

Identifying and Quantifying the Role of Magnetic Reconnection in Space Plasma Turbulence.

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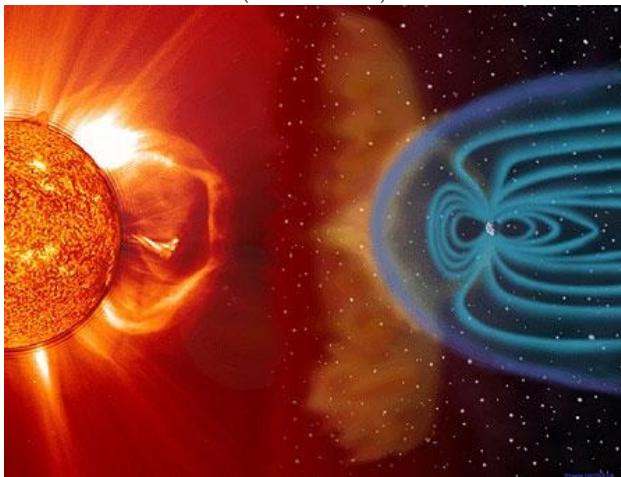


Introduction: The solar wind and collisionless energy dissipation

Solar Wind

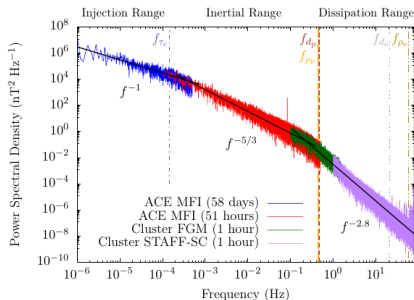
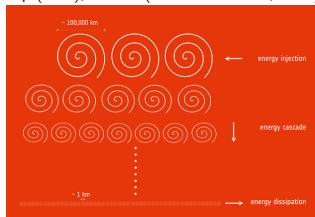
(Taken from NASA)

- Parameters change with distance;
- Solar wind heating;
- Nearly collisionless plasma;
- Energy dissipation;
- In-Situ measurements.

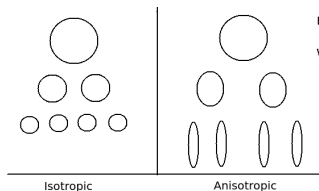


Turbulence in the Solar Wind

Top (ESA), Bottom (Verscharen et al., 2019)



■ Anisotropy.



In the inertial range¹, $E \sim k_{\perp}^{-1.7}$,
 $E \sim k_{\parallel}^{-2}$;

CB: $k_{\parallel} \sim k_{\perp}^{2/3}$.

In the kinetic range²,
 $E \sim (k_{\perp}^{-2.3} - k_{\perp}^{-2.8})$, $E \sim (k_{\parallel}^{-3.5} - k_{\parallel}^{-5})$;

CB: $k_{\parallel} \sim (k_{\perp}^{1/3} - k_{\perp}^{2/3})$.

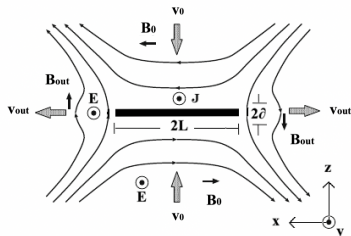
¹Horbury et al, 2008; Alexandrova et al., 2009; Wicks et al., 2010; Goldreich & Sridhar, 1995.

²Chen C.H.K. et al., 2010, 2011, 2012; Alexandrova et al, 2013; Cho & Lazarian, 2004; Boldyrev & Perez, 2012.

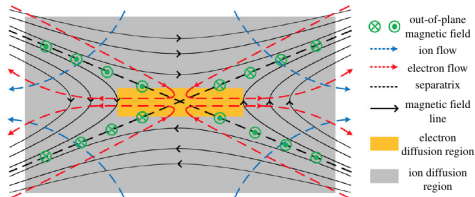
Magnetic Reconnection in the Solar wind

2D reconnection

Adapted from: (Top) Somov,(2012); (Bottom) Zweibel & Yamada, (2016)



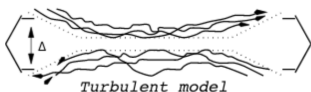
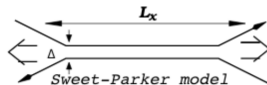
Zweibel & Yamada, (2016)



Adapted from

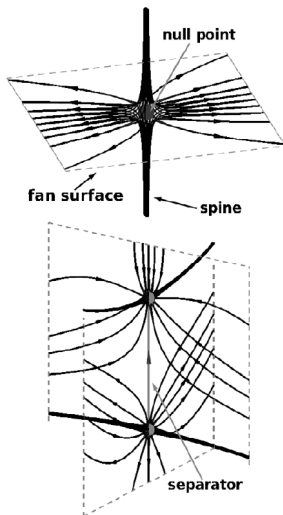
- Plasmoid instability speeds up reconnection;
- X points outside of current sheets due to guide field and anisotropies, (Eastwood et al., 2013; Wang et al., 2014);
- Wandering of the magnetic field lines and suppression of plasmoid instability in 3D (Lazarian et al., 2020).

Adapted from Lazarian et al. (2019)



3D reconnection

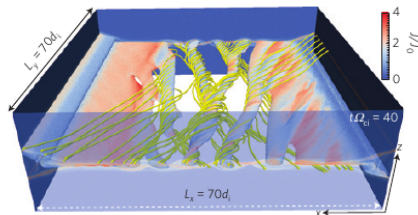
Adapted from Pontin, (2011)



- Magnetic reconnection requires the presence of a dissipation region, $E_{||} \neq 0$ (Schindler & Hesse, 1988).

$$\int_{fl} E_{||} ds \neq 0,$$

Adapted from Daughton et al. (2011)



What is the link between reconnection and turbulence?

Turbulence in reconnection

- AWs generate turbulence and CSs (Howes, 2016);
- In the Harris CS, plasmoid instability enhance reconnection rate (Daughton et al., 2011; Boldyrev & Loureiro, 2017 (2019)).

Reconnection in turbulence

- At the smallest scales decoupling of electrons and ions;
- Reconnection as a dissipation channel of turbulent energy. (Luca et al., 2017, Cerri et al., 2017; Grošelj et al. 2018).

Questions to answer

- 1 Is reconnection generated by the turbulent cascade?
- 2 How 3D reconnection looks like?
- 3 How reconnection dissipates energy?

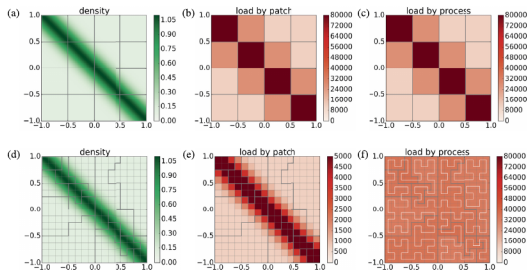
The PIC code (Germaschewski, et al. 2016)

Plasma simulation code

- Why this PIC?
- Why this code?
- Explicit Particle In Cell (PIC);
- Code with explicit discretization of fields and particles motion;
- Highly parallelizable;
- Load balancing makes the work per patch roughly similar.

Computational facilities

- TRILLIAN, UNH;
- DiRAC: Data Intensive at Leicester, UK.



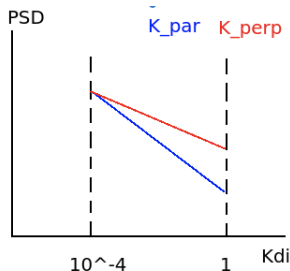
Adapted from Germaschewski, et al. (2016)

Set up to produce anisotropic kinetic turbulence

Initialisation and numerical set up

$$\frac{\delta \mathbf{v}_m^\alpha}{v_A} = \mp \frac{\delta \mathbf{B}_m^\alpha}{B_0};$$

$$k_{m,\parallel} \rho_i = C (|\mathbf{k}_{m,\perp}| \rho_i)^{2/3}.$$



Counter propagating AWs. Random phases (ψ). Periodic boundary conditions.

$$L_x \times L_y \times L_z = 24d_i \times 24d_i \times 125d_i.$$

$$\Delta x = \Delta y = \Delta z = 0.06d_i. \quad \rho_i = \sqrt{\beta} d_i$$

$$m_i/m_e = 100. \quad V_A/c = 0.1,$$

$$\beta_i = \beta_e = 1, \quad \beta = \frac{nk_B T 2\mu_0}{B^2}$$

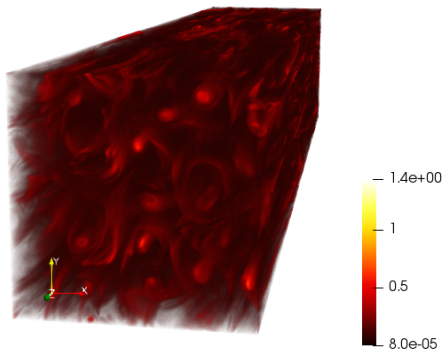
$$T_{i,\perp}/T_{i,\parallel} = T_{e,\perp}/T_{e,\parallel} = 1.$$

$$n_e = n_i = 100. \quad \mathbf{B}_0 = B_0 \hat{z}.$$

The time step is $0.06/\omega_{pi}$ where ω_{pi} is ion plasma frequency. Outputs stored every $24/\omega_{pi}$ or $0.02 \tau_A$.

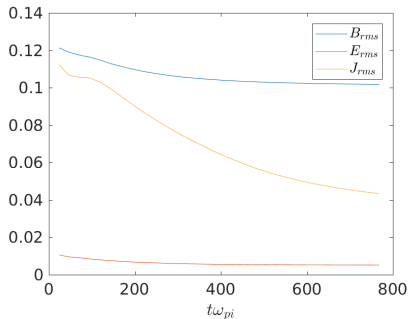
Evidences of turbulence in the simulation domain

$|J|$ isosurfaces at $t\omega_{pi} = 120$



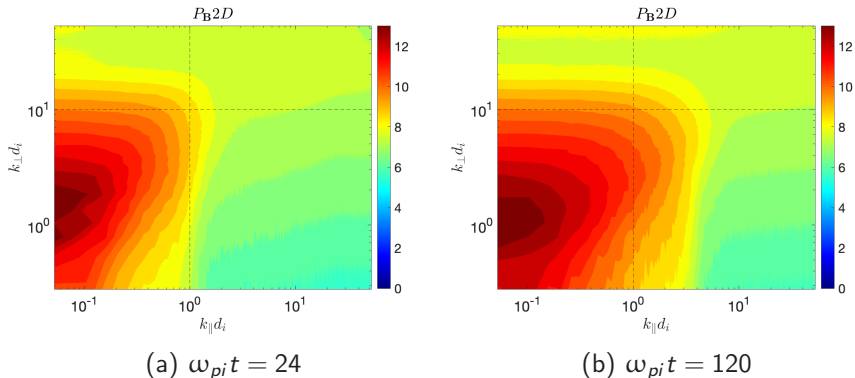
Formation of small scale structures.

Time evolution



Highly turbulent state between $\omega_{pi}t = 72$ and $\omega_{pi}t = 144$.

Turbulent features

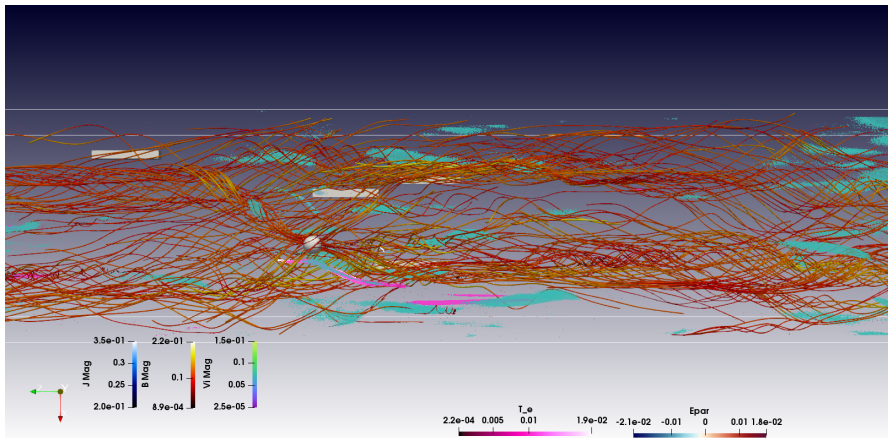


Isocontours of the reduced 2D PSD in the $(k_{\parallel}, k_{\perp})$ for magnetic field at $\omega_{pi} t = 24$ (a) and $\omega_{pi} t = 120$ (b). Broadening of the parallel cascade.

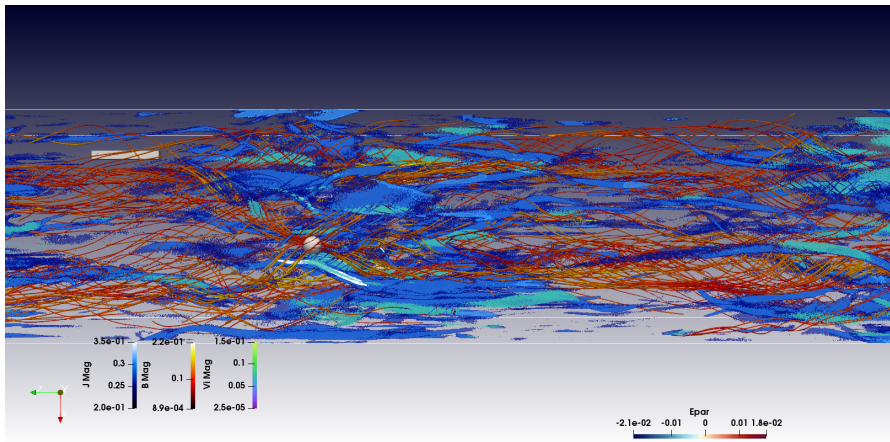
Finding reconnection sites in the simulation domain

Indicators of reconnection

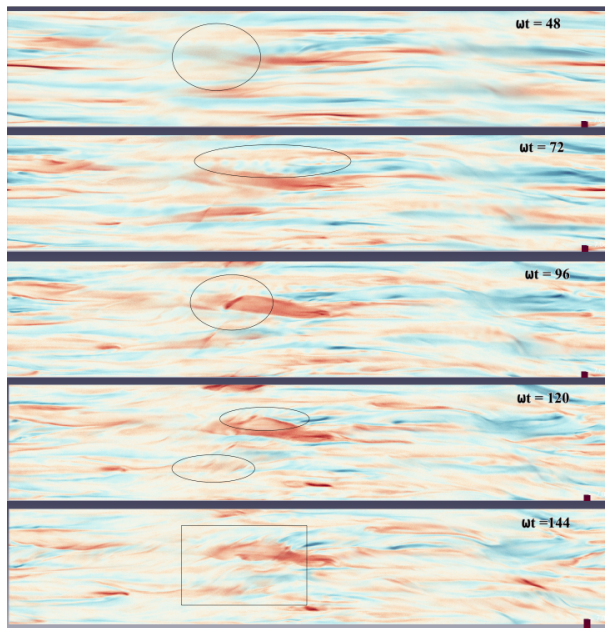
- Current sheets structures, $|J| \geq \langle J \rangle + N_{th} * \sigma_{st}(J)$, where $\langle \dots \rangle$ represents the mean value taken over the entire simulation domain and $\sigma_{st}(J) = \sqrt{\langle J^2 \rangle - \langle J \rangle^2}$;
- Strong gradients in at least one of the components of the magnetic field and magnetic null points;
- Fast ions and electrons, $|v_{i,e}| \geq \langle v_{i,e} \rangle + N_{th} * \sigma_{st}(v_{i,e})$,
- Heated particles $|T_{i,e}| \geq \langle T_{i,e} \rangle + N_{th} * \sigma_{st}(T_{i,e})$,
- Non zero parallel electric fields $E_{\parallel} \geq \langle E_{\parallel} \rangle + N_{th} * \sigma_{st}(E_{\parallel})$, where $E_{\parallel} = \mathbf{E} \cdot \mathbf{B}/|\mathbf{B}|$.



The white sphere marks the reconnection site in which magnetic streamlines intersect and a filament of heated electrons and fast ions is present. Regions with $E_{\parallel} \neq 0$ are marked with elongated boxes. The boxes are far from reconnection site.



Extended electric current structure (current sheet-like) above the sphere. The dissipation region is a current filament.



Volume rendering of J_z at different times. Blue is negative, white is zero and red is positive. At $\omega_{pi}t = 72$ a instability is taken place. At $\omega_{pi}t = 96$ rupture in a current structure. At $\omega_{pi}t = 120$ and 144 shear spikes associated with particles exhaust.

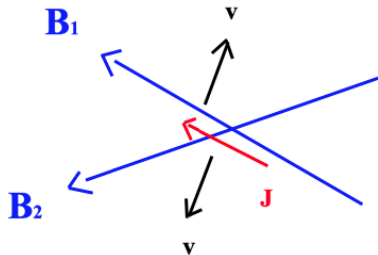
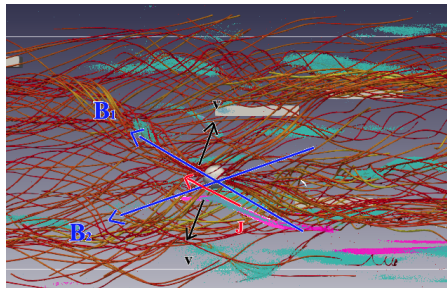


Figure: Schematic representation of our reconnection event.



- $E_{\parallel}$ is not a good indicator for reconnection in our simulation.

Future work

Develop a method that:

- Quantify the number of reconnection sites;
- Quantify the role of reconnection in the energy dissipation;
- Analyse how variables change along a 1D trajectory.

Future runs

- Start earlier in the inertial range (coupling of the large to small scale cascade matters);
- Closer output steps to study wave propagation;
- More realistic mass ratio.

Summary and conclusions

- We aiming to study dissipation in collisionless plasmas, specifically whether turbulence gives rise to reconnection, and if so how important the role of reconnection is;
- Counter propagating AW with CBGS95 as initial conditions develop a turbulent cascade consistent with observations;
- Using a general list of criteria, we identified a potential reconnection site and show that magnetic field is topologically changed. Particles are accelerated and heated near the reconnection region;
- Further work needs to be done to quantify the number of reconnection sites, the energy balance in dissipation between reconnection and other mechanisms.

Acknowledgements

- This project is funded by ESA and ICETEX (Colombia);
- Simulations are performed in DiRAC, DiL.