

Optimizing chambers for stream carbon dioxide evasion estimates; results of a controlled flume experiment

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### Introduction

- Inland waters were recently discovered as a relevant player in the global carbon cycle, especially the more turbulent one are responsible of a globally large biogeochemical flux occurring across the air-water boundary.
- Quantification of CO2 degassing in headwater streams requires the estimation of the flux across air-water interface, among the many variables, of the gas exchange velocity (k).
- The k is currently estimated via different methods all of which is associated to high uncertainty.
- Here we report an analysis, supported via experimental data, of i) two differently designed chamber and of ii) two methods available to interpret the chamber data.

# Floating chambers and CO2 sensors

- Chamber methodology (CO2 sensor: K33 ELG by SenseAir)
- Chamber types Flexible Foil

Standard

SE-0020 CM-0026



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## Study setup

### Configurations analysed



**Table 2:** Summary of the configurations setup used at the EcoCatch Flumes of the Lunz Mesocosm Infrastructure.

Co	onfiguration	$\begin{array}{c} \text{Discharge} \\ [ls^{-1}] \end{array}$	Flow velocity $[m  s^{-1}]$	$\begin{array}{c} \text{Travel Time} \\ [s] \end{array}$	Slope [ ‰]
a	R6Q1	2.74	0.083	421	0.5
b	R6Q2	5.50	0.126	278	0.5
с	R4Q2	5.63	0.202	173	2.5
d	R4Q3	7.04	0.261	134	2.5

Total of 4 slope/discharge combinations.

→ Influence of the slope (b-c);
→ Influence of the discharge (a-b), (c-d).

## Sampling description

"Anchored" (i.e. "Steady")

Fixed in a point (long-term deployments)

• "Drifting"

Free to follow the current (measurements last up to the <u>travel time</u> of the chamber in the flume)

• Post-process calibration (set to 400ppm initial value)

(This procedure does not affect k estimated via the anchored chamber)

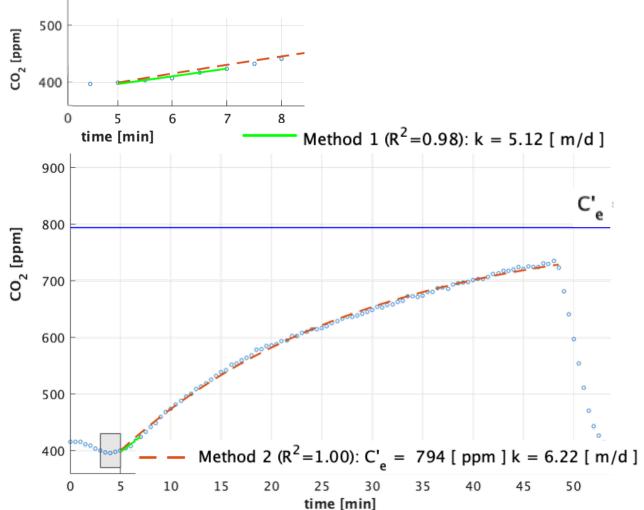
# Methods (1)

### Method #1

- I. <u>Linear</u> model
- II. CO2 water is needed (derived from steady chambers)
- III. Applicable to <u>both steady</u> and <u>drifting</u> observations (in theory)

### Method # 2

- I. <u>Exponential</u> model (both k and CO2 water are estimated)
- II. Applicable only to <u>steady</u> deployments
- III. Very robust (simultaneous measure of k and CO2 water, estimate on a lot of data)



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# Methods (2)

#### Standardization to k600

### $\rightarrow$ results independent on <u>temperature</u> and <u>gas</u> type

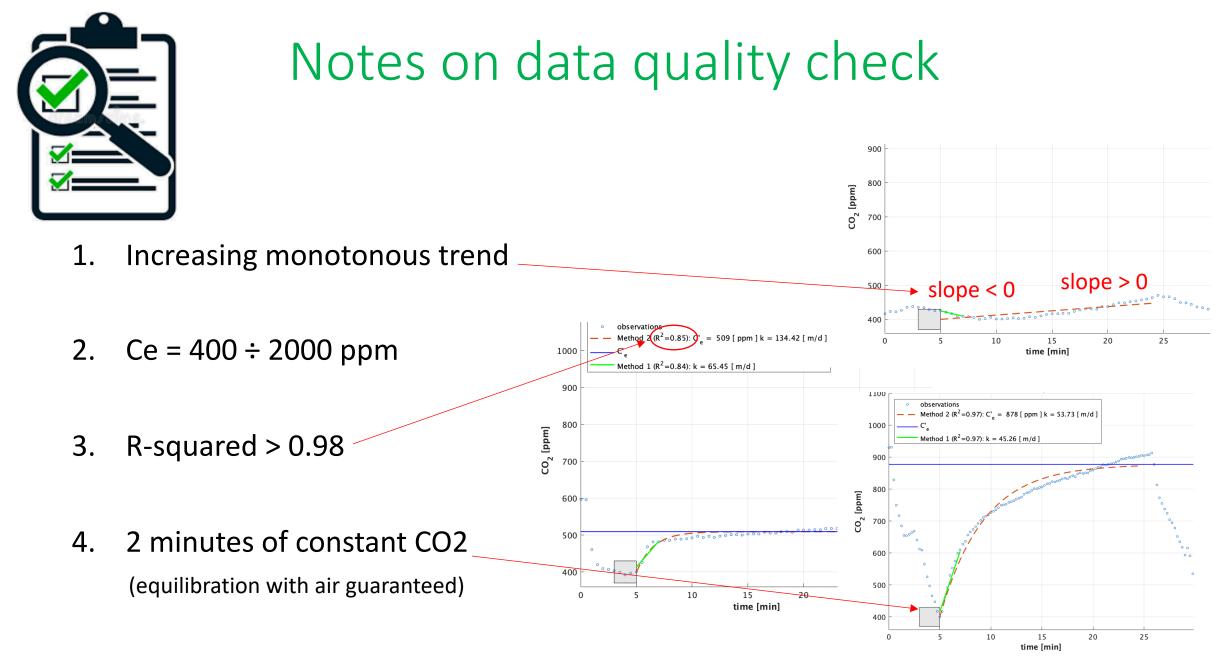
(temperature data not available, estimated based on daily temperature expression)

$$k_{600} = k \left(\frac{600}{SC_{CO_2}}\right)^{-n} \qquad SC_{CO_2} = 1742 - 91.24 T_w + 2.208 T_w^2 - 0.0219 T_w^3$$

### Generalized Likelihood Uncertainty Estimate, "GLUE"

### $\rightarrow$ assessing <u>uncertainties</u>

- <u>Random generation</u> of (k, Ce) couples and test on <u>R-squared</u>;
- Posterior bi-variate Probability Density Functions of k and Ce



## Results and Discussion (1)

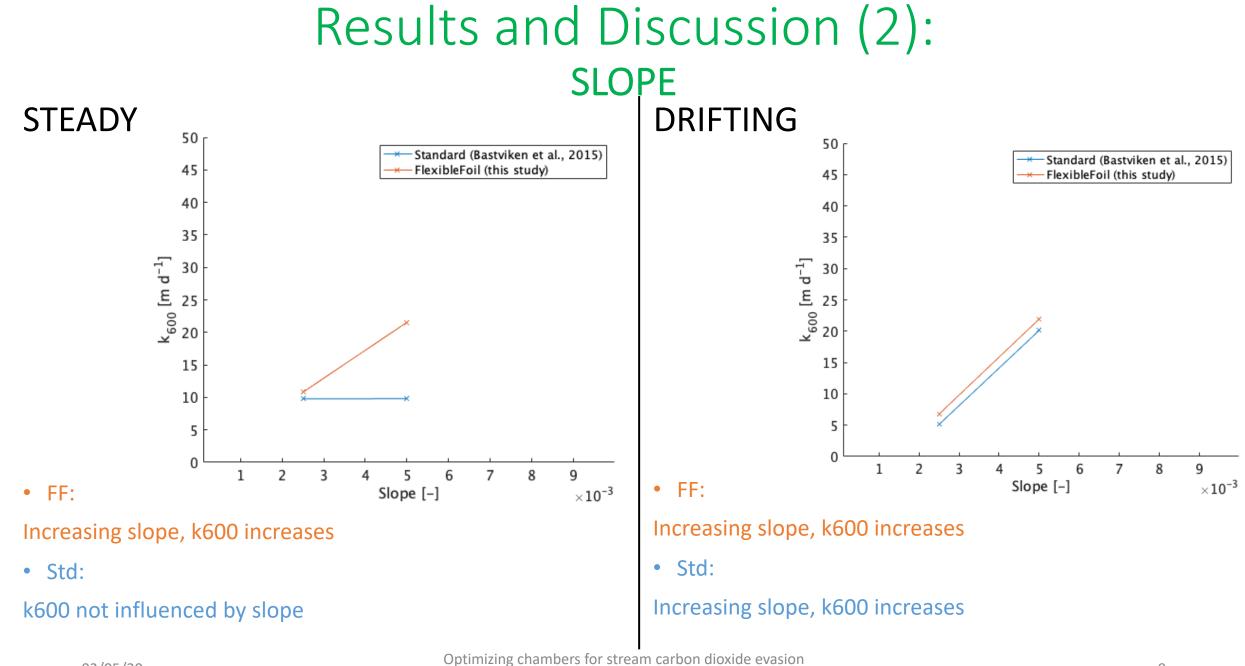
#### STEADY

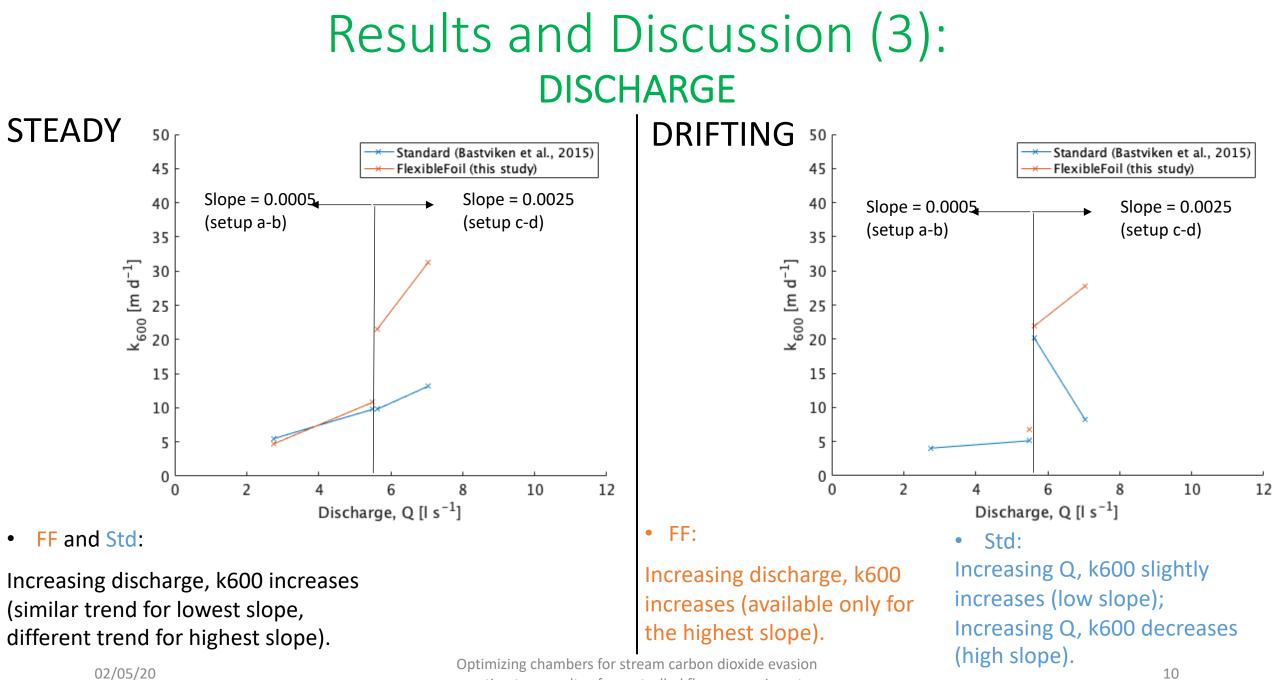
Configuration	$\mu_{k_{600,Std}} \ [md^{-1}]$	${cv_{k_{600,Std}}} \ [/]$	$\mu_{k_{600,FF}}\ [md^{-1}]$	$cv_{k_{600,FF}} \ [/]$
a	5.5(3)	0.33	4.7 (1)	-
b	9.8(2)	0.59	10.8(3)	0.30
С	9.8(5)	0.64	21.5(1)	-
d	13.2(3)	0.71	31.3(2)	0.35
		•		•
		0.55		0.24
RIFTING	9.46	0.55	17.2	0.24
RIFTING		0.55	17.2	0.24
<b>RIFTING</b>		0.55	17.2 $\mu_{k_{600, FF}}$ $[m d^{-1}]$	0.24
	9.46	•	$\mu_{k_{600, FF}}$	
Configuration	9.46 <sup>µ</sup> <sub>k600, Std</sub> [m d <sup>-1</sup> ]	$cv_{k_{600, Std}}$	$\mu_{k_{600, FF}}$	
Configuration	9.46 <sup>µ</sup> <sup>µ</sup> <sup>k</sup> <sup>[m d<sup>-1]</sup> 4.0 (3)</sup>	$cv_{k_{600, Std}}$ $[/]$ 0.74	$\frac{\mu_{k_{6c_{0,FF}}}}{[md^{-1}]}$	cv <sub>k600, FF</sub>

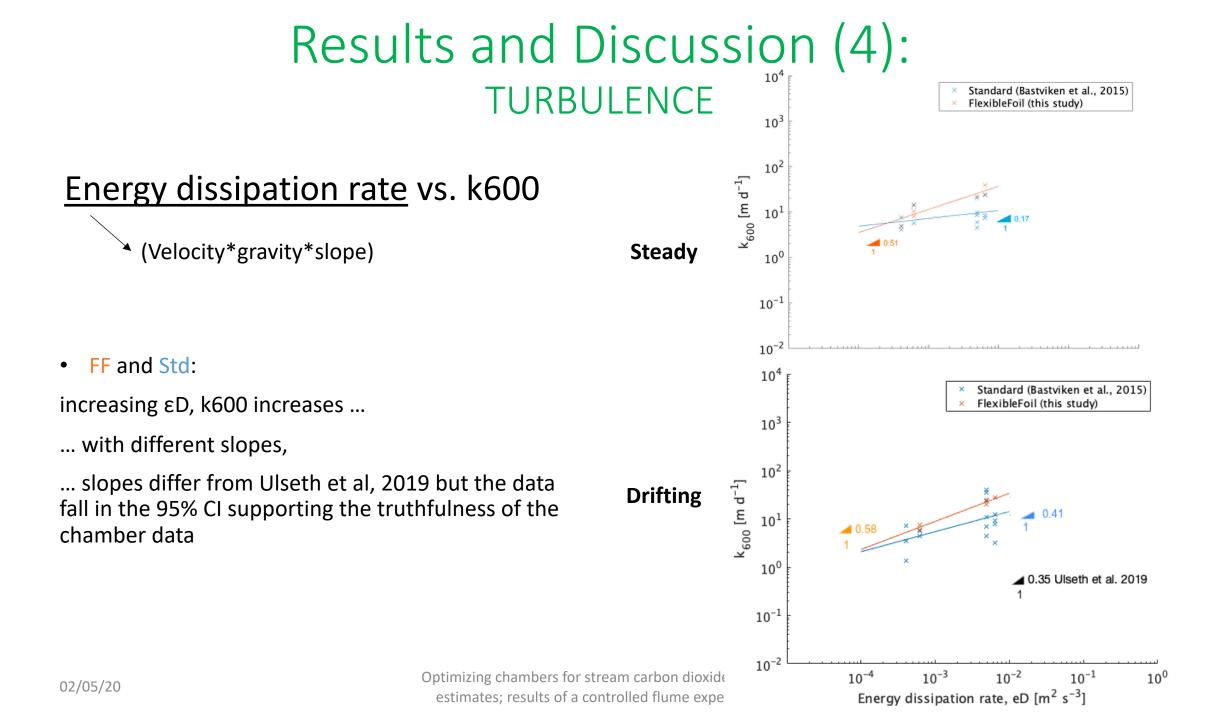
 higher values of k600 from FF chamber with respect to Std chamber, despite the lower Turbulence Kinetic Energy (ADV method) induced by the FF chamber.

Mean k600 [m d<sup>-1</sup>]: FF = 17.2 Std = 9.46

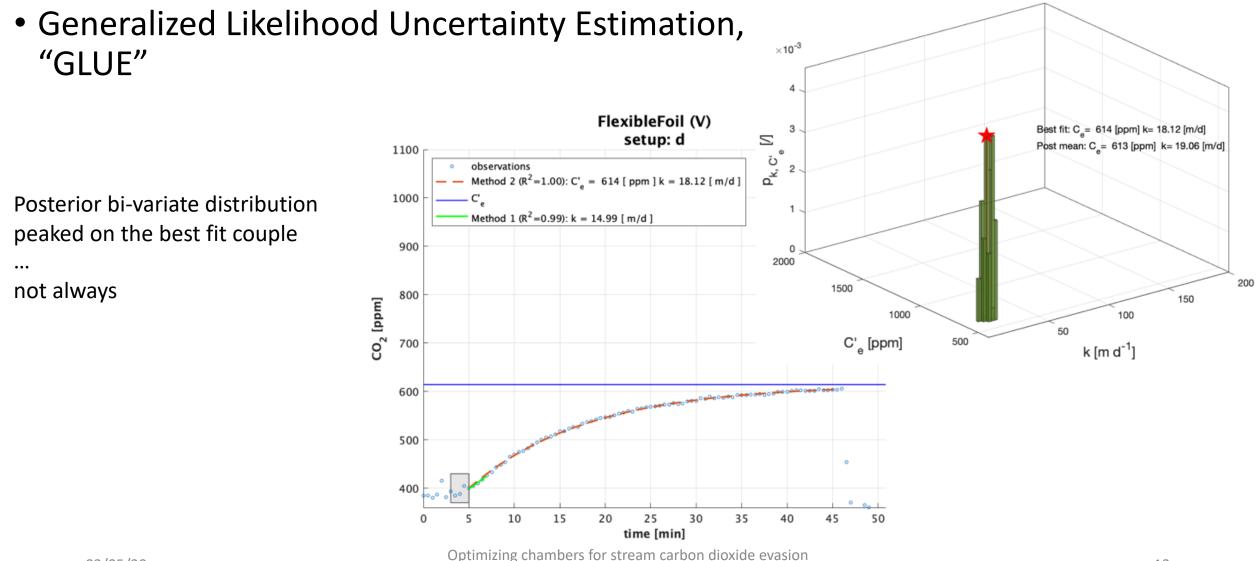
 higher variability for Std chamber with respect to FF chamber. Mean Coefficient of Variation: FF = 0.24 Std = 0.55



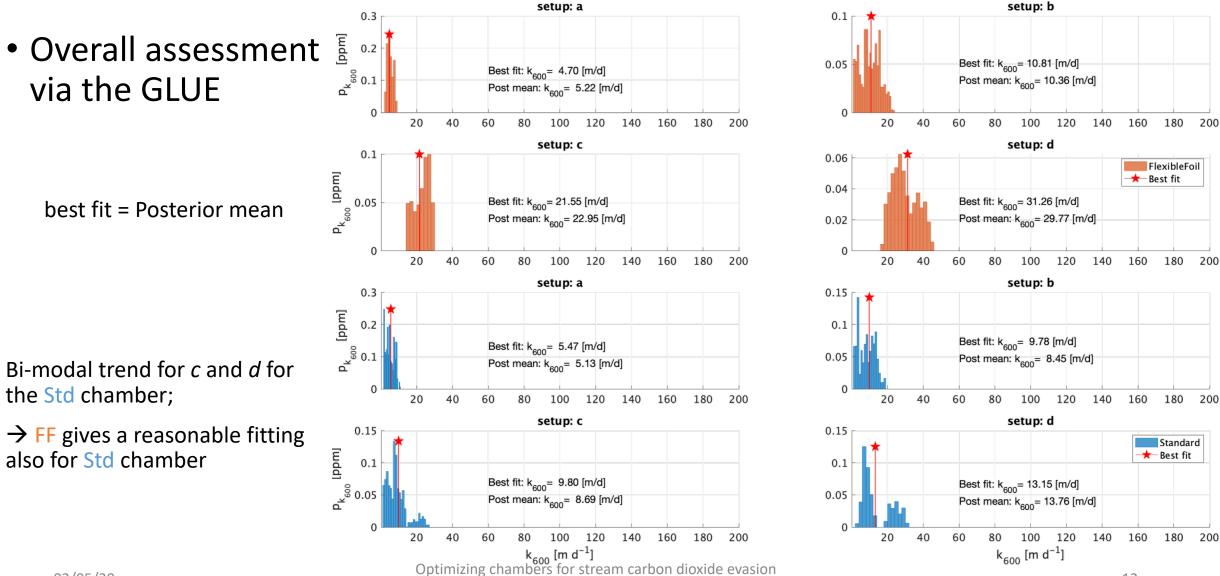




# Result and Discussion (5)



## Results and Discussion (6)



## Summary

- The Model (1) applied to the entire saturation curve is more robust than the most common linear method (2);
- k600 from FF >> k600 from Std for high k600 (despite lower TKE!);
- FF: <u>consistent</u> patterns (steady vs drift, influence of Q and slope);
- Std: not consistent;
- Relatively small uncertainty in the fitting (peaked post pdfs of k);
- When  $k600(Std) \neq k600(FF)$ , k600(FF) best fit is representative also for the Std;
- The chamber might influence the estimate of k600: which is the most reliable? Need comparisons....