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Queen Marv



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THE NEED FOR A MULTISCALE ANALYSIS OF PLASMA TURBULENCE

• There is a long standing debate about what causes the kinetic cascade at sub-ion scales.



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THE NEED FOR A MULTISCALE ANALYSIS OF PLASMA TURBULENCE

- There is a long standing debate about what causes the kinetic cascade at sub-ion scales.
- Kinetic-Alfvén-wave interactions (or other wave-like non-linear interactions) may continue the turbulent cascade below d_i. However, the intermittency observed in both simulations and observations, together with the measure of enhanced dissipation in localized structures (reconnection), puts doubts on such models.



Camporeale et al., PRL, 120, 125101 (2018)

THE NEED FOR A MULTISCALE ANALYSIS OF PLASMA TURBULENCE

- There is a long standing debate about what causes the kinetic cascade at sub-ion scales.
- Kinetic-Alfvén-wave interactions (or other wave-like non-linear interactions) may continue the turbulent cascade below d_i. However, the intermittency observed in both simulations and observations, together with the measure of enhanced dissipation in localized structures (reconnection), puts doubts on such models.
- A full space-time analysis can indeed help to shed light on this relatively long-standing problem,

HOWEVER...

- The intrinsic nature of turbulence (nonlinearity, nonstationarity, presence of impulsive events) makes difficult to use standard techniques that rely on linearity and stationarity of the signal to be analyzed.
- In what follows, we use **ITERATIVE FILTERS** (and Fourier transforms) to do a space-time analysis of plasma turbulence simulations.



ITERATIVE FILTERS



ITERATIVE FILTERS: A NEW APPROACH TO INVESTIGATE PLASMA TURBULENCE

Cicone, Liu, and Zhou, Appl. Comput. Harmon. A., 41 (2016).

Iterative Filtering (IF) is a new approach for the analysis of non-stationary non-linear signals (1D, 2D,...) similar to the Empirical Mode Decomposition (EMD, Huang et al. 1998).

IF decomposes a (multidimensional) signal, f(x), into a finite number N of Intrinsic Mode Functions (IMFs):

$$f(\mathbf{x}) = \sum_{j=1}^{N} \text{IMF}_{j}(\mathbf{x}) + r_{f,N}(\mathbf{x}), \qquad \mathbf{x} \in \mathbf{R}^{k}$$

Each IMF is the result of an iterative procedure that, by using a low-pass filter $w_j(t)$, isolates a fluctuating component whose frequency is well-behaved:

 $\text{IMF}_{j}(\mathbf{x}) = \lim_{n \to \infty} S_{j,n}(r_{n})$, where

 $\overline{S_{j,n}(r_n)} = \overline{r_{j,n} - \int r_{j,n}(x+t)w_j(t)}d^kt, \quad r_{j,n} = S_{j,n-1}(r_{j,n-1}),$

IF methods give a convergent solution for any L² signal, also in presence of noise.

Iterative filters have already been applied to the analysis of geomagnetic data (Piersanti et al. 2018).

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MULTISCALE ANALYSIS OF TURBULENCE

IN SPACE

Papini et al. 2020 arXiv:2004.10040



INVESTIGATING PLASMA TURBULENCE WITH MULTIDIMENSIONAL ITERATIVE FILTERING Papini et al. 2020 arXiv:2004.10040

Our dataset consists of a Hall-MHD (HMHD) and a Hybrid particle-in-cell (HPIC) high-resolution 2D numerical simulations of plasma turbulence. Turbulent properties are thoroughly characterized by Papini et al., ApJ, 870, 52 (2019).

We performed a multiscale analysis at the peak of the turbulent activity



In the power spectra, we can see four different relevant scales: Injection scales (inj), the inertial range scales (MHD), ion-kinetic scales (kin) and dissipation scales (diss).

Thanks to MIF, we successfully separated the contribution of magnetic features at those scales!



INVESTIGATING PLASMA TURBULENCE WITH MULTIDIMENSIONAL ITERATIVE FILTERING Papini et al. 2020 arXiv:2004.10040, submitted to JPP

We performed a multiscale analysis at the peak of the turbulent activity (only HPIC results are shown):



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- Sub-ion scales are organized in a filamented network where dissipation is enhanced.
- Morphological and physical multiscale properties of reconnection are nicely separated (see next slide).

INVESTIGATING PLASMA TURBULENCE WITH MULTIDIMENSIONAL ITERATIVE FILTERING Papini et al. 2020 arXiv:2004.10040, submitted to JPP

Zooming to a sub-region where plasmoid reconnection is taking place (3 plasmoids are visible):



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HPIC

 10^{0}

 $k_{\perp}d_i$

B_{MHD}

10

Morphological (plasmoid chain in $|\hat{B}_{kin}|$) and physical (enhanced dissipation at the X-points in $|\hat{B}_{diss}|$) multiscale properties of reconnection are nicely separated and identified.

UNRAVELING SPACETIME TURBULENCE

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NUMERICAL SETUP



HMHD





• Periodic 2D domain: Grid: **1024²** Resolution $\Delta x: d_i/8$ Box size: **128** d_i

- $\mathbf{B}_{\mathbf{0}}$ mean field out of plane, along the z direction.
- Freely-decaying turbulence: Alfvénic-like fluctuations.
- b_{rms}: 0.24 B₀.
- Initial energy-containing scale $k_{\perp}d_i < 0.3$.
- Plasma beta: $\beta = 2$.
- Magnetic resistivity: $\eta = 10^{-3} \rightarrow S \approx 4 \cdot 10^4$, $\nu/\eta = 1$
- Maximum of turbulent activity at t = 195t_A.

250 200 150 100 50 00 50 100 150 200 250 X/d,

• Periodic 2D domain:

Grid: **2048**² Resolution $\Delta x: d_i/8$ Box size: **256** d_i

- **B**₀ mean field out of plane, along the *z* direction.
- Freely-decaying turbulence: Alfvénic-like fluctuations.
- b_{rms}: 0.25 B₀ .
- Initial energy-containing scale $k_{\perp}d_i < 0.6$.
- Ion (electron) plasma beta: $\beta_i = 0.5$ ($\beta_e = 0.5$)
- Magnetic resistivity: $\eta = 5 \cdot 10^{-4} \rightarrow S \approx 8 \cdot 10^4$, $v/\eta = 1$
- Maximum of turbulent activity at t = 105t_A.

<u>Units and normalizations</u>: space: $d_i = V_A / \Omega_i$, time: $\tau_A = \Omega_i^{-1}$, magnetic field: B_0 (ambient field)

TIME FREQUENCY ANALYSIS WITH ITERATIVE FILTERING

Example of IF decomposition of v_v (kx=5.8,ky=4.0,t)



DATASET PREPARATION AND ANALYSIS PROCEDURE

- We let the plasma dynamics evolve (up to t=300t_A in HMHD and to t=150t_A in HPIC) run, in order to correctly identify the maximum of turbulent activity (around t=195t_A and t=105t_A).
- 2. We then restart the simulation at that time and run it up to $t=215t_A$ ($125t_A$) with an output of cadence $0.01t_A$ (Ω_i^{-1}).
- 3. We take a field component, say $B_z(x,y,t)$.
- 4. We perform a 2D FFT to obtain $B_z(k_x, k_y, t)$.
- 5. For each pair (k_x,k_y) we perform a IF decomposition and calculate average frequency and amplitude of each IMF.
- 6. We interpolate the corresponding power to a k,ω grid and sum up over all found frequencies and powers.

Done for all the fields!



k-ω DIAGRAM: VELOCITY FIELD (IN-PLANE)

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k-ω DIAGRAM: MAGNETIC FIELD (OUT-OF-PLANE)

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HMHD

HOW DOES THE K-SPECTRUM LOOK LIKE?

POWER SPECTRUM: WAVES CONTRIBUTION HMHD



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ENERGETICALLY

IRRELEVANT!



Spectra obtained by integrating over ω in selected areas of the k- ω diagram. The violet curve is the 1D Isotropized Power spectrum at t = 195 τ_A .

POWER SPECTRUM: WAVES CONTRIBUTION HMHD



Area **1** and 2 cover the whistler and KAW dispersion relation, within a tolerance in frequency (with *k* fixed) of 25%.

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Spectra obtained by integrating over ω in selected areas of the k- ω diagram. The violet curve is the 1D isotropized Power spectrum at t = 195 τ_A .

WAVES OR STRUCTURES?: $\omega > \Omega_1$

HMHD



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Spectra obtained by integrating over ω in selected areas of the k- ω diagram. Almost all the power is at $\omega \leq \Omega_i$ (blue curve) and likely due to structures.

k-ω DIAGRAM: MAGNETIC FIELD (OUT-OF-PLANE)



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HPIC

- 1. Horizontal bands of activity, possibly from ion-Bernstein waves?
 - 2. Signature of fast/whistler waves.
 - 3. No clear (K)AW dispersion relation (B, ion velocity, density, ...).
 - 4. Most of energy is at low frequencies, not clearly related to wave activity.

k-ω DIAGRAM: MAGNETIC FIELD (OUT-OF-PLANE)



HPIC

WRAPPING UP...

- Iterative Filtering offers many potential applications in the analysis of both observation and simulation datasets. (Papini et al. 2020 arXiv:2004.10040)
- IF methods are able to separate the contribution of wave-like perturbation and coherent structures, and show that the spectrum is mainly shaped by low frequency/slowly evolving features.
- KAW/WHISTLER activity is present in the Hall-MHD data, but **energetically unimportant**.
- WHISTLER activity can be spotted in the HPIC data, no sign of kaw dispersion relations. Hints for the presence of ion Bernstein modes (to be verified), However...
- ... Recall that HPIC and HMHD simulations are different (e.g., in the injection scales and plasma beta)!
- Need to go 3D to confirm this picture.
- Overall, IF methods arise as ideal candidates for the analysis of both simulation datasets and have many potential applications for the analysis of spacecraft data from, e.g., Parker Solar Probe, Solar Orbiter, and the Magnetospheric Multiscale (MMS) Mission.

Ion-kinetic scales turbulence is structure-like, not wave-like!



DISENTANGLING WHISTLER WAVES IN SPACETIME

SHOOT ME A PHOTO

WHISTLER BRANCH

ALL THE REST



QR-1

() BY Movie of the evolution of the filtered fast magnetosonic/whistler branch of B_z (x,y,t) from t=195 t_A to t = 215 t_A .

DOI: 10.13140/RG.2.2.19332.68482



QR-2

Movie of the evolution of $B_z(x,y,t)$ with the fast magnetosonic/whistler branch filtered out from t=195 t_A to t = 215 t_A.

DOI: 10.13140/RG.2.2.22688.12809