



What epoch and space region at the heliospheric boundaries are probing IBEX and IMAP observations of interstellar neutral gas populations?

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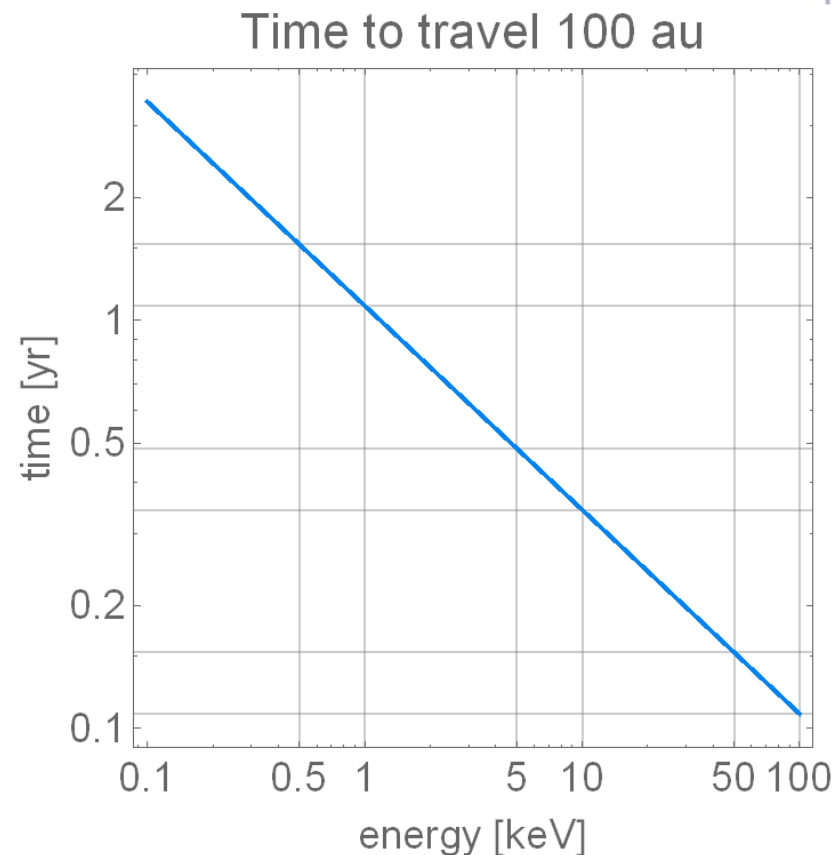
When we measure here and now, what do we study, in fact?

- Studying the heliosphere-LISM interaction is done
 - by in situ sampling (the Voyagers)
 - remotely by ENAs (from ~ 0.7 keV to ~ 100 keV)
 - remotely by ISN atoms (primary and secondary)
 - remotely by the helioglow
 - by pickup ions
- Interpretation requires understanding the time delays between source and detector for these different information sources
- Distances in the heliosphere:
 - inner heliosheath: $\sim 80 - 130$ au (upwind hemisphere)
 - outer heliosheath $\sim 130 - 250$ au (upwind hemisphere)
- These are regions where most of the interaction occurs



What is the epoch we obtain information from?

- in situ sampling (the Voyagers): now
- Heliospheric ENAs from ~ 0.7 keV to ~ 100 keV – run 100 au in 1.3 – 0.1 yr,
- ENA production modulated at the source due to solar wind modulation
- ENA modulation due to re-ionization relatively weak, strongest just before detection ($< \sim 10$ au, weeks–months)
- Heliospheric ENA delay shorter than the solar cycle length;
- An observation-based time-dependent model of the heliosphere will catch these details if the observed SW variations accounted for





What is the epoch we obtain information from?

- ISN atoms (primary and secondary) are:
 - directly sampled at 1 au and the
 - observed indirectly as the helioglow
- strongly modulated within ~ 10 au (i.e., within months from detection)
- production of the secondaries is and filtration of the primaries are modulated at the source in the outer heliosheath
- The secondaries bring the information on the OHS
- From what time ago?
- This can be answered by simulation. The answer is important but not a trivial one

Synthesizing the signal

- Simulating the IBEX signal $F(\psi)$ for spin angle ψ

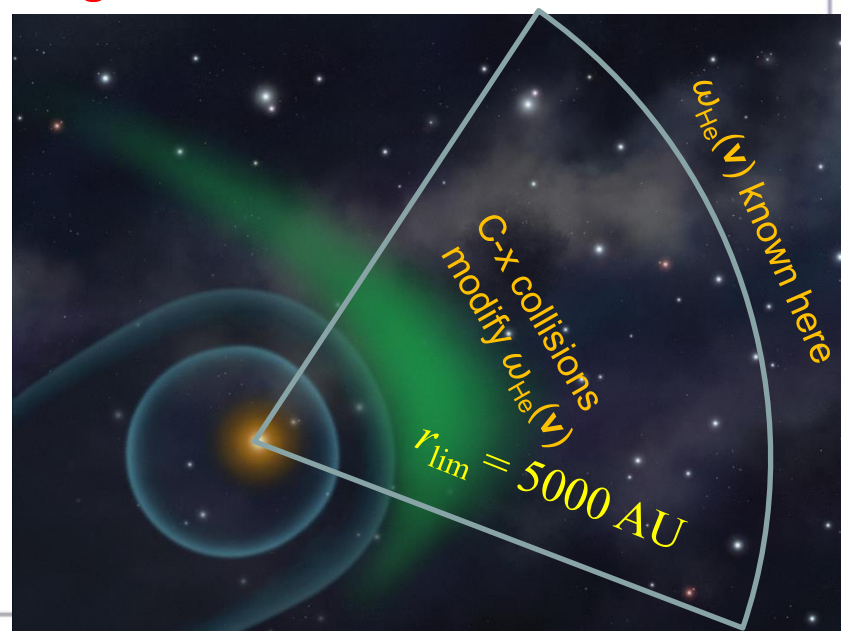
$$\Phi(\psi, \alpha, t; \pi) = \int_{u_{\min}}^{u_{\max}} u_{\text{rel}} \omega_{\text{He}}(\mathbf{r}_{\text{obs}}, \mathbf{v}_{\text{obs}}(\mathbf{u}_{\text{rel}}), t; \pi) w(\mathbf{r}_{\text{obs}}, \mathbf{v}_{\text{obs}}; \pi) u_{\text{rel}}^2 du_{\text{rel}} \quad \text{differential flux in the sky}$$

$$F(\psi) = \int_{\Delta\psi} \int_{\Delta\Omega} \Phi(\psi, t, \pi) d\Omega dt d\psi \quad \text{flux integrated over the collimator, spin bin, good times}$$

- the statistical weight $\omega_{\text{He}}(\mathbf{r}_{\text{obs}}, \mathbf{v}_{\text{obs}}; \pi)$ is calculated as due to a balance between production and losses at a given Keplerian trajectory:

$$\frac{d\omega_{\text{He}}}{ds} = \beta_{\text{prod}}(s) - \omega_{\text{He}}(s) \beta_{\text{loss}}(s); \quad ds = r d\theta \quad \text{statistical weight}$$

- Initial conditions: assumed as known at $r_{\text{lim}} = 5000$ AU
- Sought: $\omega_{\text{He}}(\mathbf{r}_{\text{HP}}(\lambda_{\text{HP}}, \varphi_{\text{HP}}))$





Gain and loss terms

- Gain and loss terms: solely due to resonance c-x collisions:
 $\text{He} + \text{He}^+ \rightarrow \text{He}^+ + \text{He}$
- **He⁺ fully thermalized with IS protons** everywhere: follows density, velocity, and temperature changes of IS plasma
- **ISN He isothermal, uniform density, constant velocity**
- c-x with no momentum transfer
- More complex interactions can be added:
 - elastic collisions,
 - c-x interaction with protons and H atoms, ... (you name it)

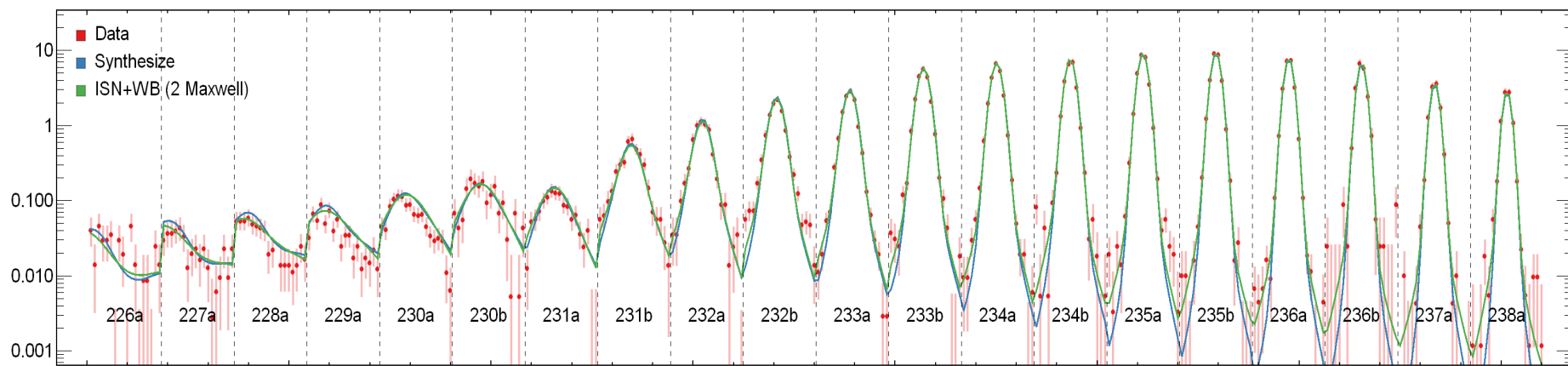
$$\beta_{\text{prod}}(t) = n_{\text{He}} n_{\text{He}^+} f_{\text{He}^+}(\mathbf{v}, \mathbf{u}_{\text{He}^+}, u_{\text{T,He}^+}) u_{\text{rel}}^{\text{prod}} \sigma_{\text{cx}}(u_{\text{rel}}^{\text{prod}});$$

$$\beta_{\text{loss}}(t) = n_{\text{He}^+} u_{\text{rel}}^{\text{loss}} \sigma_{\text{cx}}(u_{\text{rel}}^{\text{loss}});$$

$$\begin{aligned} u_{\text{rel}}^{\text{prod}} &= u_{\text{rel}}(\mathbf{v}, \mathbf{u}_{\text{He}}, u_{\text{T,He}}) \\ u_{\text{rel}}^{\text{loss}} &= u_{\text{rel}}(\mathbf{v}, \mathbf{u}_{\text{He}^+}, u_{\text{T,He}^+}) \end{aligned}$$

Synthesis method successful

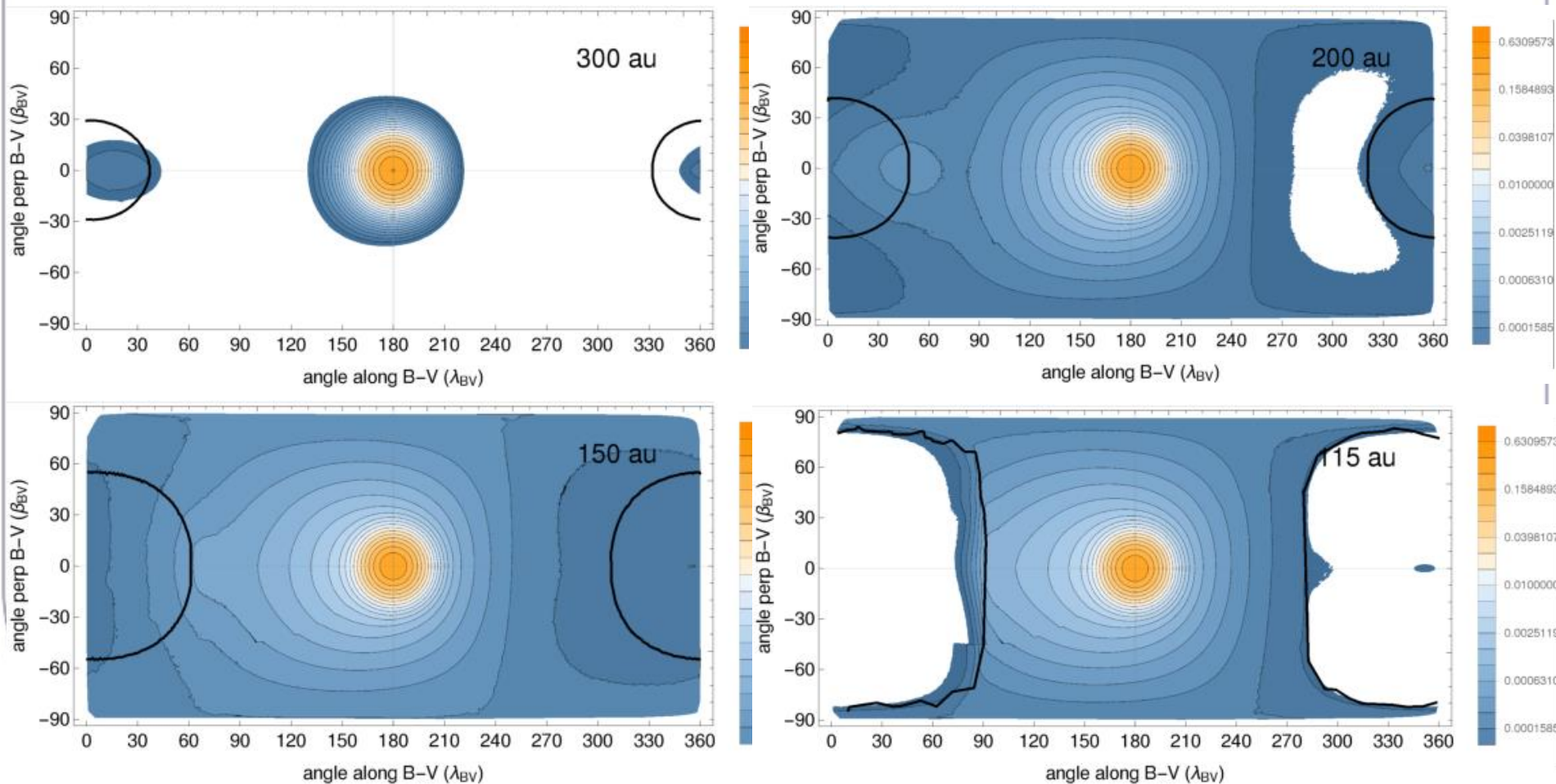
- Using this method, we can simulate the IBEX-Lo signal and compare it with observations
- Bzowski et al. (ApJ 882:60, 2019) determined He^+ density in the VLISM (~ 1000 au ahead of the Sun)



- While the chi-square magnitude is better than for the model with two independent Maxwell-Boltzmann populations, it is statistically too large – we are missing something

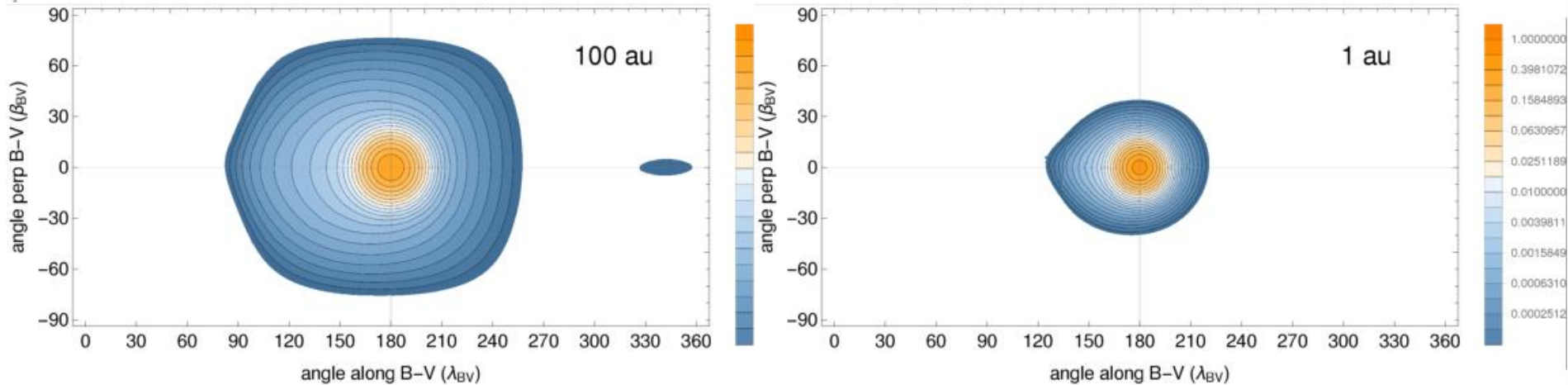
Where are the secondaries produced?

- The synthesis method used to simulate the distribution function of ISN gas within the OHS (Kubiak et al., Ap.J. 882:114, 2019)



Where are the secondaries produced?

- The secondaries originate between HP and $\sim 1.75 \times$ HP distance



- Inside HP, ballistic selection effects kick in and the distribution function gradually loses the imprinted details of the plasma source population
- Effectively, the c-x production of the secondaries and losses of the primaries operate between HP and ~ 1.75 HP distance
- This holds along and across the upwind line



How old are the secondary ISN atoms observed at 1 au?

- We simulate the time of flight using WTPM + synthesis method

$$\Phi(\psi, \alpha, t; \pi) = \int_{u_{\min}}^{u_{\max}} u_{\text{rel}} \omega_{\text{He}}(\mathbf{r}_{\text{obs}}, \mathbf{v}_{\text{obs}}(\mathbf{u}_{\text{rel}}), t; \pi) w(\mathbf{r}_{\text{obs}}, \mathbf{v}_{\text{obs}}; \pi) u_{\text{rel}}^2 du_{\text{rel}}$$

$$T(\psi, \alpha, t; \pi) = \int_{u_{\min}}^{u_{\max}} \tau u_{\text{rel}} \omega_{\text{He}}(\mathbf{r}_{\text{obs}}, \mathbf{v}_{\text{obs}}(\mathbf{u}_{\text{rel}}), t; \pi) w(\mathbf{r}_{\text{obs}}, \mathbf{v}_{\text{obs}}; \pi) u_{\text{rel}}^2 du_{\text{rel}}; \tau : \text{calendar time at source}$$

$$T^2(\psi, \alpha, t; \pi) = \int_{u_{\min}}^{u_{\max}} \tau^2 u_{\text{rel}} \omega_{\text{He}}(\mathbf{r}_{\text{obs}}, \mathbf{v}_{\text{obs}}(\mathbf{u}_{\text{rel}}), t; \pi) w(\mathbf{r}_{\text{obs}}, \mathbf{v}_{\text{obs}}; \pi) u_{\text{rel}}^2 du_{\text{rel}}$$

$$\langle \tau(\psi, \alpha, t; \pi) \rangle = T(\psi, \alpha, t; \pi) / \Phi(\psi, \alpha, t; \pi)$$

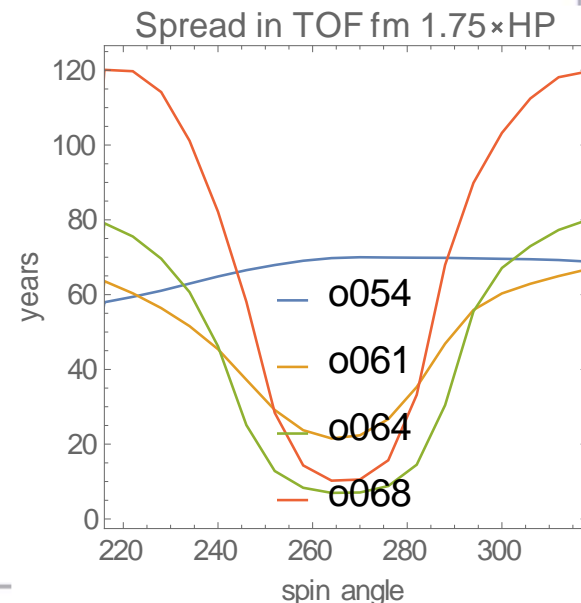
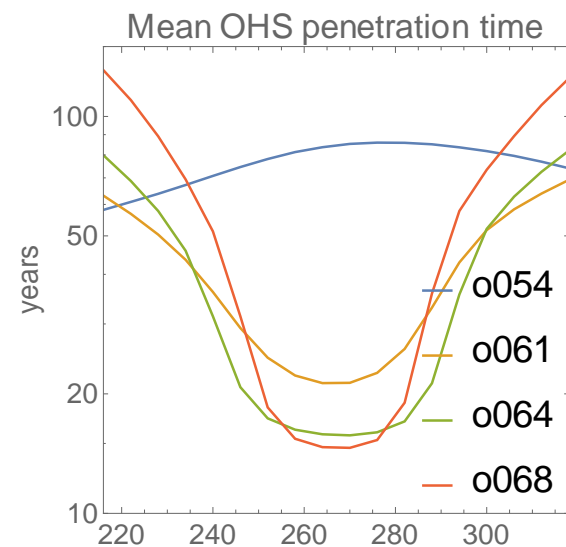
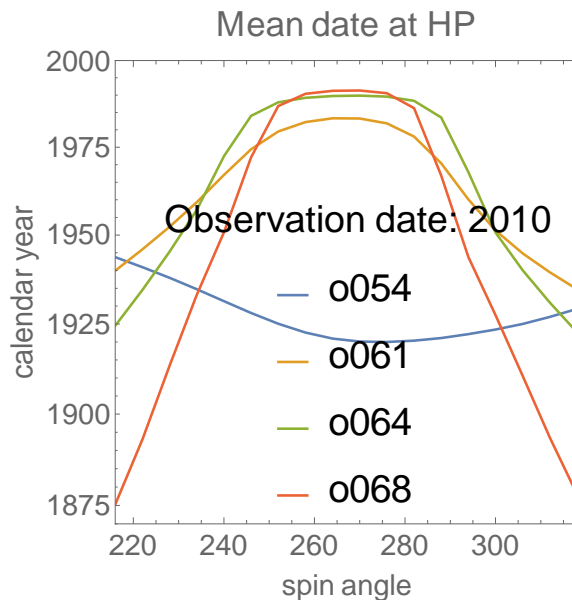
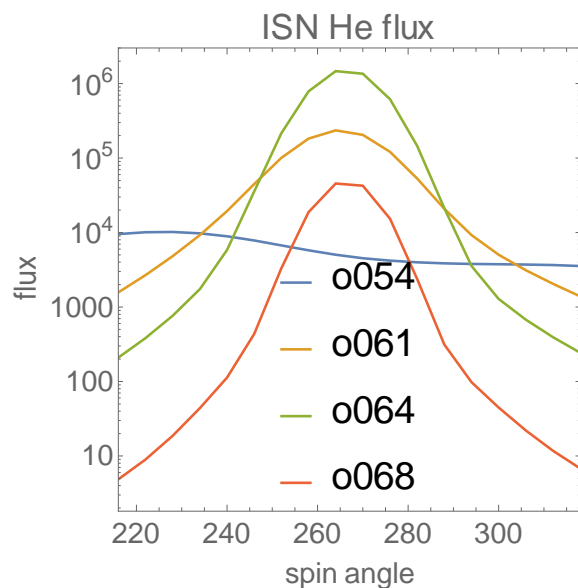
$$\langle \tau^2(\psi, \alpha, t; \pi) \rangle = T^2(\psi, \alpha, t; \pi) / \Phi(\psi, \alpha, t; \pi)$$

$$ToF = t_{\text{obs}} - \langle \tau \rangle \pm \Delta \tau$$

$$\Delta \tau = \sqrt{\langle \tau^2 \rangle - \langle \tau \rangle^2}$$



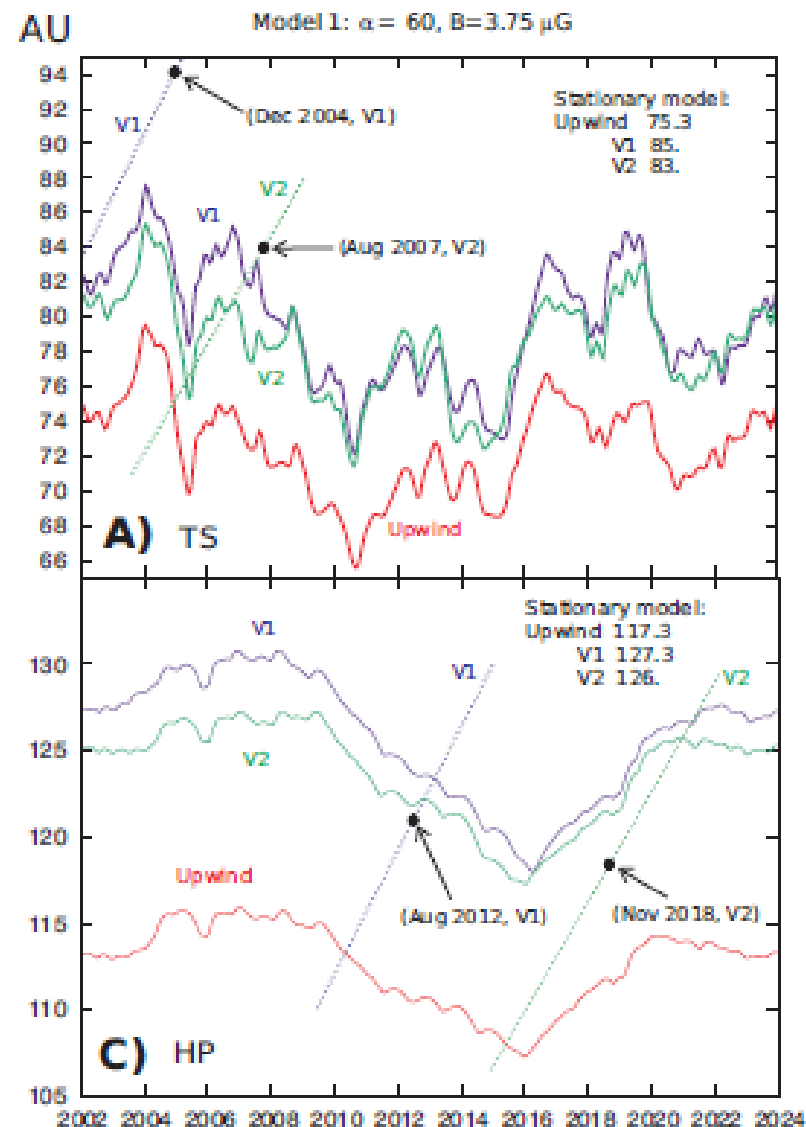
How old are the ISN atoms observed at 1 au?



- TOF for ISN and secondary atoms are very different
- Primaries crossed the interaction region during 70-ties and 80-ties, with a spread of ~ 10 years
- Secondaries crossed the interaction region in the second half of 19th /beginning of 20th century!!!
- The penetration time is several solar cycle lengths
- Analysis done for He, conclusions for H similar

How far backward should SW coverage extend?

- Thus, a model with solar wind coverage backwards at least to the turn of 19/20 century is needed – clearly not available
- Izmodenov & Alexashov (2020) showed that a MHD-kinetic heliosphere model with a measurement-based 3D time-dependent SW is potentially able to reproduce the Voyager TS & HP crossings
- Amplitudes of HP and TS motions is ~ 8 and ~ 10 au, respectively





How to model SW for secondary ISN analysis?

- Ideally, studies of secondary ISN neutrals need observations of solar wind > 150 au backwards
- These would be used in a 3D time dependent MHD-kinetic model of the heliosphere to provide a plasma flow in the OHS
- Analysis of observations should be done with a SW and EUV modulation of ISN neutrals within \sim months prior to detection – this is now available
- With a 150-year SW history not available, it is recommended to use SW conditions averaged over as many full solar cycles as available
- However, to model the secondary production – how good or how bad is the c-x cross section we use?



What is the good $H - H^+$ c-x cross section for the OHS?

- Everybody uses the Lindsay & Stebbings 2005 cross section
- Apparently, in the low-energy region, L&S used data from Belyaev et al., JETP 25, 777, 1965
- In the low-energy portion, L&S 2005 disagree with models and a measurement by Newman et al., Phys.Rev.A., 25, 2976, 1982
- The latter one was used in the formula by Barnett et al. 1990 (ORNL), „The Red Book”
- Look at the data...

What is the good $H - H^+$ c-x cross section for the OHS?

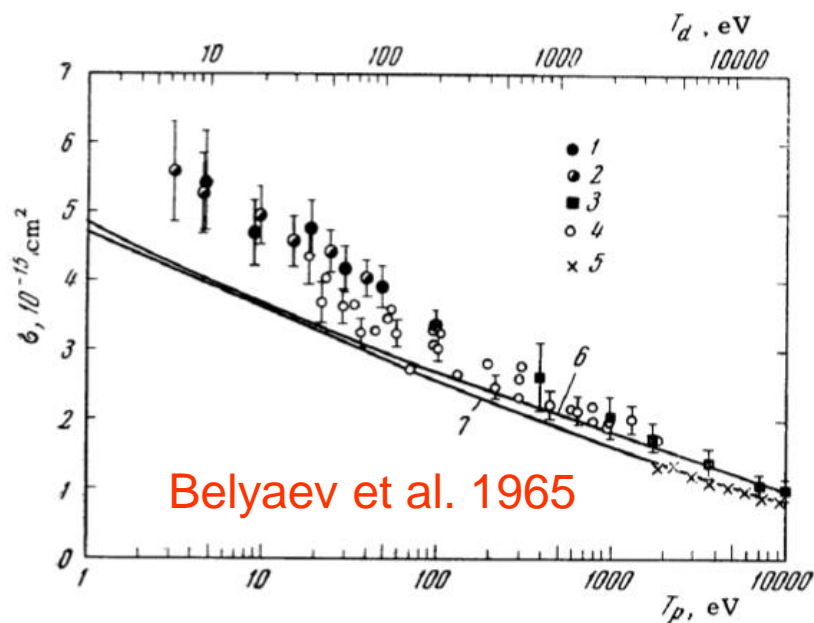


FIG. 3. Cross sections for resonance charge exchange of protons in hydrogen atoms (1, 3–7) and deuterons in deuterium atoms (2) as a function of the collision energy: 1, 2 – present work, 3 – [10]; 4 – [11]; 5 – [12]; curves – theoretical: 6 – according to [4], 7 – according to [3]. The values of proton energy T_p and deuteron energy T_d , which coincide on the plot, correspond to the same relative velocities of the particles in $H^+ - H$ and $D^+ - D$ collisions.

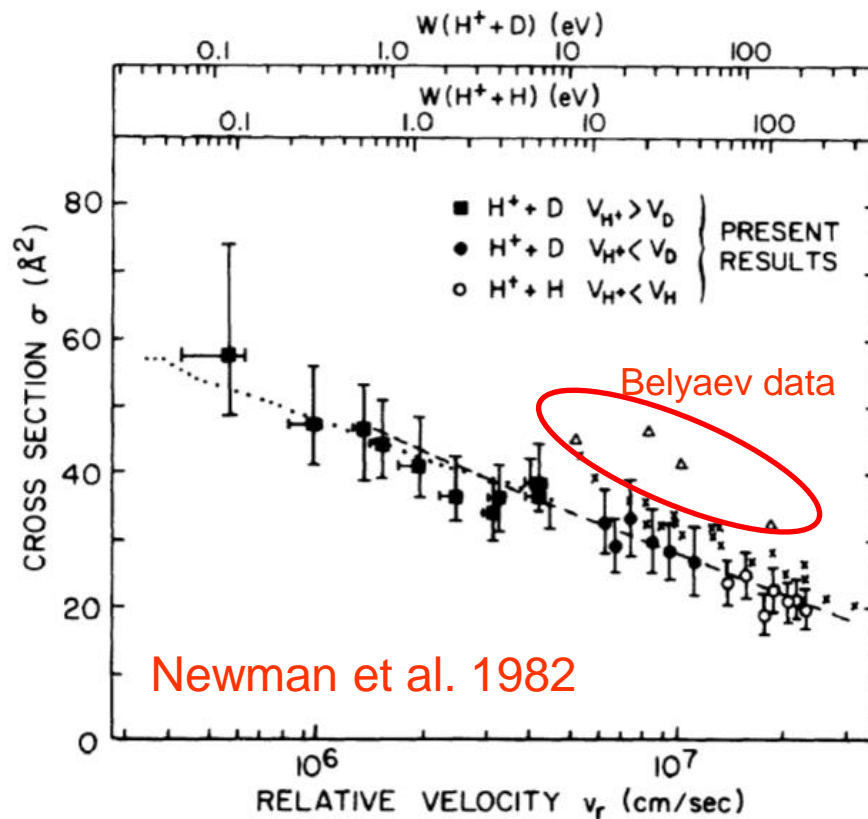


FIG. 5. Results for present study of $H^+ + H \rightarrow H + H^+$ and $H^+ + D \rightarrow H + D^+$. Other experimental results: \times , Fite, Smith, and Stebbings (Ref. 14); Δ , Belyaev, Brezhnev, and Erastov (Ref. 15). Theoretical results: — — —, $H^+ + H \rightarrow H + H^+$, Dalgarno and Yadav (Ref. 13);, $H^+ + D \rightarrow H + D^+$, Hunter and Kuriyan (Ref. 11).

What is the good $H - H^+$ c-x cross section for the OHS?

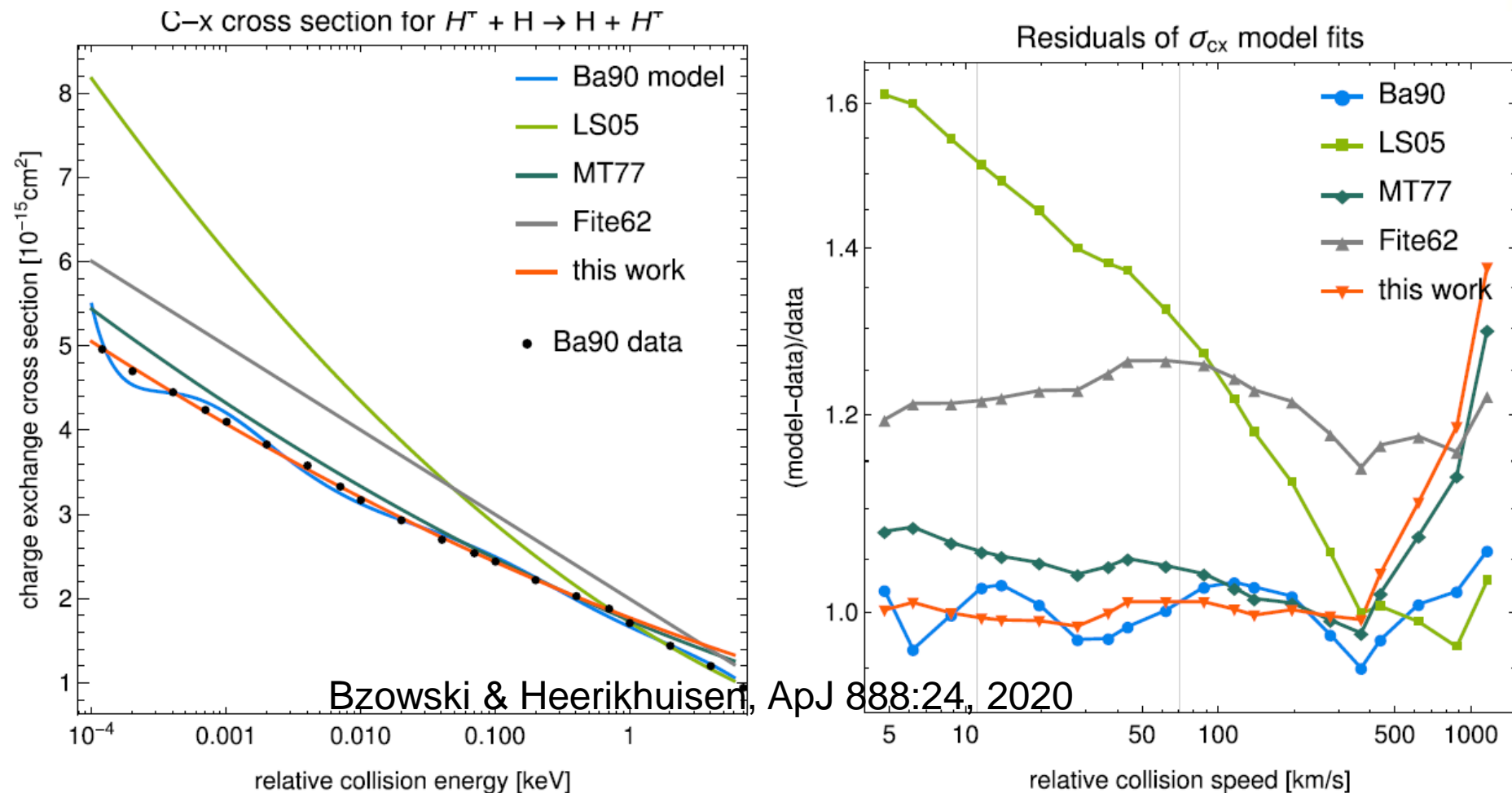


Figure 1. Comparison of measurements of the $H + H^+$ charge-exchange cross-section as a function of collision energy, recommended by Barnett et al. (1990; black dots) with approximation formulae from Barnett et al. (1990, Ba90), Lindsay & Stebbings (2005, LS05), Maher & Tinsley (1977, MT77), Fite et al. (1962, Fite62), and this work corresponding to Equation (2) (left panel) and the residuals of these formulae as a function of collision speeds (right panel). The energy scale in the left panel precisely corresponds to the collision speed scale in the right panel.



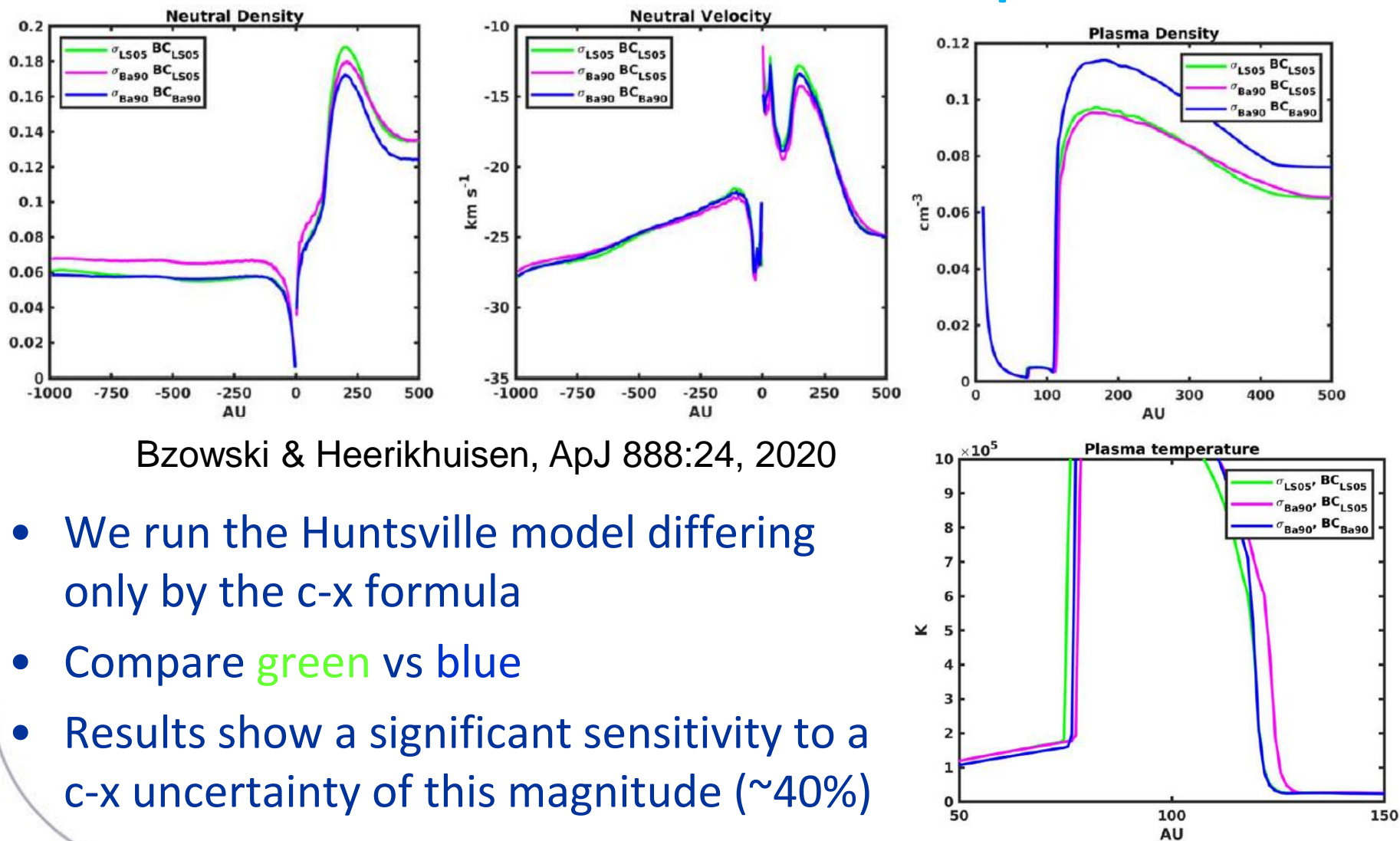
What is the good $\text{H} - \text{H}^+$ c-x cross section for the OHS?

- Two discrepant views on the magnitude of $\text{H} + \text{H}^+$ cross section in the OHS, affect the plasma flow & heating, secondary H production
- The differences are 40% and larger
- We do not feel confident to tell which one is the more correct but a gut feeling tells me it's the one from Newman et al.
- If so, the cross section used in the OHS (and to a lesser extent to produce ENAs with energies $\ll 1$ keV in the IHS) are too large
- We devised a tentative c-x cross section formula in agreement with Newman et al. and checked how the simulated heliosphere changes

$$\sigma_{cx}(E) = (6.384 \times 10^{-8} - 3.14 \times 10^{-9} \ln E)^2$$

for $10^{-4} < E < 1$ keV.

How does the c-x enigma affects modeling of the heliosphere?



Bzowski & Heerikhuisen, ApJ 888:24, 2020

- We run the Huntsville model differing only by the c-x formula
- Compare green vs blue
- Results show a significant sensitivity to a c-x uncertainty of this magnitude (~40%)



Conclusions

- Neutral atoms bring information on the plasma state in remote locations with a delay due to Energy-dependent travel time
- Time delays for ENAs ($E > \sim 200$ eV) are inside the solar cycle length
- Hence, a sufficient solar wind measurement coverage is available to model the interaction
- Unlike ENAs, interstellar neutral (ISN) atoms (primary and secondary) feature time delays much longer than the solar cycle length
- Primary ISN atoms were filtered within OHS 2—3 solar cycles prior to detection, with a spread of ~ 1 solar cycle period
- Secondary ISN atoms were created in the OHS at the turn of 19/20 centuries
- Large spread in their times of flight (~ 5 solar cycles)



Conclusions

- Modeling OHS conditions for appropriate epoch using a time-dependent model requires solar wind data coverage from the turn of centuries – not available
- A feasible option is to use a time-stationary model for solar wind conditions averaged over several solar cycles
- Most likely, production of the secondaries in the OHS has been overestimated in the heliospheric models (all of them!)
- Reason: the Lindsay & Stebbings model likely overestimates the c - x cross section for OHS conditions by $\sim 40\%$
- This affects also the plasma flow and heating
- The cross section issue needs to be resolved