The role of water vapor and cloud feedback on the evolution of the Indian summer monsoon over the last 22,000 years

Chetankumar Jalihal

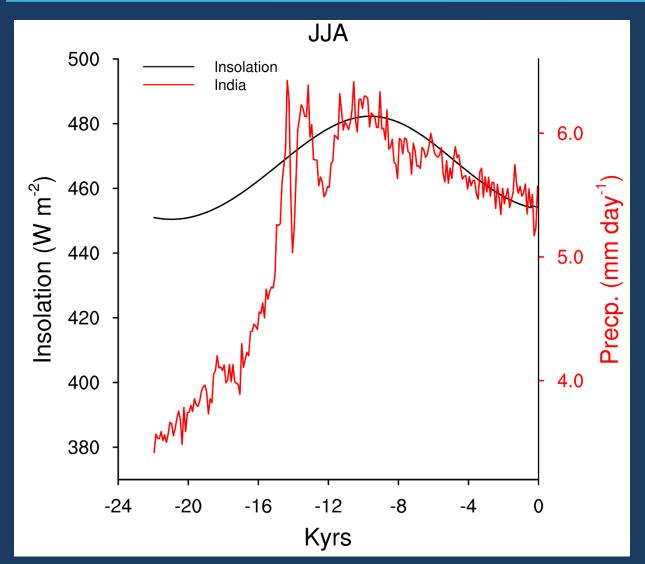


Guided by: Prof. J. Srinivasan & Prof. Arindam Chakraborty



Short version

DIFFERENT SENSITIVITY OF MONSOON TO INSOLATION



TraCE21K simulation

Model: CCSM3, fully coupled ESM, with transient boundary conditions, 3.75° x 3.75°

Duration: 22 Kyrs



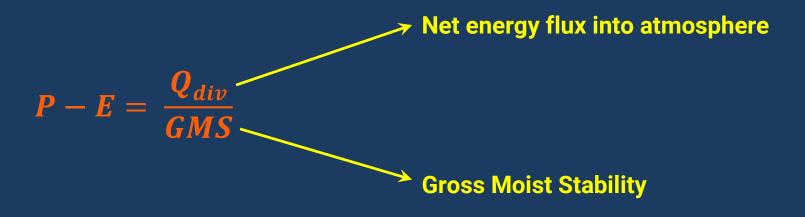
OBJECTIVE

Identify the feedbacks.

Quantify the role of forcings and feedbacks.



(Neelin & Held 1987; Raymond 2009)

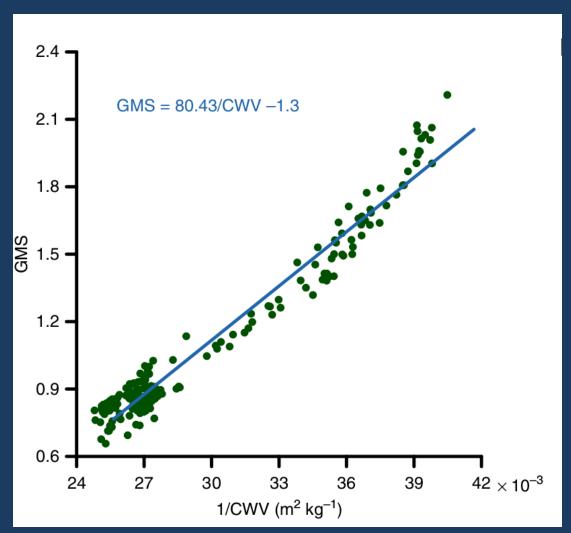


$$GMS = -\frac{\int_{P_B}^{P_T} \overrightarrow{\boldsymbol{U}} \cdot \nabla \boldsymbol{m} + \boldsymbol{\omega} \frac{\partial \boldsymbol{m}}{\partial p} dp}{L_v \int_{P_B}^{P_T} \overrightarrow{\boldsymbol{U}} \cdot \nabla \boldsymbol{q} + \boldsymbol{\omega} \frac{\partial \boldsymbol{q}}{\partial p} dp}$$



METHOD

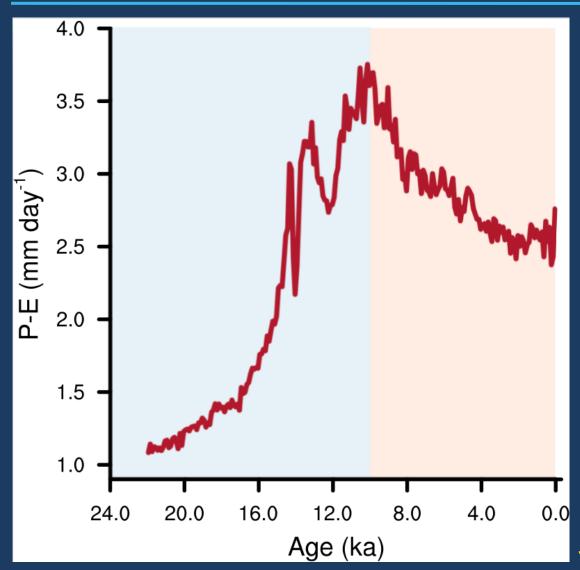
GMS IS A UNIQUE FUNCTION OF WATER VAPOR



$$P - E = \frac{Q_{div}}{GMS}$$

$$P - E = \frac{Q_{div}}{80.4/_{CWV} - 1.3}$$

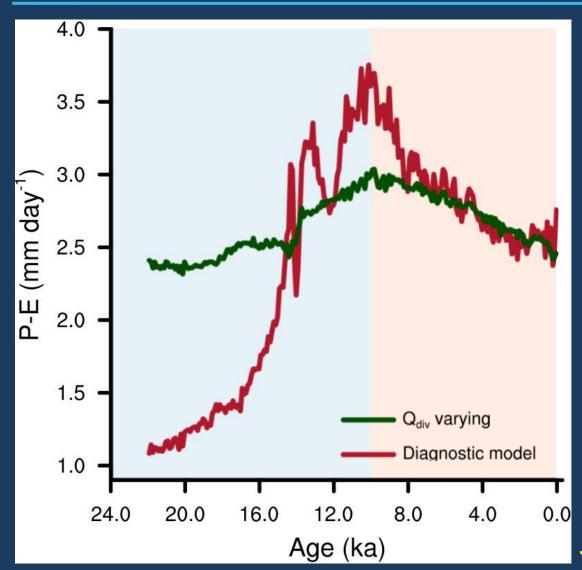
(P-E) OVER THE LAST 22,000 YRS



$$P - E = \frac{Q_{div}}{80.4/cWV - 1.3}$$



Q_{DIV} DRIVES (P-E) DURING HOLOCENE

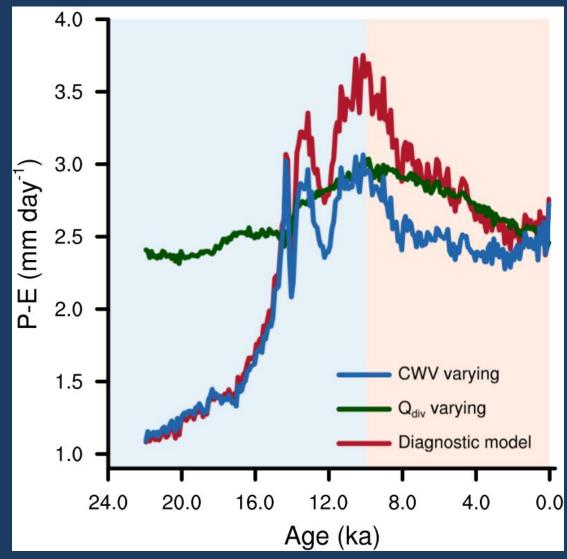


$$P - E = \frac{Q_{div}}{80.4/_{CWV} - 1.3}$$

CWV fixed at pre-industrial values.



WATER VAPOR PLAYS CRUCIAL ROLE DURING DEGLACIAL

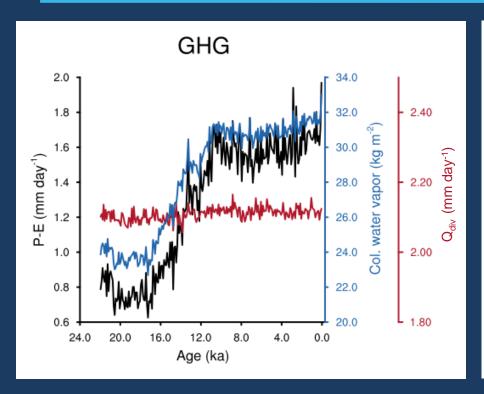


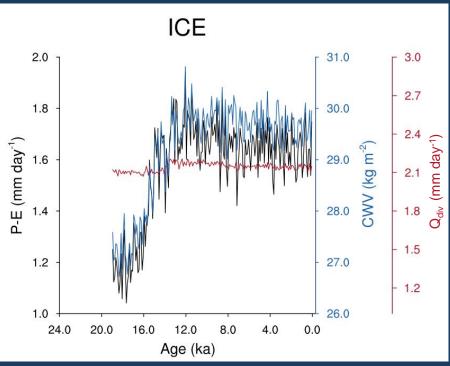
$$P - E = \frac{Q_{div}}{80.4/_{CWV} - 1.3}$$

Q_{div} fixed at pre-industrial values.



GREENHOUSE GASES AND ICE SHEETS AFFECT GMS ALONE





$$P - E = \frac{Q_{div}}{80.4/_{CWV} - 1.3}$$

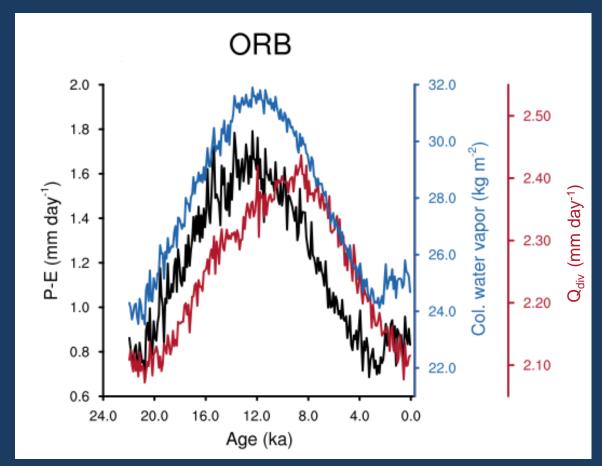
GHG and ice sheets do not influence Q_{div}

Jalihal et al. (2019) Nat. Comm.

8



ORBITAL FORCING AFFECTS BOTH GMS AND Q_{DIV}

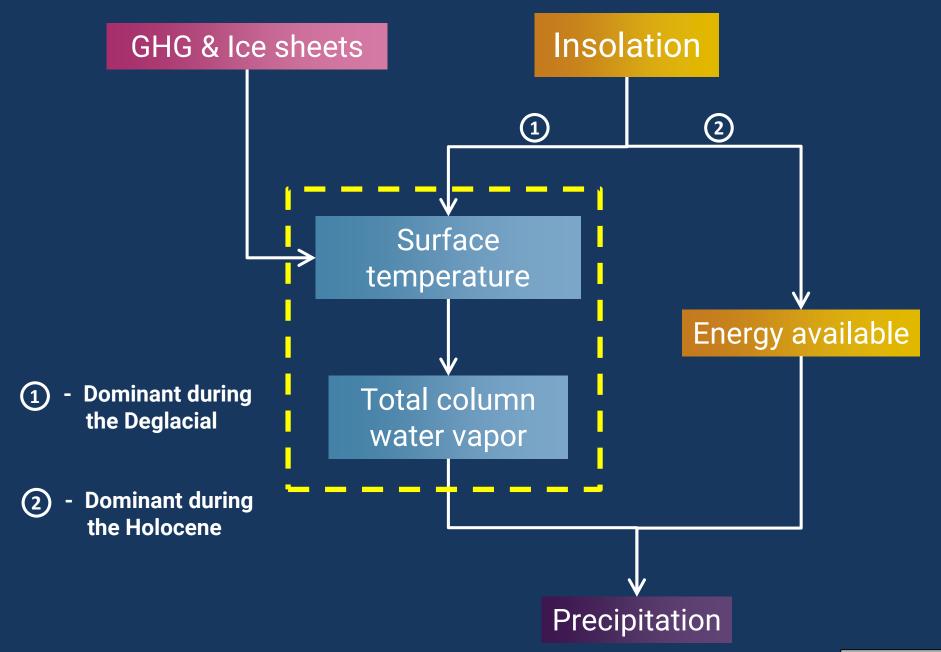


$$P - E = \frac{Q_{div}}{80.4/_{CWV} - 1.3}$$

Even though both
Qdiv and GMS are
influenced,
GMS is dominant,
when boundary
conditions are that of
LGM.

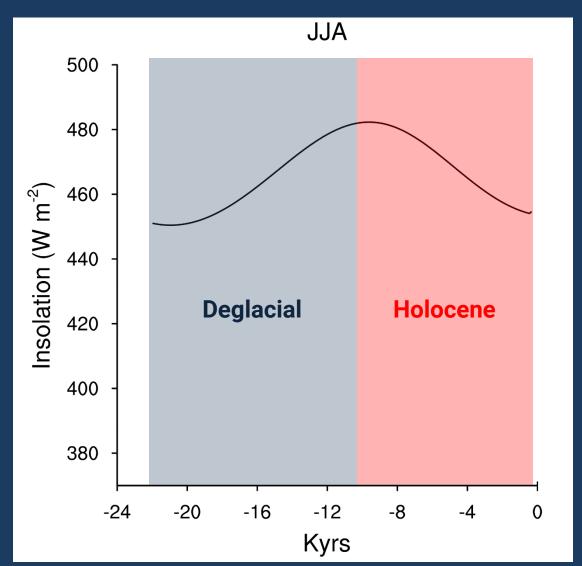
Jalihal et al. (2019) Nat. Comm.





Long version

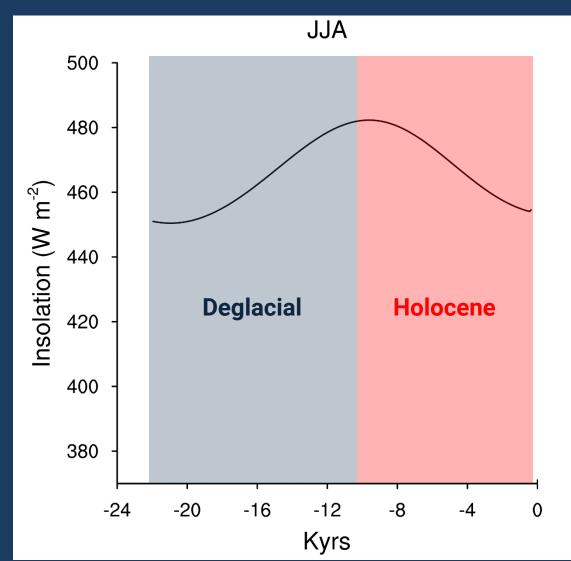
INSOLATION OVER LAST 22,000 YRS

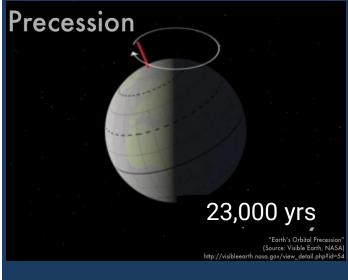


Summer insolation over India

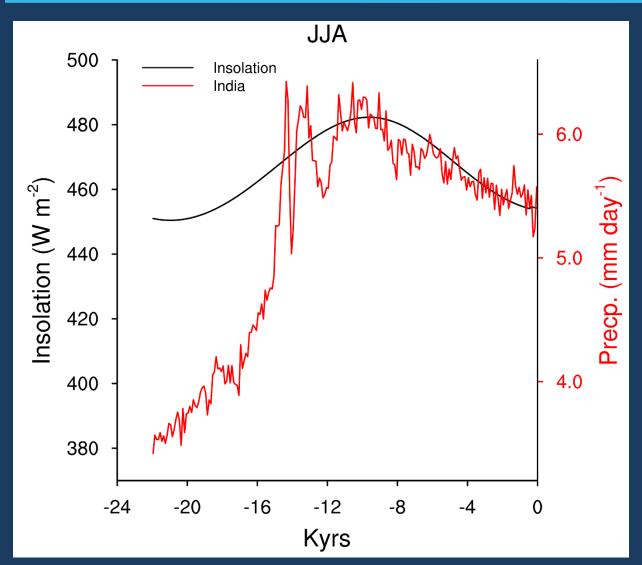


THIS VARIATION IS DUE TO PRECESSION OF EARTH





DIFFERENT SENSITIVITY OF MONSOON TO INSOLATION



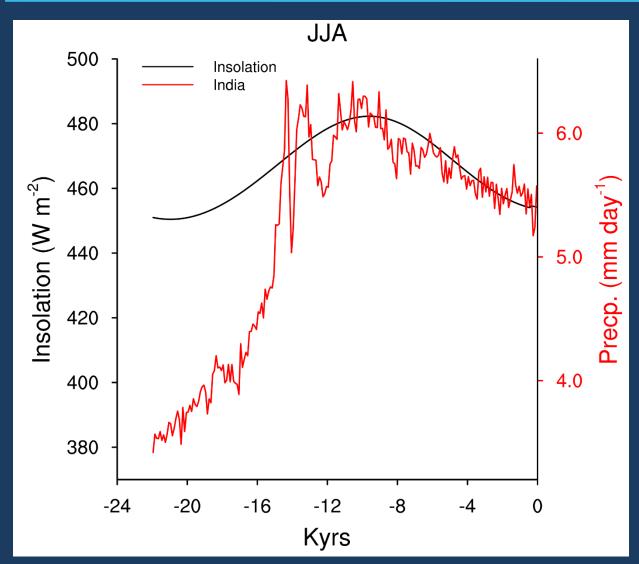
TraCE21K simulation

Model: CCSM3, fully coupled ESM, with transient boundary conditions, 3.75° x 3.75°

Duration: 22 Kyrs



DIFFERENT SENSITIVITY OF MONSOON TO INSOLATION



Deglacial forcings: Insolation greenhouse gases ice sheets

Holocene forcings: Mainly insolation



OBJECTIVE

Identify the feedbacks.

Quantify the role of forcings and feedbacks.



Method

Based on the equations for **conservation of moisture & Moist Static Energy.**

$$\int_{Pt}^{Pb} \left(\vec{U} \cdot \nabla m + \omega \frac{\partial m}{\partial p} \right) dp = g[Fb - Ft]$$

$$\int_{Pt}^{Pb} \left(\vec{U} \cdot \nabla q + \omega \frac{\partial q}{\partial p} \right) dp = g[E - P]$$

m - Moist Static Energy;

$$(m = C_p * T + g * Z + Lv * q)$$

Fb - Bottom Fluxes

Ft - Fluxes at Top of Atm.

u - x component of velocity

q - Specific Humidity (kg/Kg)

ω - Vertical velocity (Pa/s)

Pb - Surface Pressure

Pt - Top Pressure

v - y component of velocity

(Neelin & Held 1987; Raymond 2009)

$$P-E=\frac{Q_{div}}{GMS}$$

$$GMS = -\frac{\int_{P_B}^{P_T} \overrightarrow{U} \cdot \nabla m + \omega \frac{\partial m}{\partial p} dp}{L_v \int_{P_B}^{P_T} \overrightarrow{U} \cdot \nabla q + \omega \frac{\partial q}{\partial p} dp}$$

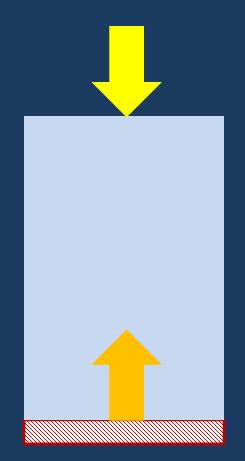
(Neelin & Held 1987; Raymond 2009)

$$P - E = \frac{Q_{div}}{GMS}$$

Net energy flux into atmosphere (top + bottom)

Over land net surface energy fluxes are small.

$$GMS = -\frac{\int_{P_B}^{P_T} \overrightarrow{U} \cdot \nabla m + \omega \frac{\partial m}{\partial p} dp}{L_{\nu} \int_{P_B}^{P_T} \overrightarrow{U} \cdot \nabla q + \omega \frac{\partial q}{\partial p} dp}$$





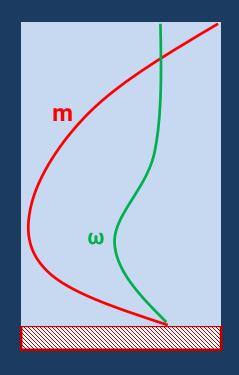
(Neelin & Held 1987; Raymond 2009)

$$P-E=\frac{Q_{div}}{GMS}$$

Gross Moist Stability.

Primarily depends on vertical profile of m and ω

$$GMS = -\frac{\int_{P_B}^{P_T} \overrightarrow{\boldsymbol{U}}.\nabla \boldsymbol{m} + \boldsymbol{\omega} \frac{\partial \boldsymbol{m}}{\partial p} dp}{L_{\nu} \int_{P_B}^{P_T} \overrightarrow{\boldsymbol{U}}.\nabla \boldsymbol{q} + \boldsymbol{\omega} \frac{\partial \boldsymbol{q}}{\partial p} dp}$$

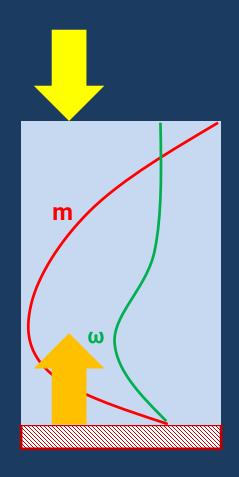




(Neelin & Held 1987; Raymond 2009)

$$P - E = \frac{Q_{div}}{GMS}$$

$$GMS = -\frac{\int_{P_B}^{P_T} \overrightarrow{\boldsymbol{U}}.\nabla \boldsymbol{m} + \boldsymbol{\omega} \frac{\partial \boldsymbol{m}}{\partial p} dp}{L_{\nu} \int_{P_B}^{P_T} \overrightarrow{\boldsymbol{U}}.\nabla \boldsymbol{q} + \boldsymbol{\omega} \frac{\partial \boldsymbol{q}}{\partial p} dp}$$





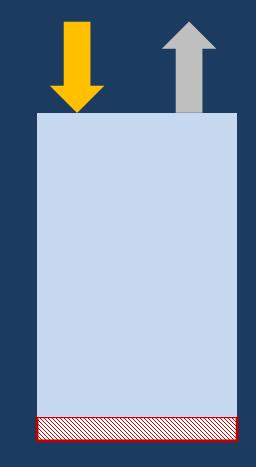
A CLOSER LOOK AT Q_{DIV}





TOA_OLR - Net Outgoing Longwave Radiation

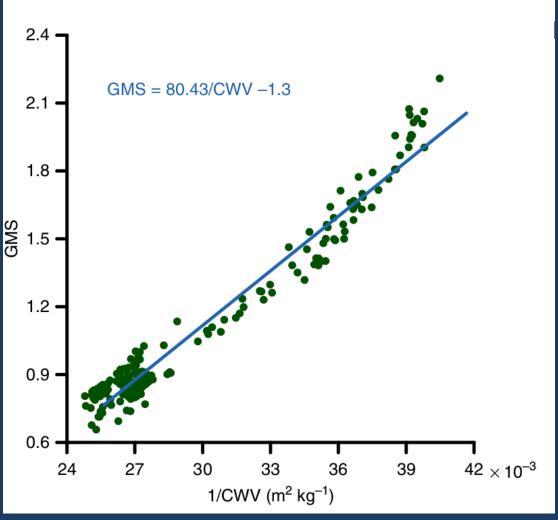
Qdiv over land is influenced by insolation and cloud radiative feedback.





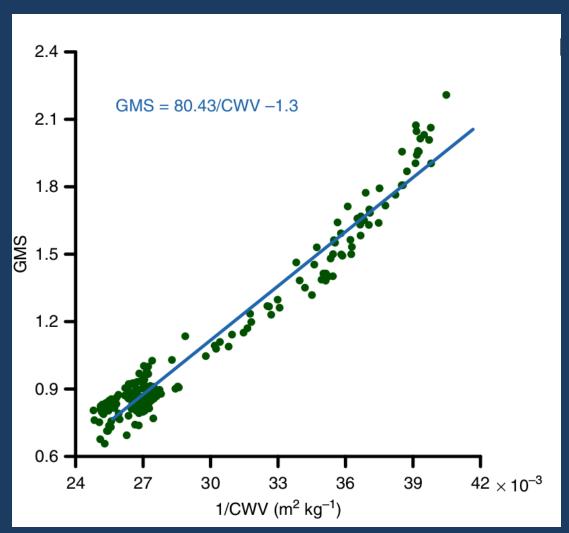
Results

GMS IS A UNIQUE FUNCTION OF WATER VAPOR





GMS IS A UNIQUE FUNCTION OF WATER VAPOR

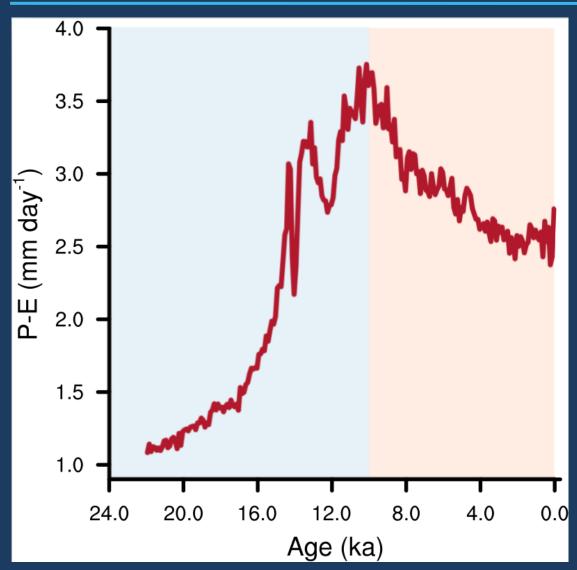


$$P - E = \frac{Q_{div}}{GMS}$$

$$P - E = \frac{Q_{div}}{80.4/_{CWV} - 1.3}$$



(P-E) OVER THE LAST 22,000 YRS

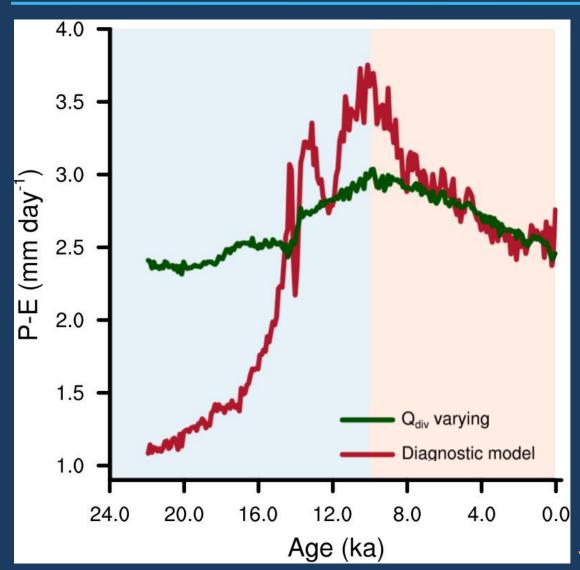


$$P - E = \frac{Q_{div}}{80.4/cWV - 1.3}$$

Jalihal et al. (2019) Nat. Comm.



Q_{DIV} DRIVES (P-E) DURING HOLOCENE

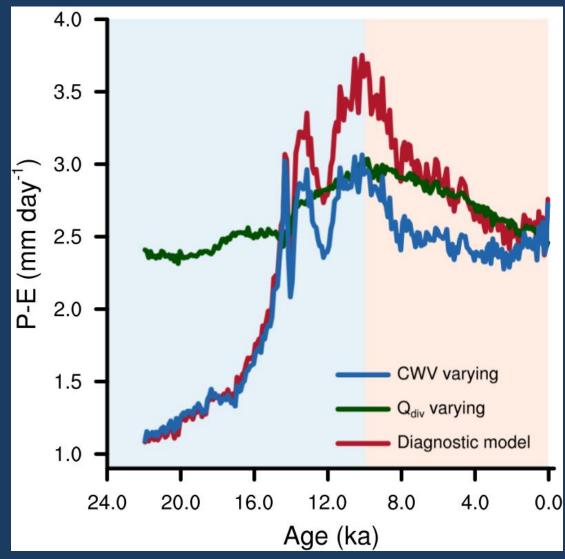


$$P - E = \frac{Q_{div}}{80.4/_{CWV} - 1.3}$$

CWV fixed at pre-industrial values.



WATER VAPOR PLAYS CRUCIAL ROLE DURING DEGLACIAL



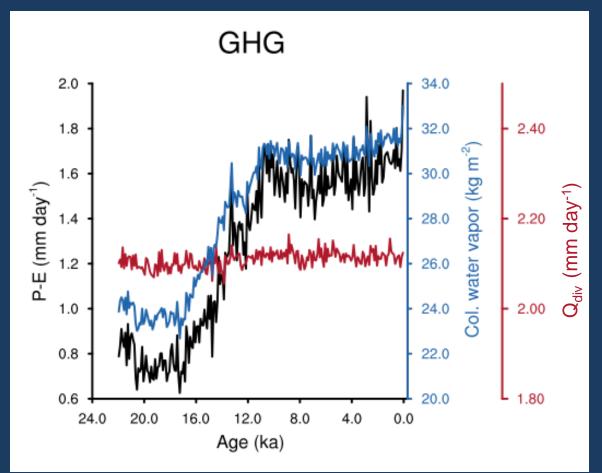
$$P - E = \frac{Q_{div}}{80.4/cWV - 1.3}$$

Q_{div} fixed at pre-industrial values.



Role of different forcings

GREENHOUSE GASES AFFECT GMS ALONE



$$P - E = \frac{Q_{div}}{80.4/cWV - 1.3}$$

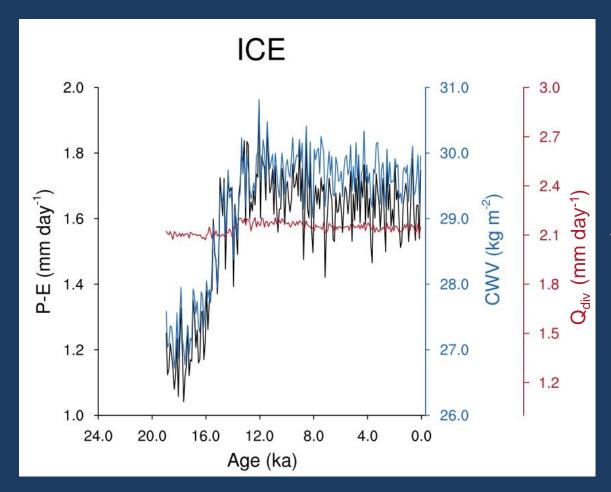
GHG does not influence Q_{div}

12

Jalihal et al. (2019) Nat. Comm.



ICE SHEETS AFFECT GMS ALONE



$$P - E = \frac{Q_{div}}{80.4/cWV - 1.3}$$

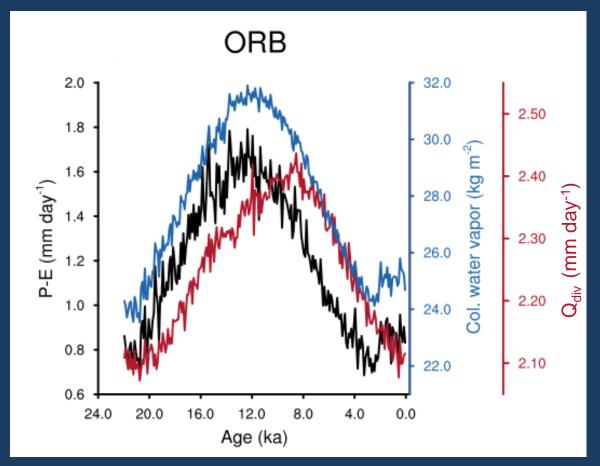
Ice sheets do not influence Q_{div}

13

Jalihal et al. (2019) Nat. Comm.



ORBITAL FORCING AFFECTS BOTH GMS AND Q_{DIV}



$$P - E = \frac{Q_{div}}{80.4/_{CWV} - 1.3}$$

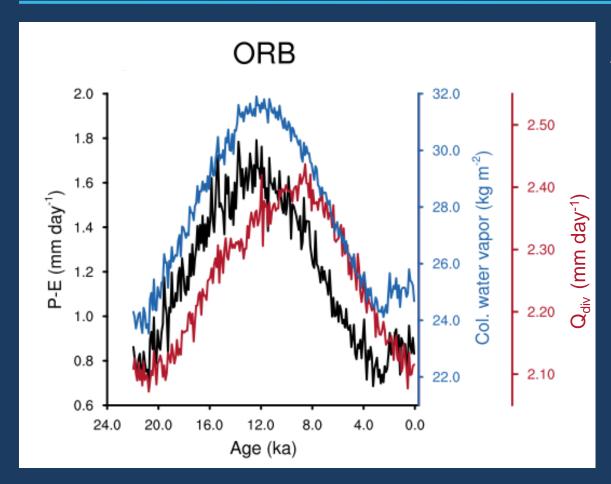
Even though both Qdiv and GMS are influenced, GMS is dominant.

14

Jalihal et al. (2019) Nat. Comm.



ORBITAL FORCING WITH GLACIAL BOUNDARY CONDITIONS



$$P - E = \frac{Q_{div}}{80.4/_{CWV} - 1.3}$$

ORB:

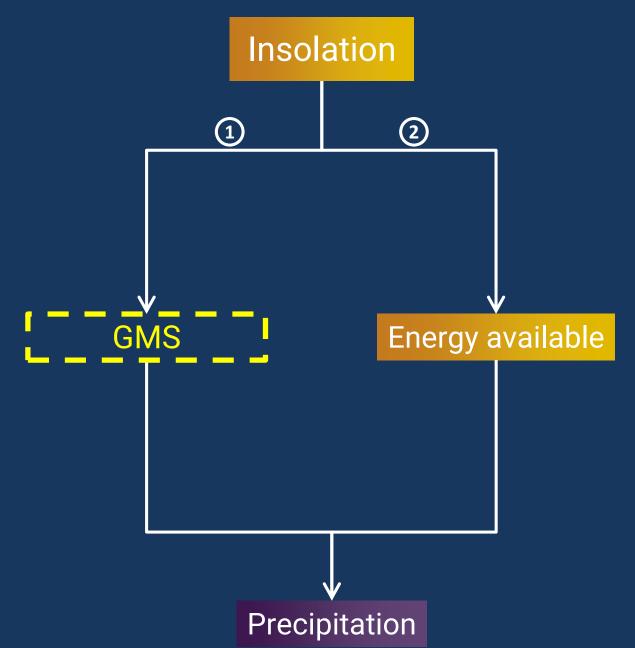
orbital parameters only. Constant LGM values for all other boundary conditions.

During cold periods, orbital forcing drives monsoon through GMS.

15

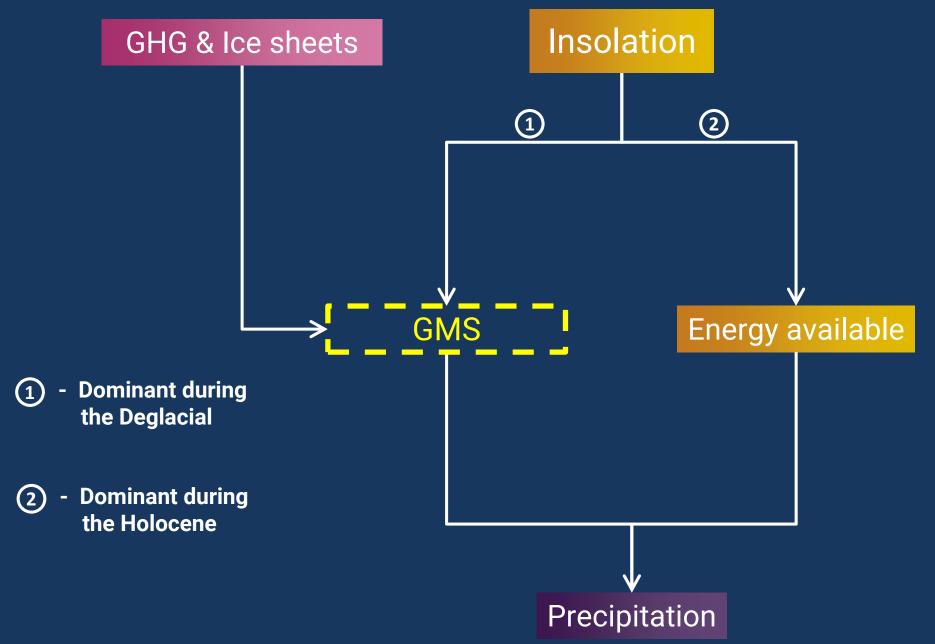
Jalihal et al. (2019) Nat. Comm.

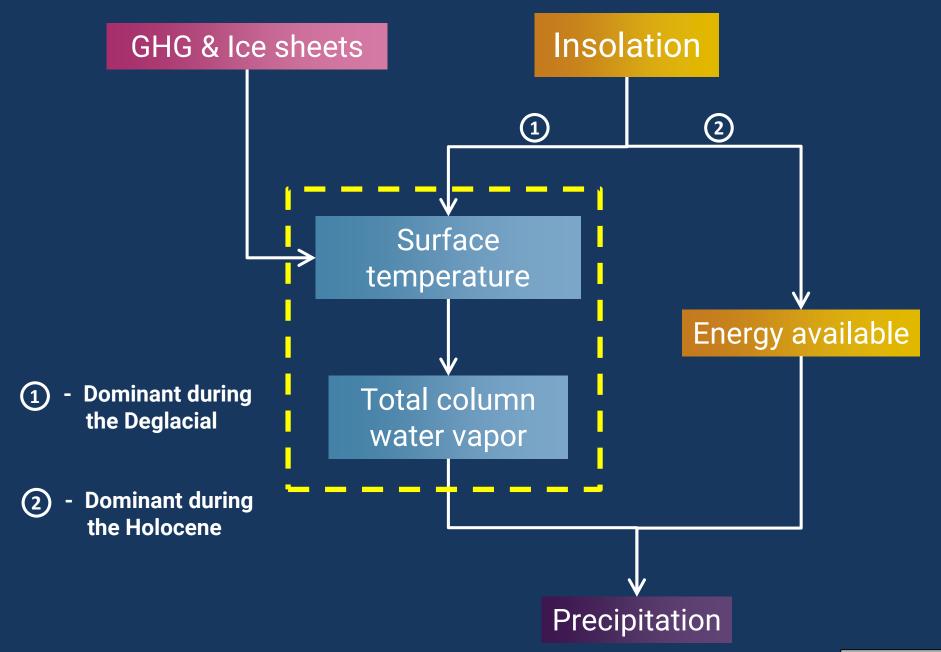




- 1 Dominant during the Deglacial
- 2 Dominant during the Holocene







Conclusions

CONCLUSIONS

• Changes in insolation is an initial trigger, final response involves feedbacks as well.

· Water vapor feedback amplifies solar forcing during deglacial.

 Cloud radiative feedback influences monsoon during Holocene.



CONCLUSIONS

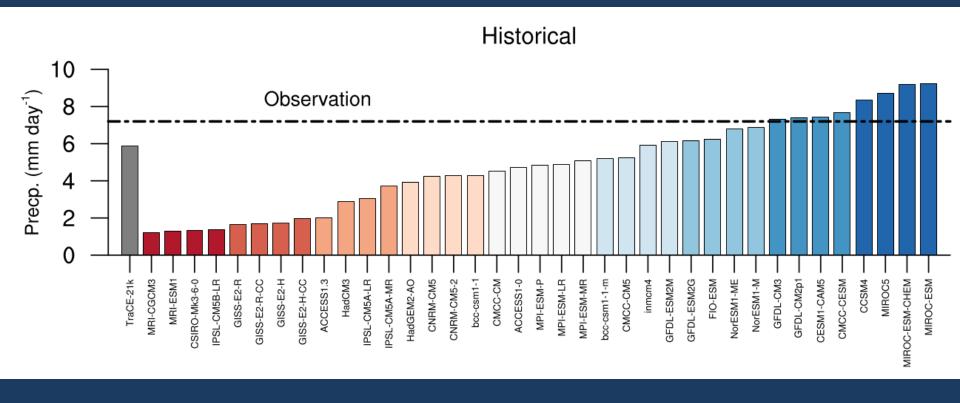
 Insolation can drive monsoon through two different pathways.

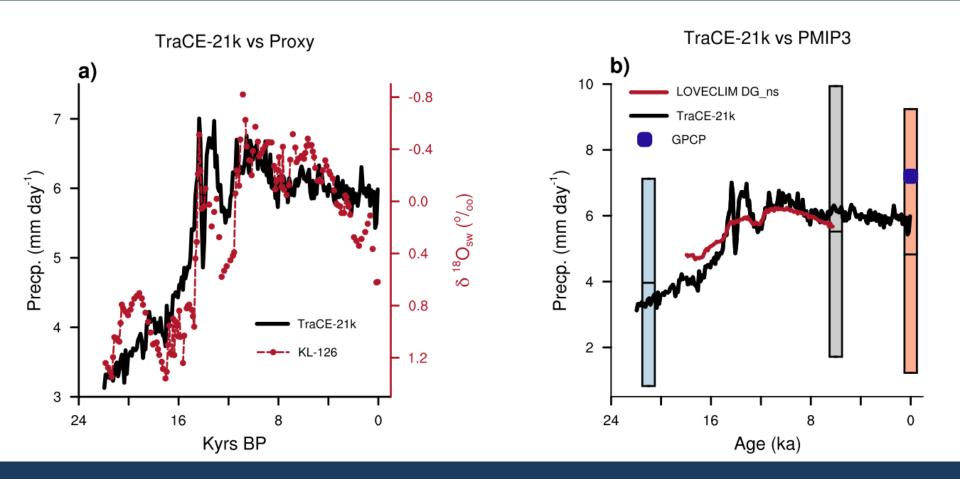
 Through energy available during warm periods, and through GMS during cold periods

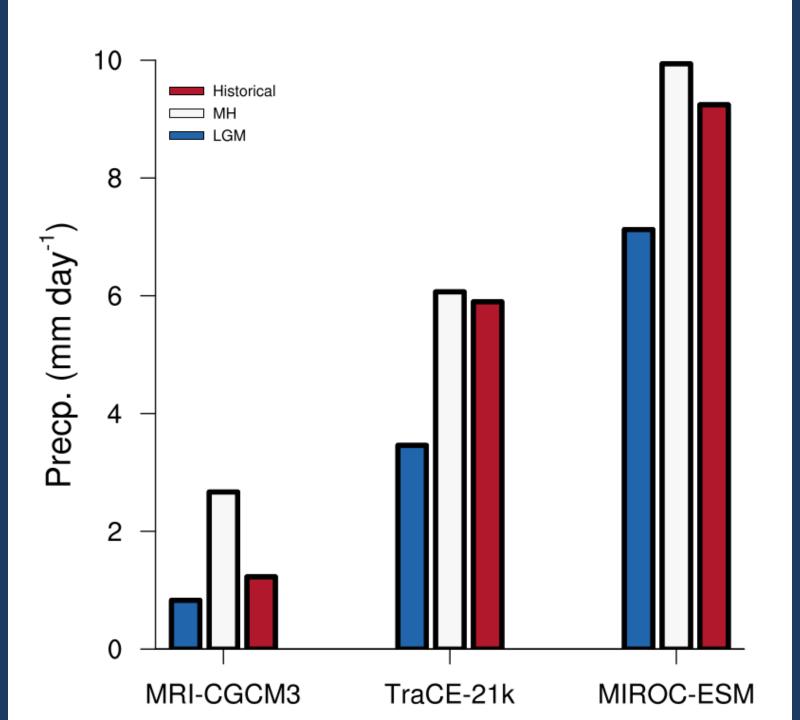
Greenhouse gases and ice sheets only affect GMS.

Thank you

Extra Slides

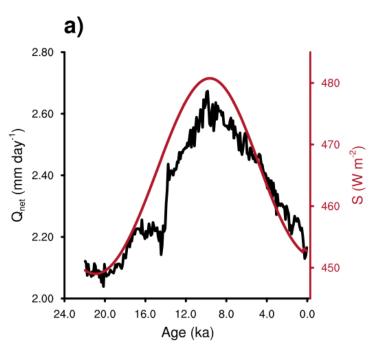


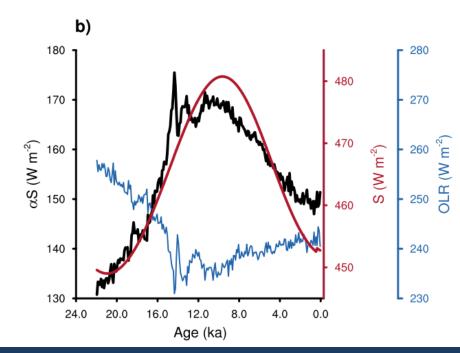


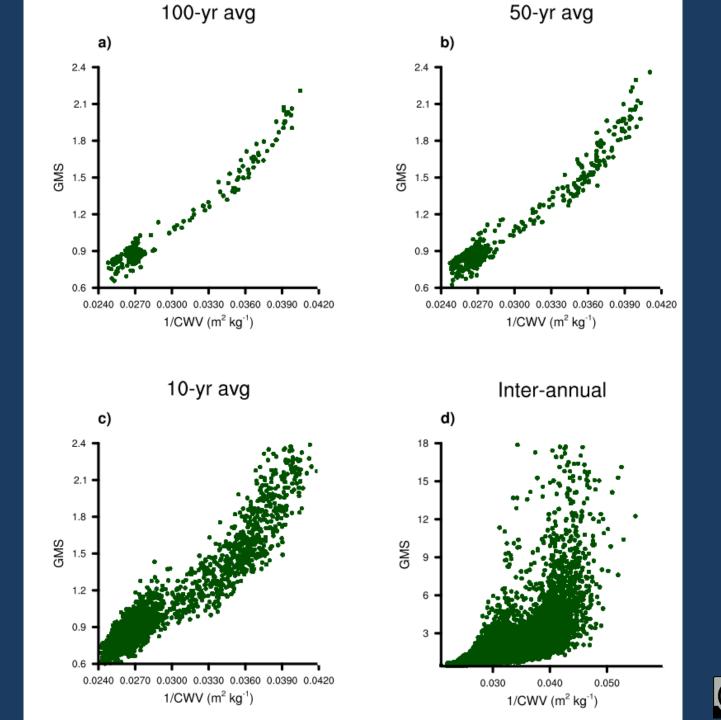




TraCE-21k (JJA)

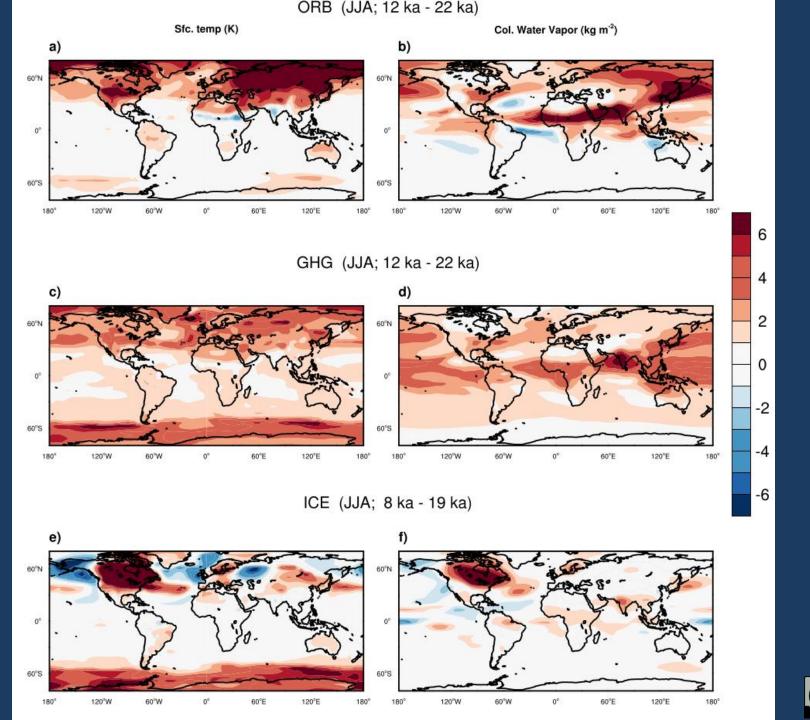


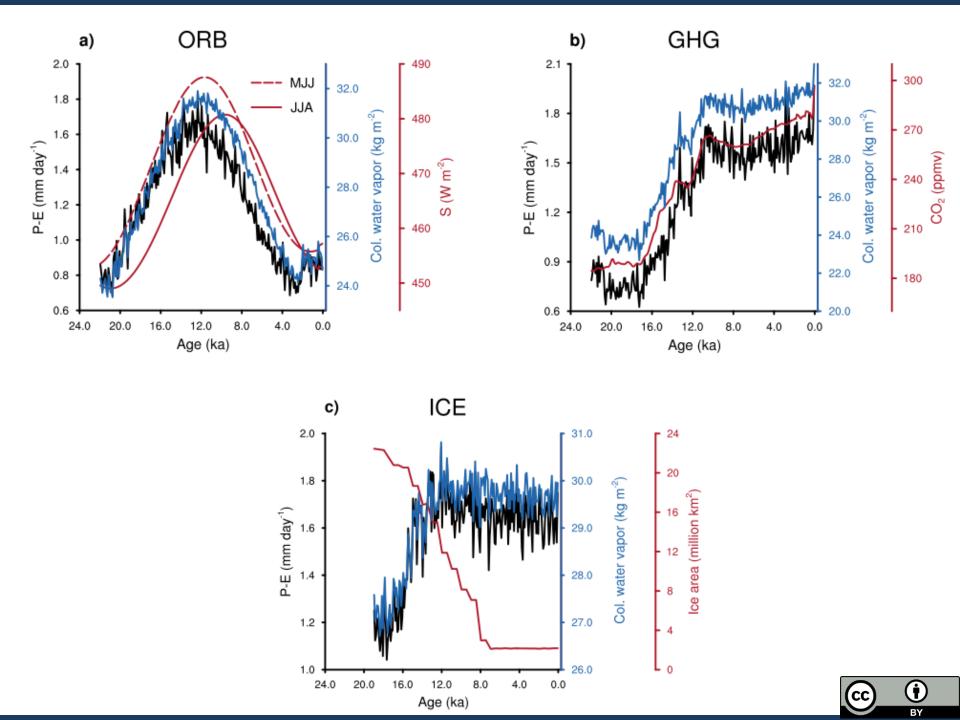


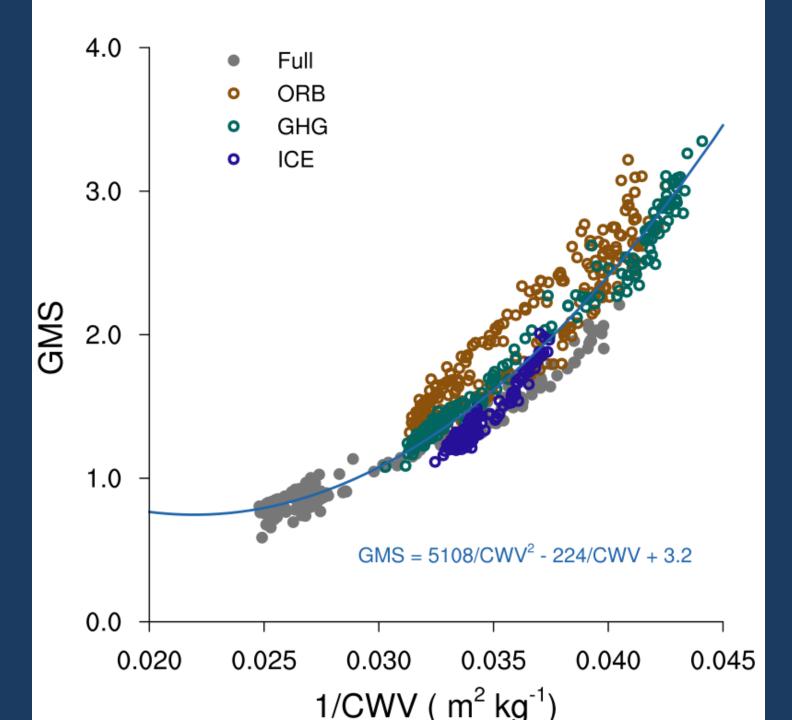




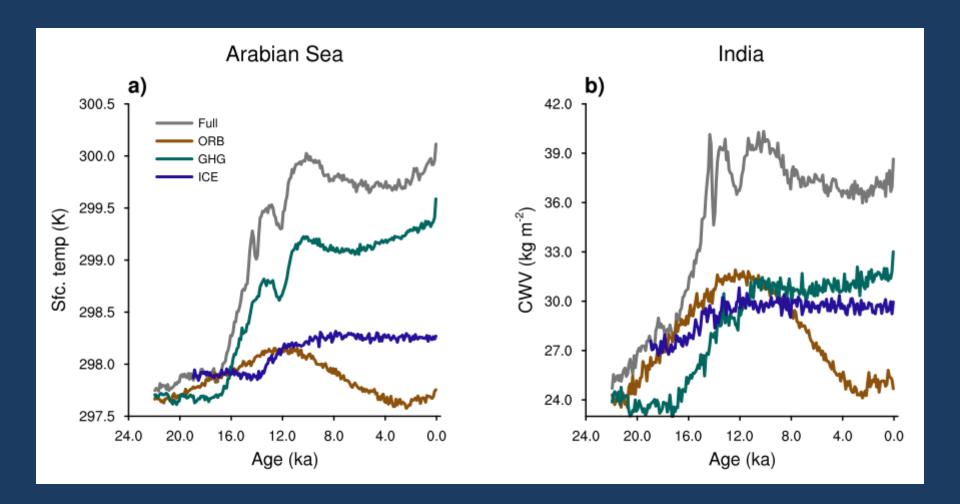












TraCE-21k (JJA; 1850 - 1950 AD)

