

A-posteriori Analyses of Pattern Recognition Results

ISTITUTO NAZIONALE
DI GEOFISICA E VULCANOLOGIA

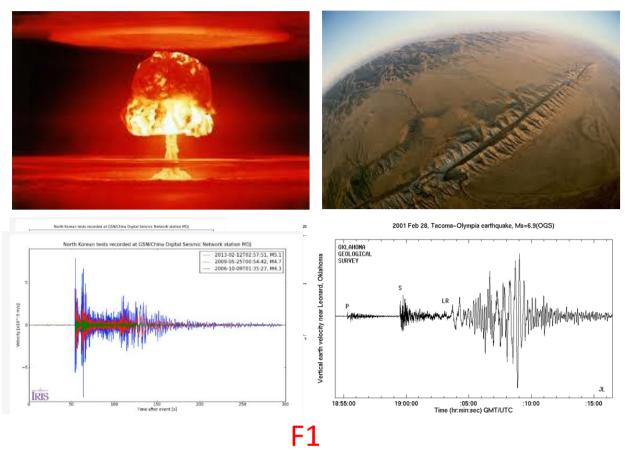
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Horst Langer¹, Susanna Falsaperla¹, Conny Hammer²



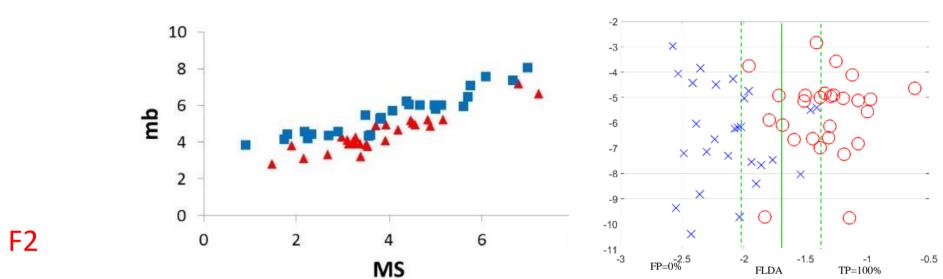
¹Istituto Nazionale di Geofisica e Vulcanologia, Sezione di Catania, Osservatorio Etneo, Italy ²Swiss Seismological Service, Eidgenössische Technische Hochschule (ETH) Zurich, Switzerland





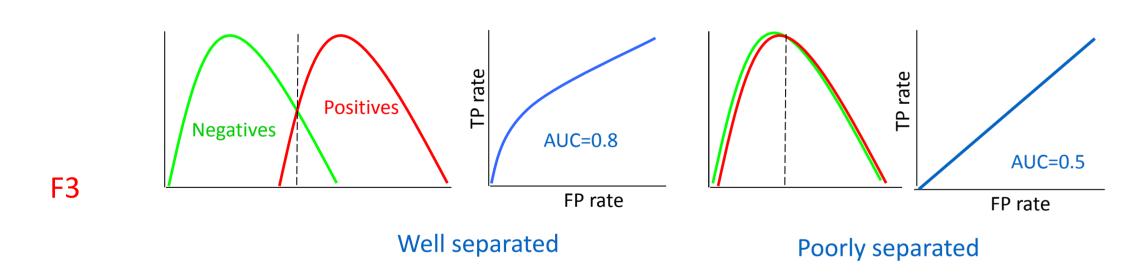
In Geophysics we study phenomena, such as earthquakes, and nuclear tests, i.e., **Objects** (F1). Observables (seismograms) form **Patterns**. Pattern Recognition relates patterns to objects, e. g., seismograms to earthquakes or nuclear tests. Direct use of patterns is often not effective. Extracting **Features** reduces the amount of data.

Here we use body wave magnitudes – mb - and surface wave magnitudes - MS. Using Fisher's Discrimination we establish discrimination thresholds learned from examples (F2).

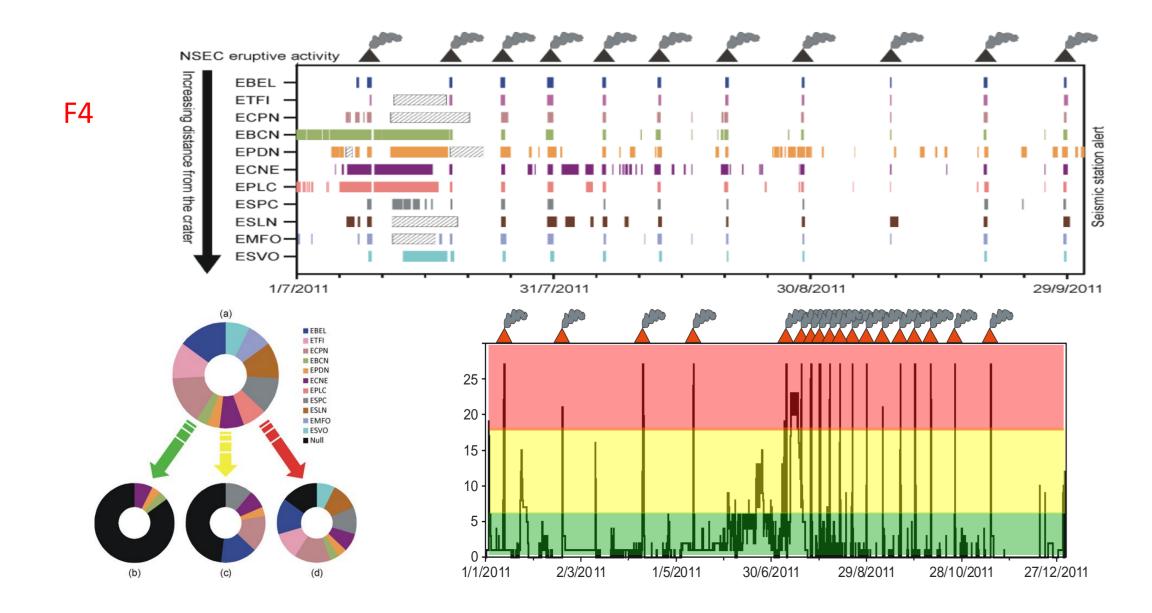


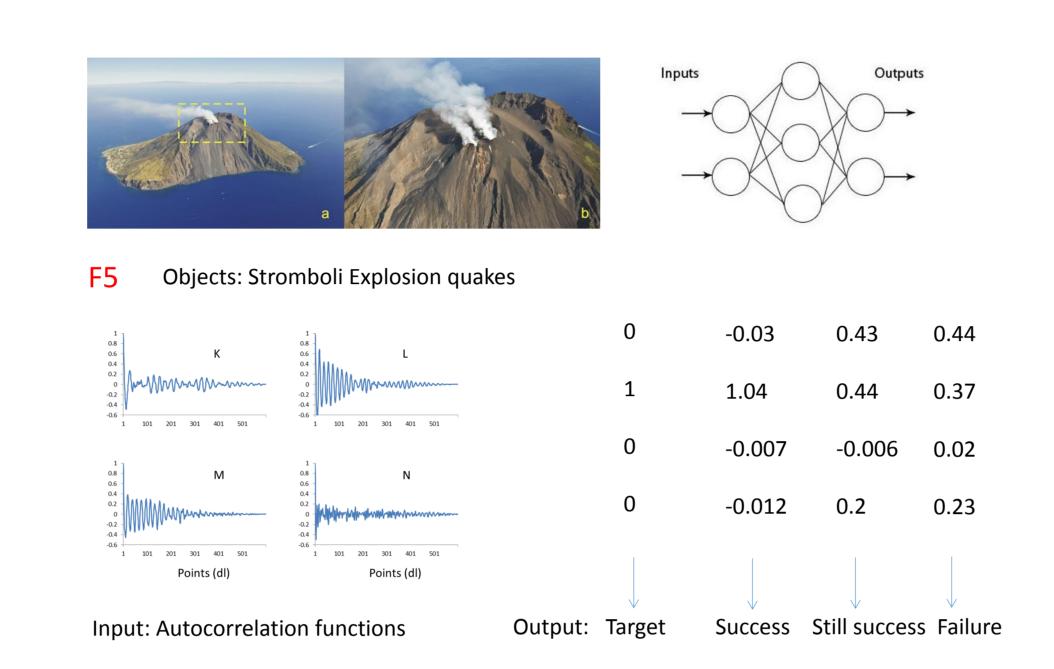
Discovering all NUKEs ("True positive rate TP" = 100%) with some false detections of NUKE ("false positives" FP). Avoiding FP means that some NUKE is not detected.

The threshold affects the number of true positives (TP) as well as the false positives (FP). In **Receiver Operation Curves** (ROC) we plot TP vs FP rates for varying thresholds (F3). The **Area Under the ROC** (AU) is a general parameter for the quality of discrimination (1 for full distinction, 0.5 for no distinction).

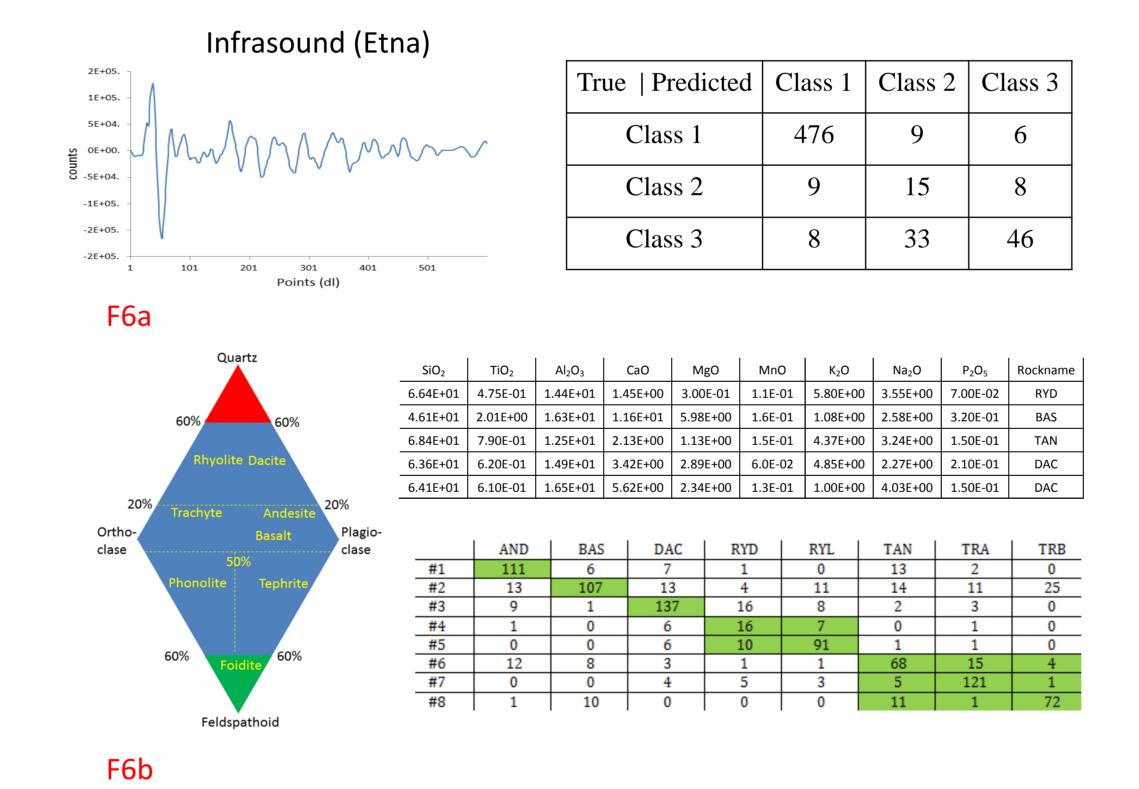


The reasoning outlined above also applies to the decision whether to take action. In **Volcano Monitoring** on Mt Etna (F4) we exploit unsupervised pattern recognition to identify the unrest of the volcano considering seismic stations. We adopt a voting scheme based on the number of stations signaling a criticality. Then, we calculate ROC and AU. The definition of the threshold to be used remains a task involving both researchers as well as end users, who have to decide how many FP are tolerable.

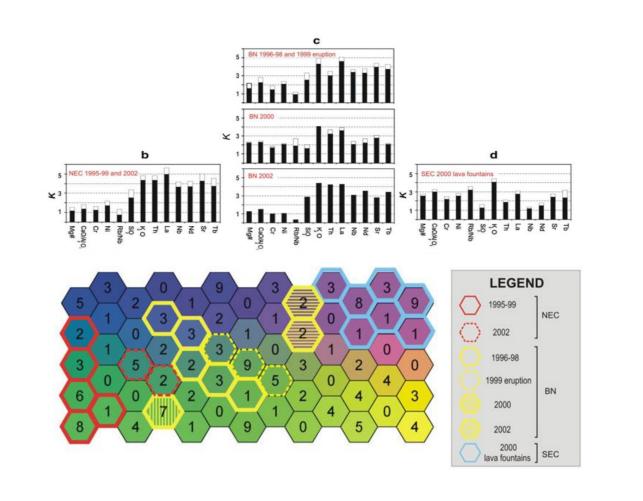


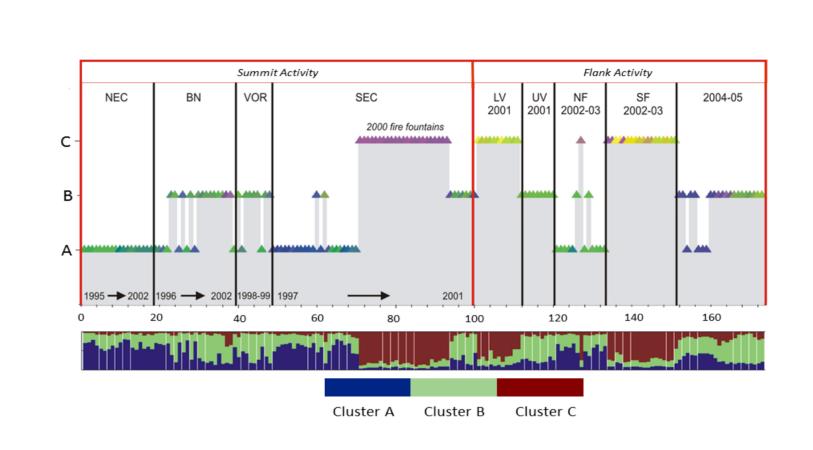


In multiclass problems the classifier learns to assign patterns to class A, B, C,...N. The success is assessed from a "confusion" matrix, reporting the calculated output of the classifier with respect to the target class. The success rate corresponds to the sum of matching classifications (diagonal elements in the confusion matrix).

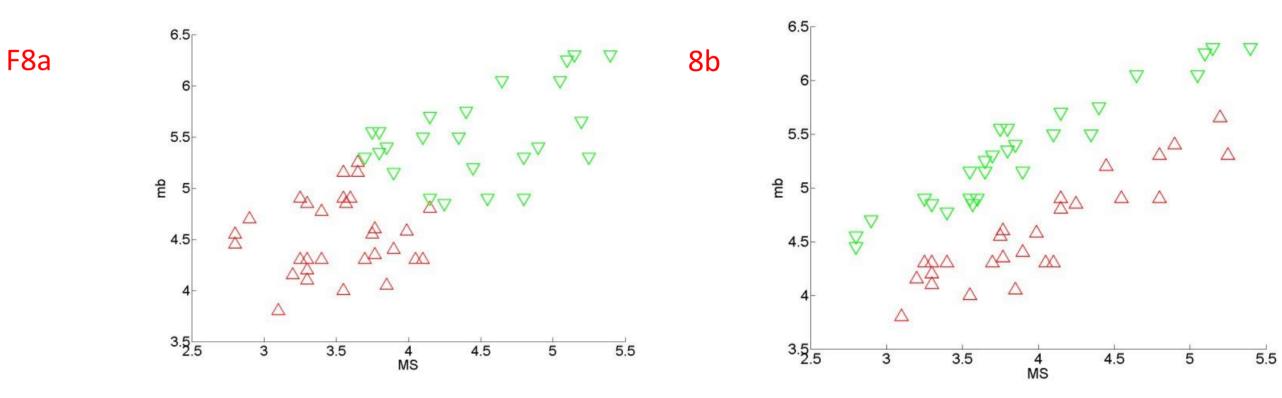


The number of matching classifications is a poor measure of success when classes are not evenly represented. In F6a - classification of infrasound signals — the score is 88%, but 68% can be reached just by a random guess. K-Statistics allows to assess the significance of the classification. Compared to F6a the classification of rocks based on the geochemical composition (F6b) is more significant. K reaches 0.68, higher than the 0.64 in F6a, even though the score is only 72 %. As classes are more evenly represented, the score of random success is only some 15%.





Failure of Supervised Learning provides lessons on the problem, analysis for the reasons is recommended. One reason of failure is improper definition of targets, e. g., the relation of patterns to objects change with time making a-priori information obsolete. In F7 we consider the geochemical composition of rocks erupted from various eruptive centers on Mt Etna, representing it on a Self-Organizing Map. We see that the characteristics of material erupted at a certain center changes with time. This turns out applying **Unsupervised Learning** techniques.



Unsupervised Learning works without a-priori defined targets and is based on **metrics** describing the similarity of patterns among each other. A critical point is the choice of the metric, which depends on the user's ideas. K-means clustering applies the Euclidean metrics (see F8a for the earthquakes-nukes example discussed in F2). In F8b we use a metric which accounts for the fact that the features may be correlated – mb and MS are correlated. The outcome of the clustering depends on the a-priori chosen metrics.

A further issue is the choice of the number of clusters. In K-means clustering formal criteria, e. g., the Davies Bouldin Index (ratio of between- and within-variance), can be used. The criteria need a common metric valid for all clusters. This is not always available (e. g., correlated features where metrics vary among the clusters (F9a). **Density Based Clustering** lacks such, and centroids are not necessarily valid prototypes (F9b, c).

