



# The Influence of Space Radiation on the Relative Permittivity of Dielectrics



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1











- Energetic electrons will penetrate into interior portions of a spacecraft.
- Electrons may be stopped in dielectrics or on ungrounded conductors.
  - If too many electrons accumulate, the resultant high electric fields may cause an ESD to a nearby victim circuit.

#### [NASA-HDBK-4002A]







- Discharge creates a local plasma.
- Current increases on nearby conductors that are grounded.
- Voltage of the dielectrics decreases.



• Discharge pulses can be detected.

[A.R.Frederickson,1983]









<sup>[</sup>NASA-HDBK-4002A]

- Earth's internal charging threat regions is estimated assuming averages electron fluence over several orbits.
  - Satellites on MEO and GEO orbits are at high risk of internal charging threat.

















2







- CRRES was launched on 1990, carrying a electron detector, Internal Discharge Monitor(IDM), 16 different dielectric samples.
- The electron fluence and discharge pulses of each sample per orbit is collected.



[A.R.Frederickson, 1992]









[A.R.Frederickson, 1992]

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- No clear relationship between pulses and orbital electron fluence.





- The discharge frequency of different samples changed with the increase of time.
- The accumulated electron radiation dose may affect properties of the dielectric samples.



[A.R.Frederickson, 1992]







- The Deep Dielectric Charging Effects Monitor(DDCEM) carried by BD3M17 satellite was launched on Nov 1st, 2018.
- DDCEM can monitor leakage current and internal potential of FR4 samples.



Space radiation particle

[Yu Xiangqian, 2019]









- Internal potential decreased with the increase of time.
- Dielectric properties may have changed due to the electron radiation dose.













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$$\varepsilon \frac{\partial E(x,t)}{\partial x} = \rho_{-}(x,t) + \rho_{t-}(x,t),$$
  

$$\mu_{-}\rho_{-}(x,t)E(x,t) + \sigma(x)E(x,t)$$
  

$$+ J(x) + \varepsilon \frac{\partial E(x,t)}{\partial t} = J_{0}(x,t),$$
  

$$\frac{\partial \rho_{t-}(x,t)}{\partial t} = \frac{\rho_{-}(x,t)}{\tau_{-}} \left(1 - \frac{\rho_{t-}(x,t)}{\rho_{m}}\right),$$
  

$$V(x,t) = -\int_{0}^{x} E(x,t)dx.$$
  

$$\sigma = \sigma_{d} + \sigma_{r} = \sigma_{d} + k\dot{D}^{d}.$$
  

$$\frac{\sigma}{\sigma_{0}} = \frac{2 + \cosh\left(\beta_{F}E^{1/2}/2k_{F}T\right)}{3},$$

#### **Poisson Equations**

#### The equation of continuity

The rate equation for deep trapping of negative charges

The equation of voltage

The equation of conductivity containing RIC and E



#### Geant4-RIC





• The radiation dose rate and current density are calculated by the Monte Carlo method of Geant4



[Yu Xiangqian, 2016]





#### Geant4-RIC



• If E(x,0)=0, V(x,0)=0 j is constant

The electric field of dielectric during the charge process is:

$$\mathbf{E} = \frac{\mathbf{j}}{\sigma} \left[ 1 - \exp\left(-\frac{\sigma \mathbf{t}}{\varepsilon}\right) \right]$$

The electric field of dielectric during the discharge process is:

$$\mathbf{E} = E_0 \exp\left(-\frac{\sigma \mathbf{t}}{\varepsilon}\right)$$

The time constant of charge and discharge is :

$$\tau = \frac{\varepsilon}{\sigma}$$

















# Ground Experiment



- Energy: 30KeV
- Current:  $1600 \text{pA/}cm^2$
- Radiation dose:10M, 25M, 30Mrad
- Sample: Polyimide
- Sample Thickness: 50um
- Temperature: 300K







# Ground Experiment



- Three same samples was exposed to different radiation dose.
- The relative permittivity of the sample was measured after the charge and discharge process finished.

























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#### The result of the ground experiment







The result of the ground experiment



After 10Mrad irradiation, the time constant  $\tau = 19.1$ h

After 30Mrad irradiation, the time constant  $\tau = 14.7h$ 







#### The result of the ground experiment

Dielectric	Radiation	dielectric	1 1
thickness/um	dose/Mrad	constant $\mathcal{E}^*$	$\overline{\mathcal{E}^*}$ $\overline{\mathcal{E}}$
50	0	1.250	0
50	10	1.207	0.02
50	25	1.129	0.06
50	30	1.093	0.08









The change of relative permittivity of each layer may be:  $\epsilon$ 

 $\varepsilon_i = \frac{1}{1 + kD_i^{\Delta}}$ 

The sample can be treated as 50 series capacitor:

$$\frac{d}{\varepsilon_0 \varepsilon^* A} = \sum_{i=1}^{50} \frac{d}{n \varepsilon_0 \varepsilon_i A}$$

The change of total relative permittivity:

$$\frac{1}{\varepsilon^*} - \frac{1}{\varepsilon} = \frac{k}{n\varepsilon} \sum_{i=1}^{50} D_i^{\Delta}$$























- The relative permittivity of Polyimide decreased with the increase of total radiation dose.
- The time constant of discharge differs from the total radiation dose received.
- More parameters may be affected by the radiation dose, such as dark conductivity.
- More experiments on different dielectric materials will be carried out when the Covid-19 ends.







# **Thanks for listening!**

