When 1D Response Analysis Fails: Application of Earthquake HVSR in Site-Specific Amplification Estimation

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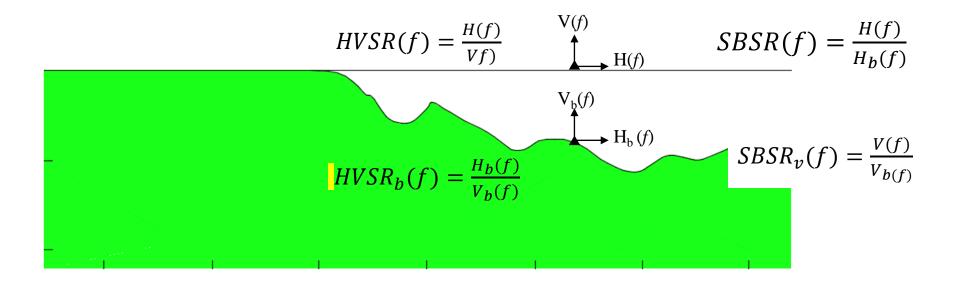
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Vienna | Austria | 3-8 May 2020



Empirical Correction to HVSR



$$HVSR(f) = \frac{H(f)}{H_b(f)} \cdot \frac{H_b(f)}{V_b(f)} \cdot \frac{V_{b(f)}}{V(f)} = \frac{HVSR_b(f)}{SBSR_v(f)} \cdot SBSR(f)$$
$$H_b(f) = V_b(f) \text{ or } HVSR_b = 1.0$$
$$SBSR(f) = HVSR(f) \cdot SBSR_v(f)$$
$$pSBSR(f) = HVSR(f) \cdot SBSR_v(f) > 0$$

Data Selection

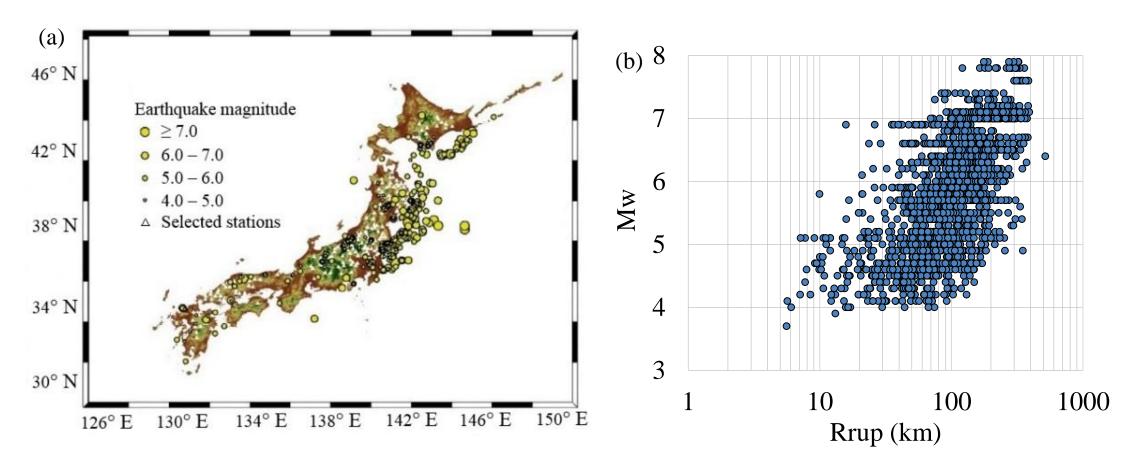


Fig. (a) Spatial distribution of earthquakes and 207 KiK-net stations used in this study, and (b) Mw-Rrup distribution of the 1840 selected earthquake recordings.

Correction Spectra

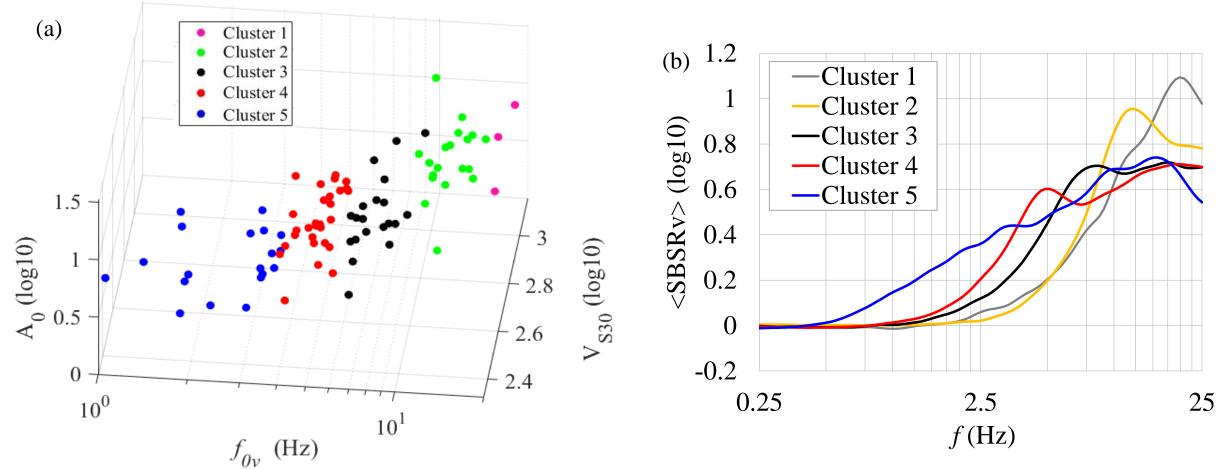


Fig. (a) k-means clustering of the 90 KiK-net sites, and (b) average SBSRv for each cluster, i.e., <SBSRv>.

Correction Spectra

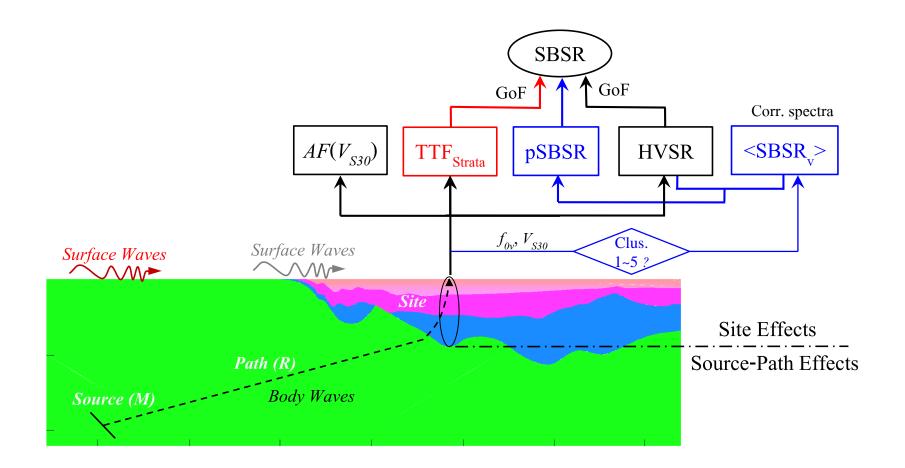


Fig. Evaluation of techniques used in site effects quantification.

pSBSR vs. TTF

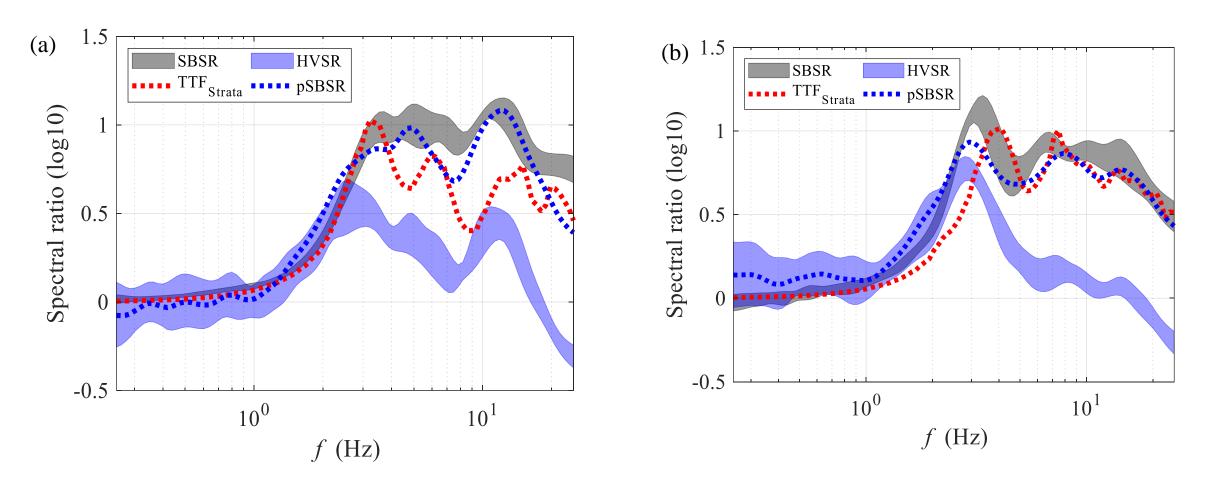
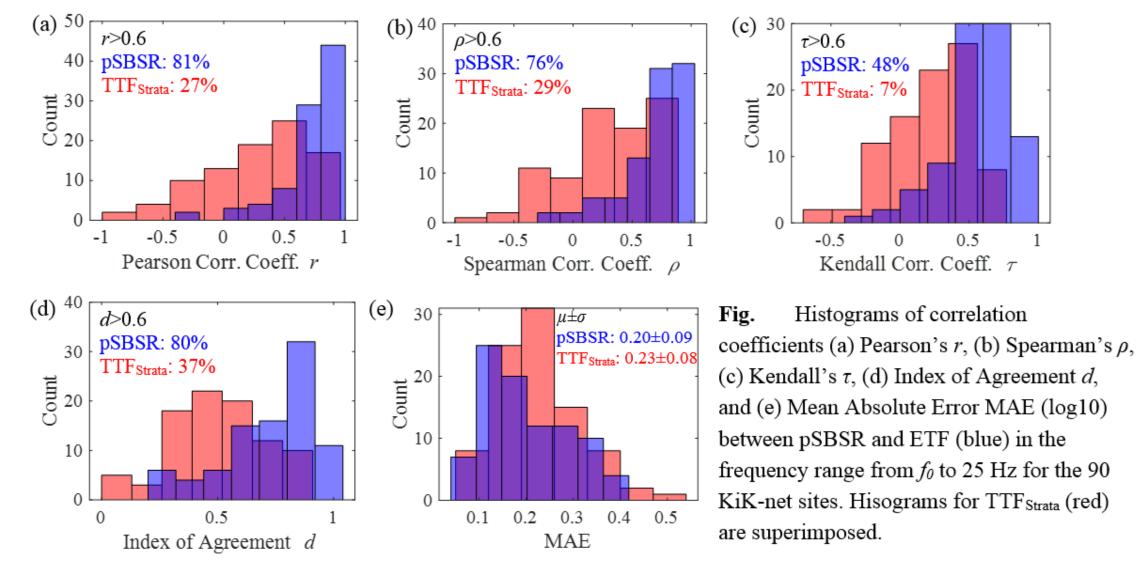


Fig. HVSR, TTFStrata and pSBSR at sites (a) TCGH07 and (b) IWTH04.

Goodness-of-fit (GoF) metrics

Goodness-of-fit metric	Expression	Range	Measure	Interpretation	
Pearson's r	$\frac{\sum_{i=1}^{n} (x_{i-}\bar{x})(y_{i-}\bar{y})}{\sqrt{\sum_{i=1}^{n} (x_{i-}\bar{x})^2} \sqrt{\sum_{i=1}^{n} (y_{i-}\bar{y})^2}}$	[-1, 1]	Linear relationship	Measure the closeness in shape (alignment of peaks and troughs)	
Spearman's ρ	$\frac{cov(rg_x, rg_y)}{\sigma_{rg_x}\sigma_{rg_y}}$	[-1, 1]	Ordinal relationship		
Kendall's τ	$\frac{2[\sum_{i < j} sgn(x_i - x_j)sgn(y_i - y_j)]}{n(n-1)}$	[-1, 1]	Ordinal relationship	r	
Index of Agreement d	$1 - \frac{\sum_{i=1}^{n} (x_{i-}y_{i})^{2}}{\sum_{i=1}^{n} (y_{i} - \bar{x} + x_{i} - \bar{x})^{2}}$	$\frac{\sum_{i=1}^{n} (x_i - y_i)^2}{\sum_{i=1}^{n} (y_i - \bar{x} + x_i - \bar{x})^2} \qquad [0, 1] \qquad \begin{array}{c} \text{Degree of diff} \\ \text{(relative)} \end{array}$		Measure the difference in amplitude	
Mean Absolute Error MAE	Error $\frac{\sum_{i=1}^{n} y_i - x_i }{n}$		Degree of difference (absolute)		

pSBSR vs. TTF



pSBSR vs. TTF

 Table. Success rates of TTFStrata and pSBSR in reproducing SBSR under different definitions of "good match"

Estimation	<i>r</i> >0.60	r>0.60 d>0.60	r>0.65 d>0.65	<i>r</i> >0.60 MAE<0.25	<i>r</i> >0.65 MAE<0.20
TTF	27%	27%	18%	22%	14%
pSBSR	81%	76%	68%	62%	50%

Summary

The empirical correction to HVSR is highly effective and achieves a "good match" in both spectral shape and amplitude at the majority of the 90 KiK-net sites, as opposed to less than one-third for the 1DSH modelling. In addition, the empirical correction does not require a ground model as GRA and thus has great potentials in seismic hazard assessments.

Thank you very much!