# NUMERICALLY SIMULATED GROUNDWATER AGE DISTRIBUTIONS WITHIN **COMPLEX FLOW SYSTEMS AND DISCRETE FRACTURE NETWORKS**



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Fig. 3 Application to well-head protection zones



## 55000 Distance (m) Discussion:

60000

50000

Age simulations provide insight into complex flow systems

Dispersivities control age mixing, the Lichtner (2002) formulation is preferred

#### **References:**

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- Molson, J.W., E.O. Frind, On the use of mean groundwater age, life expectancy and capture probability for defining aquifer vulnerability and time-of-travel zones for source water protection, J. Contaminant Hydrology, Vol. 127, p76–87, doi:10.1016/j.jconhyd.2011.06.001, 2012.
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## Context

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Age simulations can be applied in a variety of contexts including defining capture zones for pumping wells, characterizing fractured rock aquifers, and for improved understanding of flow systems and geochemical evolution.

### Methodology

We apply the finite element models FLONET/TR2 (in the 2D vertical plane; Molson & Frind, 2020) and HEATFLOW (in 3D systems), using the standard advection-dispersion equation with an age source term. The governing equations for mean age (A) or residence time, including advective-dispersive age mixing within a porous medium can be written as:

$$\frac{\partial}{\partial x_i} \left[ D_{ij} \frac{\partial A}{\partial x_j} \right] - v_i \frac{\partial A}{\partial x_i} + 1 = 0$$

where x are the spatial coordinates (x,y) (L), y is the average linear flow velocity (L/T), D<sub>ii</sub> is the hydrodynamic dispersion tensor ( $L^{2/T}$ ), A is the mean age (T), and the +1 source term expresses the growth of the age mass at the rate of 1 day/day as it moves along its flowpath in the forward (downgradient) direction. A Type-1 boundary condition where A=0 is applied along recharge zones. Life expectancy uses a similar equation in a reversed flow field. The codes are available without charge for research use; please contact authors ...



Fig. 1 3D model of groundwater age in a multi-aguifer system





Fig. 2 Groundwater age in a discrete fracture network