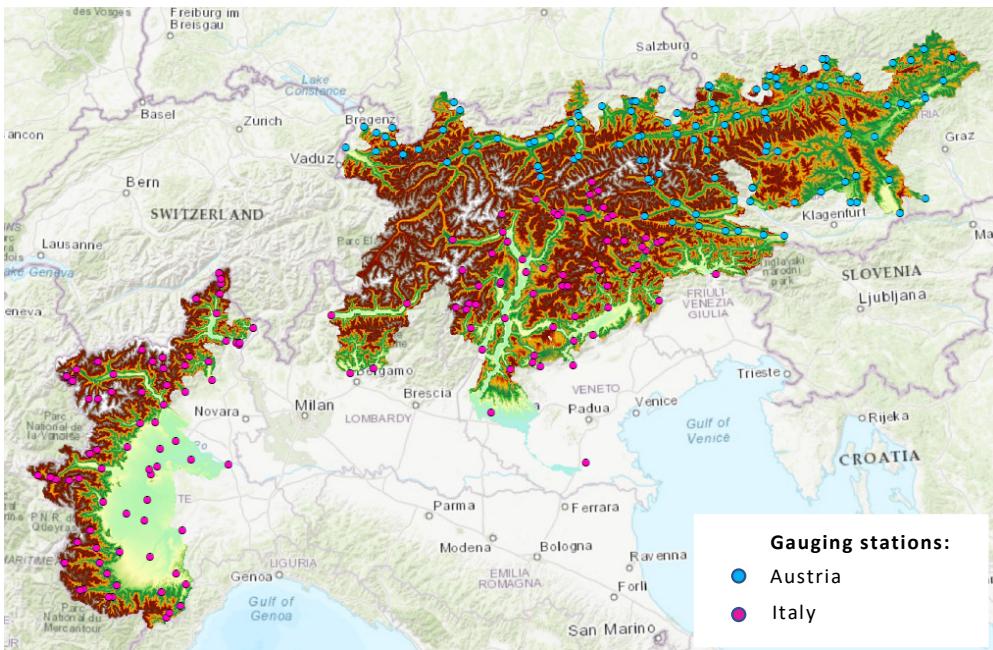


DATA SET: 259 'MOUNTAIN' BASINS

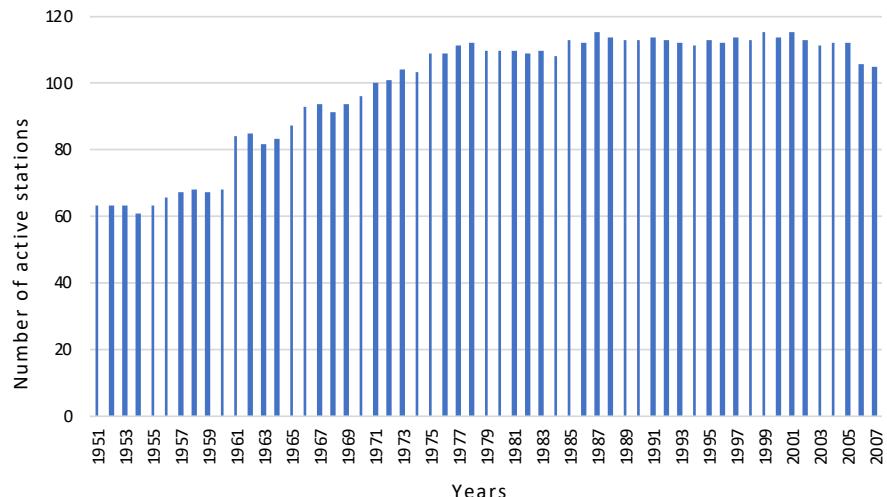
Northern Italy and entire Austria annual maximum data

Basin selection:

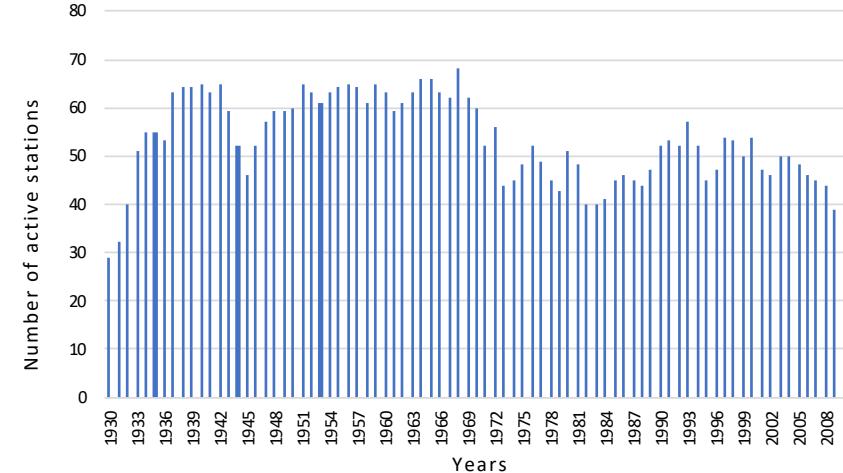
- ▶ Catchments mean elevation > 1000 m a.s.l.
- ▶ Minimum 10 years of observation for each station
- ▶ No lakes or major hydraulic works upstream the gauging stations



AUSTRIA: 119 catchments (Parajka, 2015)

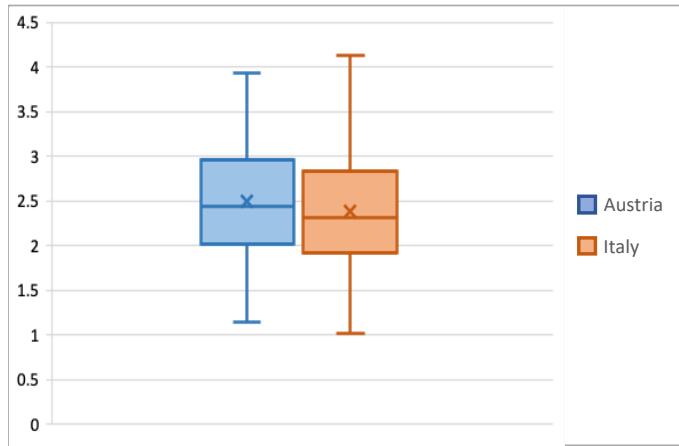


ITALY: 140 catchments (Apostolo, 2019)

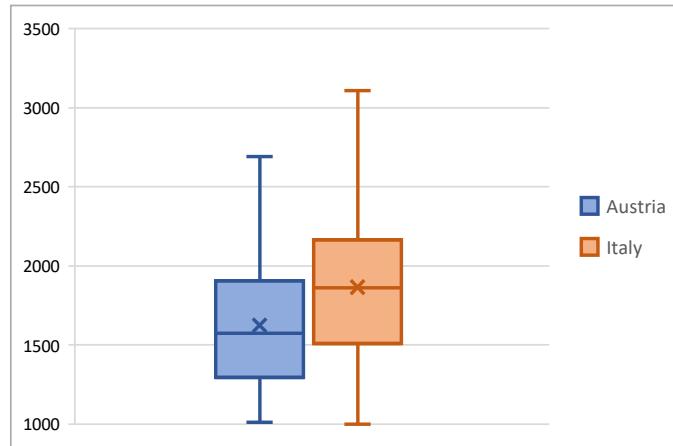


CATCHMENTS CHARACTERISTICS

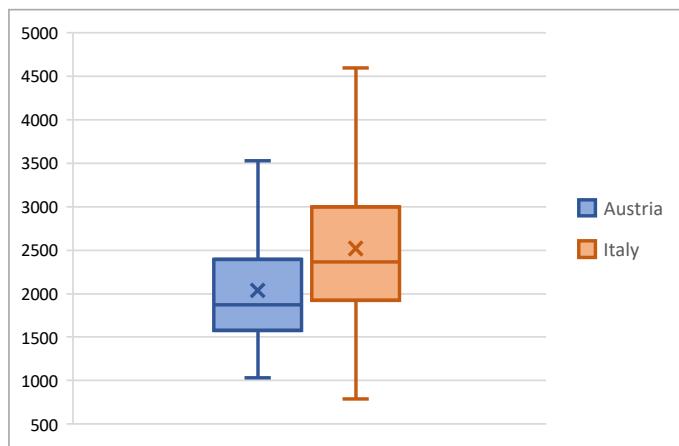
LOG(Area) (LOG(km²))



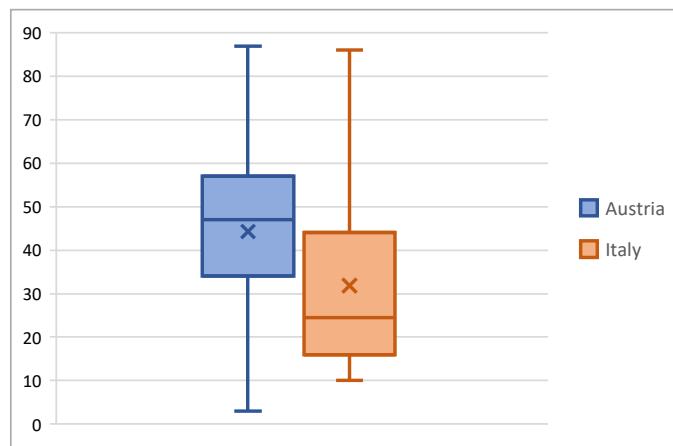
Mean elevation (m a.s.l.)



Elevation difference (z_{max}-z_{min})

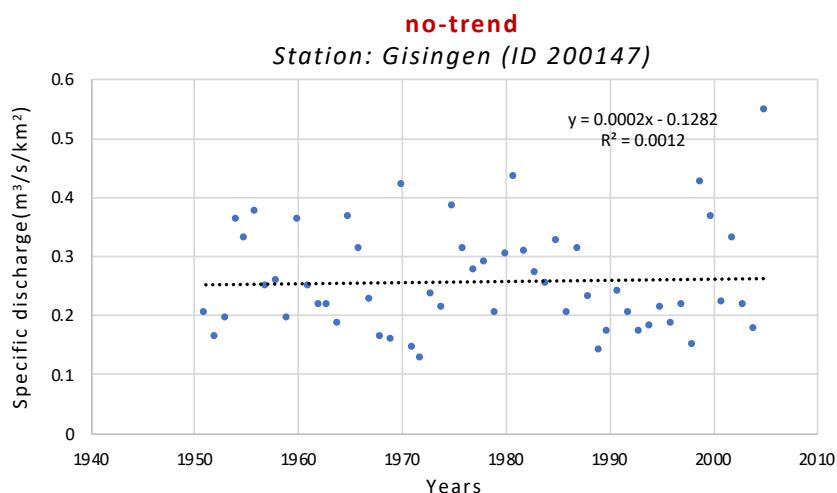
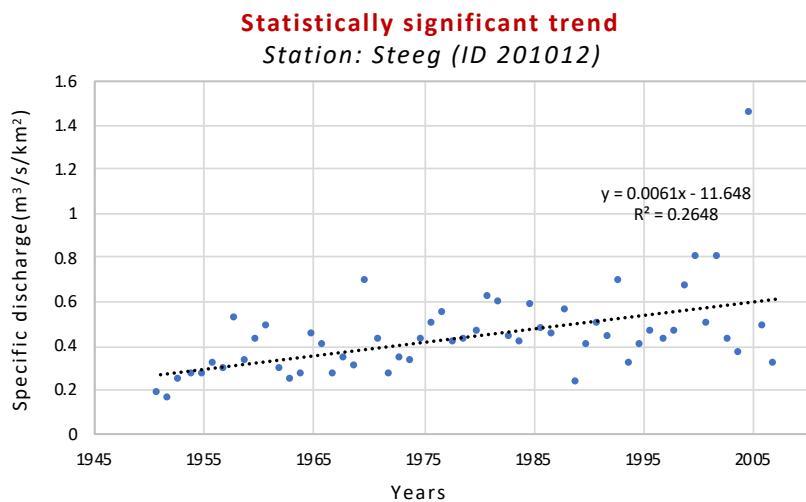


N°observations of annual max discharge

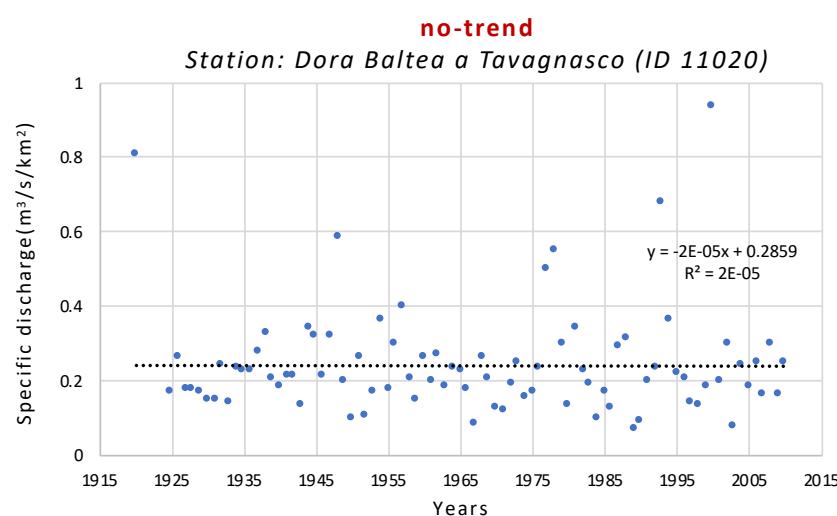
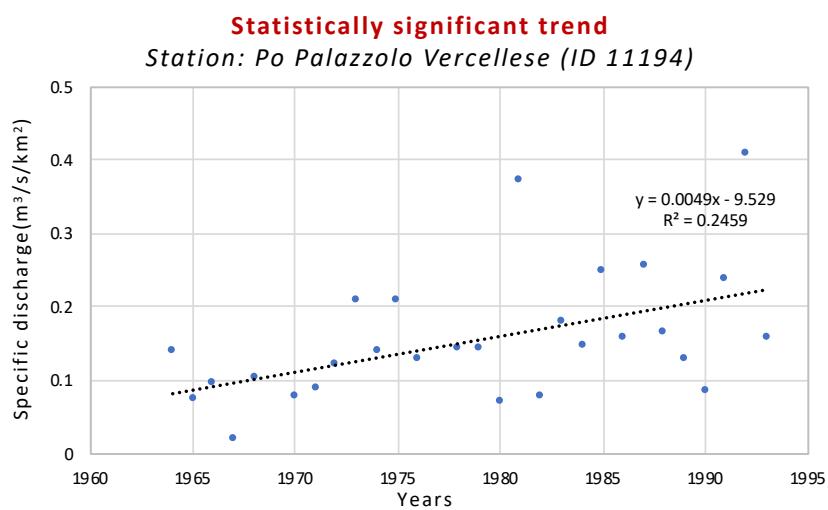


INDIVIDUAL SERIES TREND ANALYSIS

AUSTRIA

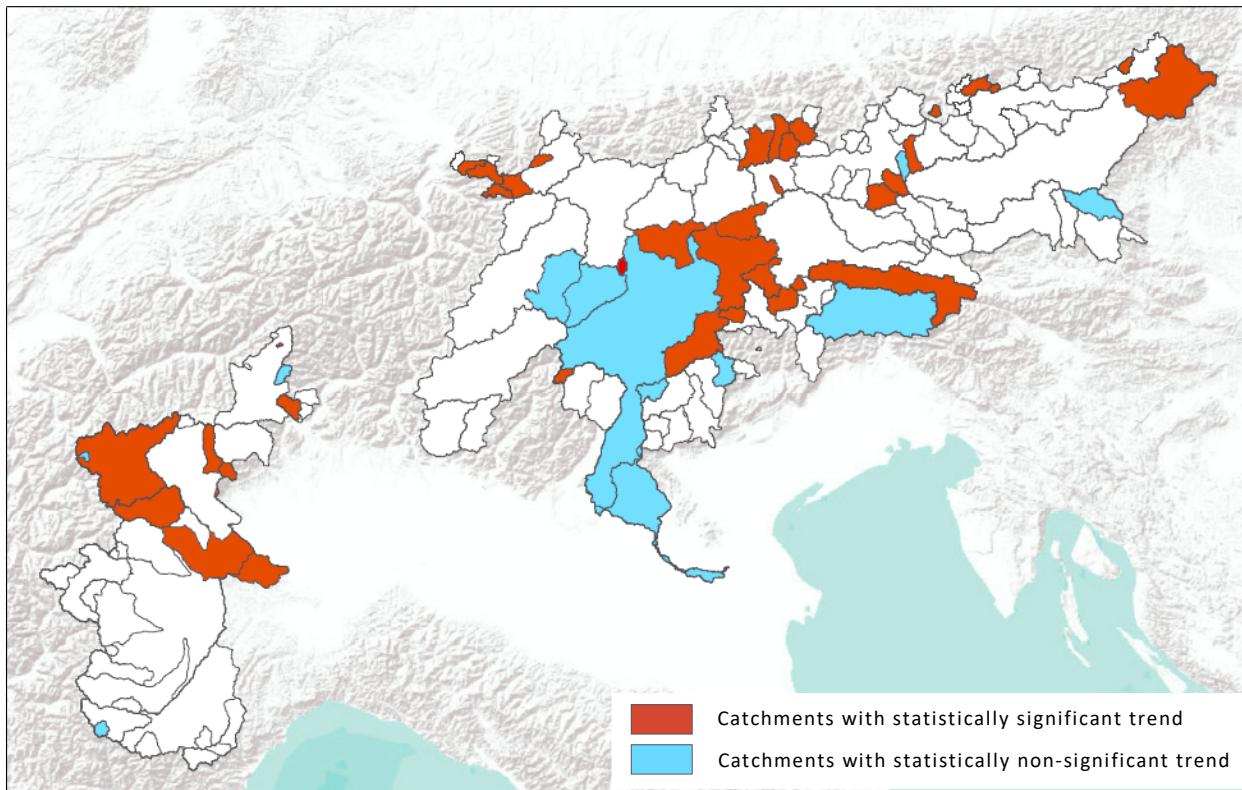


ITALY



INDIVIDUAL SERIES TRENDS: MANY ARE NON SIGNIFICANT

Linear regression – Ordinary Least Squares (OLS)



AUSTRIA		
Trend	Statistically significant trend	Statistically non-significant trend
Positive	19	64
Negative	2	34

ITALY		
Trend	Statistically significant trend	Statistically non-significant trend
Positive	18	51
Negative	10	61

The statistical significance of trend is validated by the **Student's t-test** related to slope.



A WIDE-AREA TREND ANALYSIS TOOL: LINEAR QUANTILE REGRESSION

The **univariate quantile regression model equation** for the τ th quantile is:

$$Q_\tau(y_i) = \beta_0(\tau) + x_{i1} \beta_1(\tau) + u_i(\tau)$$

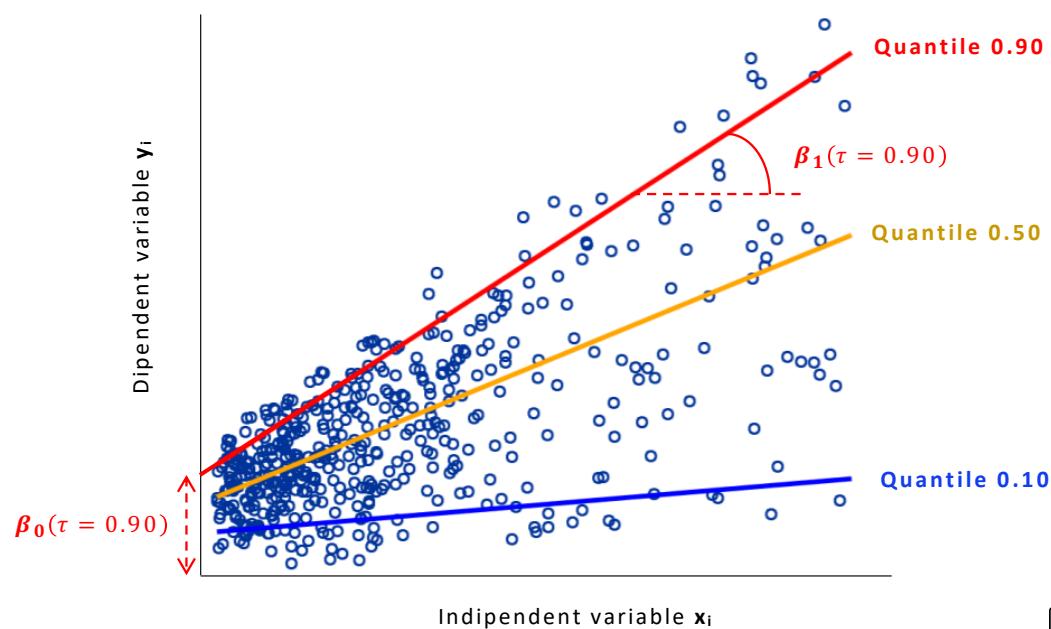
where $\beta_0(\tau)$ is the intercept, $\beta_1(\tau)$ is the slope of the regression line and $u_i(\tau)$ is the error term.

$\beta_0(\tau)$ and $\beta_1(\tau)$ are obtained by **OLS estimation for selected quantiles τ**

Quantiles τ are computed on all data available for each value of the independent variable.

Here, X=TIME

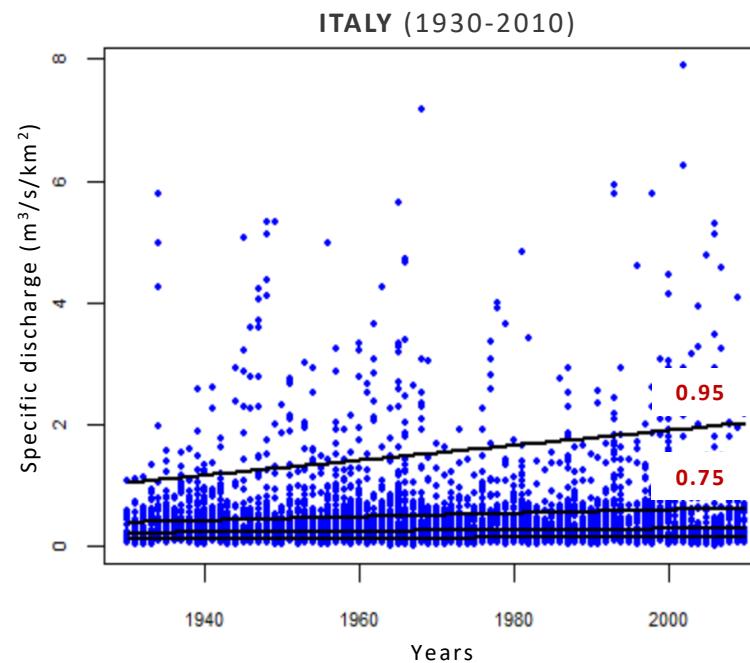
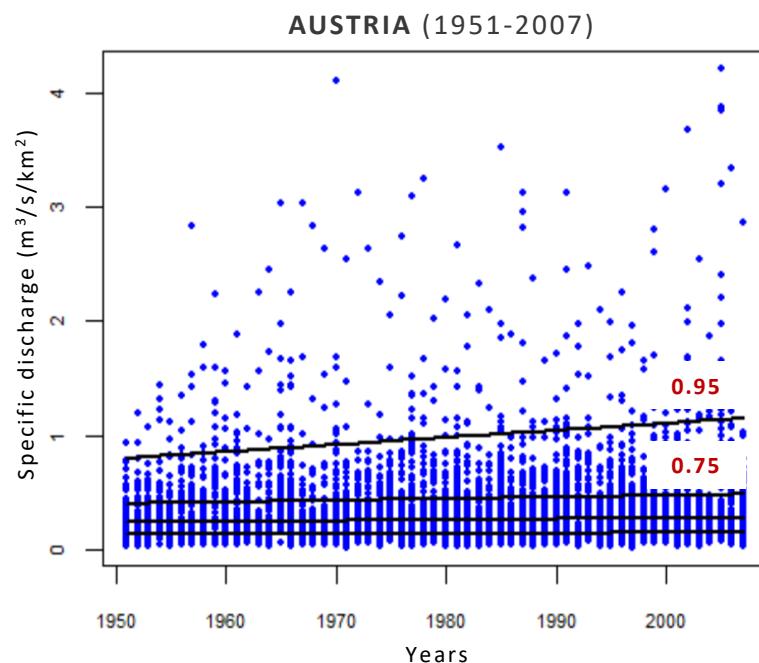
Discharge values are made **non dimensional**, to allow ranking of values coming from different stations



LINEAR QUANTILE TRENDS IN ITALY AND AUSTRIA ALPINE BASINS

Results

- ▶ Quantiles investigated: **0.25, 0.50, 0.75, 0.95**.
- ▶ Student's t-test again used to check slope significance



RESULTS AND CONCLUSIONS

Are the quantile trends significant?

AUSTRIA

ITALY

	Quantile 0.25	Quantile 0.50	Quantile 0.75	Quantile 0.95
AUSTRIA	NO	YES	YES	YES
ITALY	YES	YES	YES	YES

Global warming appears to have already affected flood quantiles

Additional attention should be given to human induced changes before providing conclusions on high-elevation basins trends

The quantile trend analysis allows to consider groups of stations having different record lengths, provided the region coverage is stationary over time.

A great alpine area investigation is in order, while considering an «attribution» approach

