



Potsdam Institute for Climate Impact Research



Evolution of the climate in the next Million years:

A Simple Model for Glacial Cycles and Impact of fossil fuel CO₂



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Objectives

 Generate a Process-based Simple Model to describe the Temporal Natural Evolution of the Climate System as forced by Changes in Incoming Insolation only

Forcing:	Summer Maximum Insolation at 65°N	(f)
Climate System Variables to Model:	Northern Hemipshere (NH) Continental Ice-Volume Atmospheric CO2 concentration Global Mean Temperature Anomaly	(v) (CO2) (dT)

• Use the Model to predict the Evolution of the Climate System in the Next 1 Million years, including the effect of Anthropogenic CO2 Emissions



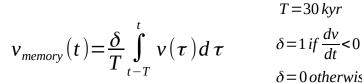
- Process-based Simple Model
- 3 Equations with 3 unknown variables: v, CO2, dT
 - v is non-dimensional (normalized to vary between [0,1])
 - CO2 is measured in ppm
 - **dT** is measured in C
- For time-scales longer than 1000 years





Equation (1): Temporal Evolution of NH Continental Ice-Volume (v)

$$\frac{dv}{dt} = \frac{b_1 v + b_2 v^{3/2} + b_3 (f - \overline{f}) + b_4 \log(CO2)}{1 + b_5 v_{memory}} + b_6$$



 $\delta \!=\! 0$ otherwise

Ice-growth / Ice-melting depends on:

- Magnitude of the current Ice-Volume (through linear and a 3/2 power terms)
- Orbital Forcing
- log(CO2)
- Memory Term: Registering the magnitude of the Ice-Volume in the previous 30 kyr

Note:

- v must be non negative at all times
 - Before -400 kyr v must be larger than 0.05 (in Normalized units)





Equation (2): Temporal Evolution of Atmospheric CO2 Concentration (CO2)

$$CO2 = c_1 dT + c_2 v + c_3 min(\frac{dv}{dt}, 0) + c_4$$

CO2 evolution depends on:

- dT term: Solubility, Ocean Circulation and Deep Ocean Ventilation effects
- V term: Salinity, vegetation Covered Area and Iron Fertilization effects
- Atlantic Meridional Overturning Circulation changes (term that is only active when melting occurs i.e. dv/dt < 0)



Equation (3): Temporal Evolution of Global Mean Temperature Anomaly (dT)

$$dT = d_1 v + d_2 \log\left(\frac{CO2}{278}\right)$$

dT evolution depends on:

- Ice-volume
- log(CO2)





Model:

(1)
$$\frac{dv}{dt} = \frac{b_1 v + b_2 v^{3/2} + b_3 (f - \overline{f}) + b_4 \log(CO2)}{1 + b_5 v_{memory}} + b_6 \qquad v_{memory}(t) = 0$$
(2)
$$CO2 = c_1 dT + c_2 v + c_3 min(\frac{dv}{dt}, 0) + c_4$$
(3)
$$dT = d_1 v + d_2 \log(\frac{CO2}{278})$$

 $= \frac{\delta}{T} \int_{-\pi}^{t} v(\tau) d\tau \qquad \qquad \delta = 1 \text{ if } \frac{dv}{dt} < 0$

 $\delta = 0$ otherwise

Number of Model Parameters: 12

3 Conditions on the Parameters

Pre-industrial conditions:if v=0 & CO2 = 278 ppm \rightarrow dT = 0 CLast Glacial Maximum conditions:if v=1 & CO2 = 194 ppm \rightarrow dT = -5 CClimate Sensitivity:if CO2 = 2 x Pre-industrial CO2 \rightarrow dT = [2,4] C







Model:

(1)
$$\frac{dv}{dt} = \frac{b_1 v + b_2 v^{3/2} + b_3 (f - \overline{f}) + b_4 \log(CO2)}{1 + b_5 v_{memory}} + b_6 v_{mem}$$

(2)
$$CO2 = c_1 dT + c_2 v + c_3 min(\frac{dv}{dt}, 0) + c_4$$

(3)
$$dT = d_1 v + d_2 \log(\frac{CO2}{278})$$

$$v_{memory}(t) = \frac{\delta}{T} \int_{t-T}^{t} v(\tau) d\tau$$

 $T = 30 \, kyr$ $\delta = 1 \, if \, \frac{dv}{dt} < 0$

 $\delta \!=\! 0 \, otherwise$

Fit of the Model:

Use of Paleo Data from the last 800 kyr as Learning Set

Approach: Non-Linear Optimisation Problem with Constraints

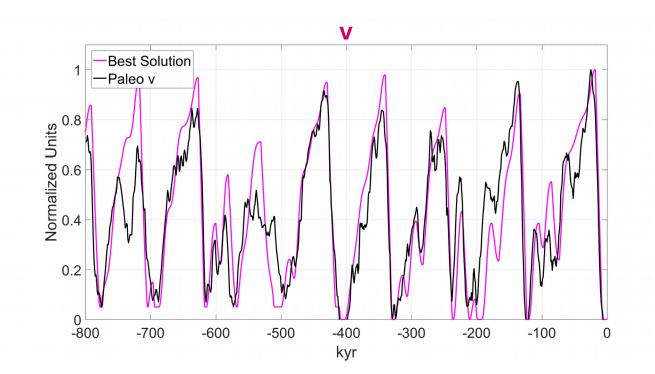
1. Optimisation target: Maximise correlation between ${\bf v}$ and paleo data ${\bf v}$

2. Constraint: v (Pre-industrial ... +20 kyr) < ϵ , being ϵ small (No Glacial Inception in the next 20kyr permitted)



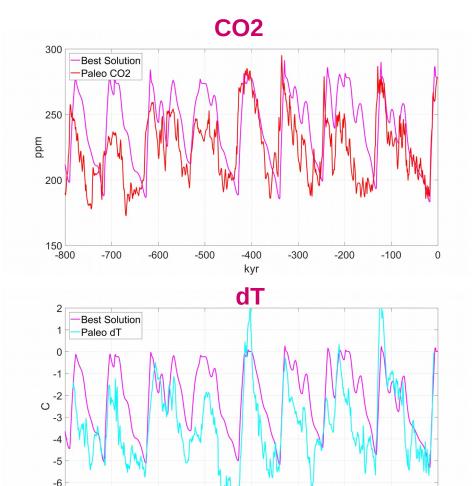
Model Performance: Comparison with Paleodata last 800 kyr

Best Solution



The model is able to reproduce the Natural Temporal Evolution of the Climate System

Correlation between v and Paleo v	= 0.87
Correlation between CO2 and Paleo CO2	= 0.60
Correlation between dT and Paleo dT	= 0.61



-500

-400

kyr

-300

-200

-600

-7 -800

-700

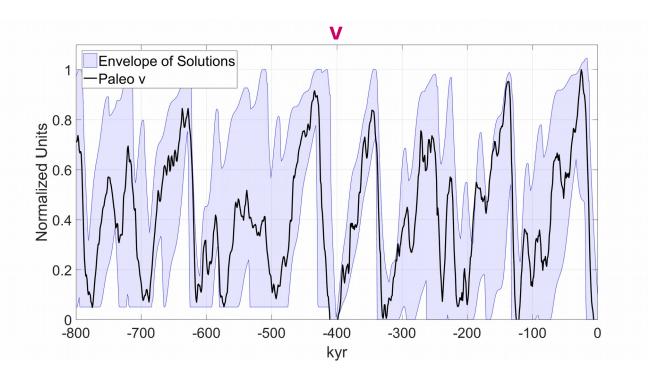


-100

0

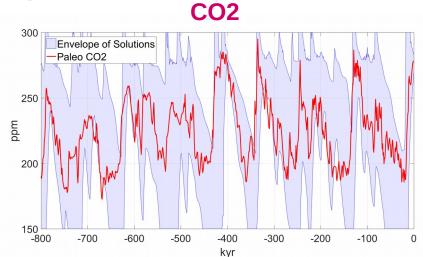
Model Performance: Comparison with Paleodata last 800 kyr

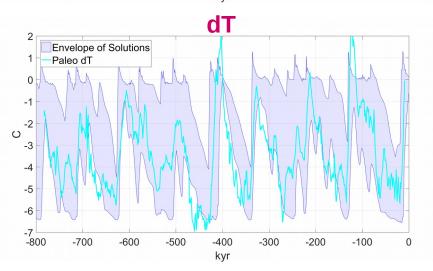
Ensemble of Accepted Solutions



Ensemble Accepted Solutions: Those with correlation between v and Paleo Data v >= 0.7 (N = 353) Mean Correlation between v and Paleo v = 0.76

Mean Correlation between v and Paleo v	= 0.76
Mean Correlation between CO2 and Paleo CO2	= 0.50
Mean Correlation between dT and Paleo dT	= 0.56





Model Performance: Estimation of Prediction Skill

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- The Model has high skill when Validated against the same data used for Learning (Apparent Skill)
- Estimation of Prediction Skill:

Separate Data into independent Learning and Validation Sets

- Learning: paleo data in period [-800,-400] kyr // Validation: paleo data in period [-400,0] kyr
- Learning: paleo data in period [-400,0] kyr // Validation: paleo data in period [-800,-400] kyr

Loss in Skill from Learning to Validation:

Mean Correlation between v and paleo v in Validation Period = 0.49

Mean Correlation between CO2 and paleo CO2 in Validation Period = **0.37**





We add to the Model Anthropogenic CO2 Emissions:

(1)
$$\frac{dv}{dt} = \frac{b_1 v + b_2 v^{3/2} + b_3 (f - \bar{f}) + b_4 \log(CO2)}{1 + b_5 v_{memory}} + b_6 \qquad v_{memory}(t) = \frac{\delta}{T} \int_{t-T}^{t} v(\tau) d\tau \qquad \frac{\delta = 1 i f \frac{dv}{dt} < 0}{\delta = 0 \text{ otherwise}}$$
(2)
$$CO2 = c_1 dT + c_2 v + c_3 min(\frac{dv}{dt}, 0) + c_4 + CO2_{Anthropogenic}$$
(3)
$$dT = d_1 v + d_2 \log(\frac{CO2}{278})$$

Anthropogenic Emissions:

• Delta Pulse at Present

$$CO2_{Anthropogenic}(t) = E \sum_{i=1}^{5} \alpha_i * e^{-t/\tau_i}$$

$$\alpha_i = \alpha_i(E) \quad \tau_i = \tau_i(E)$$

Following Lord et al. (2016) α and τ polynomials of degree 3

• Magnitude of Cummulative Emission E

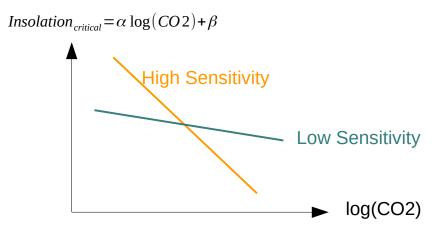
E = 500 Pg:Already emittedE = 3000 Pg:Maximum Expect

Maximum Expected total Emissions in the next 200-300 years



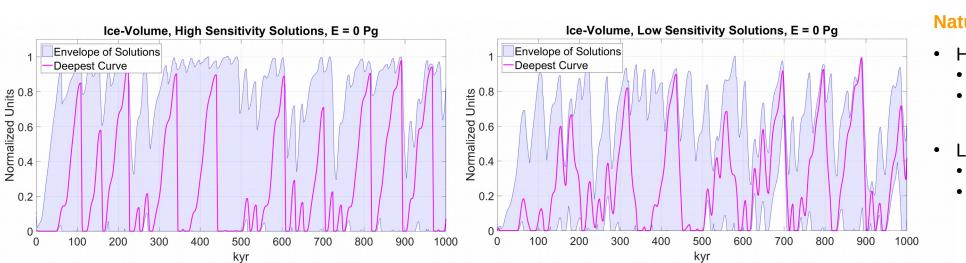


- We show the results of the **Ensemble of Accepted Solutions (N = 353)**
- For each Accepted Solution we calculate the dependency of the Critical Insolation on CO2 levels (as in Ganopolski et al., 2016)



We separate the solutions into those with High Sensitivity (N_{High} = 324) or Low Sensitivity (N_{Low} = 29)





Natural Scenario (E = 0)

- High Sensitivity Solutions:
 - Next 1 Myr: Large Uncertainty
 - Next Glacial Inception: Likely in ~50 kyr

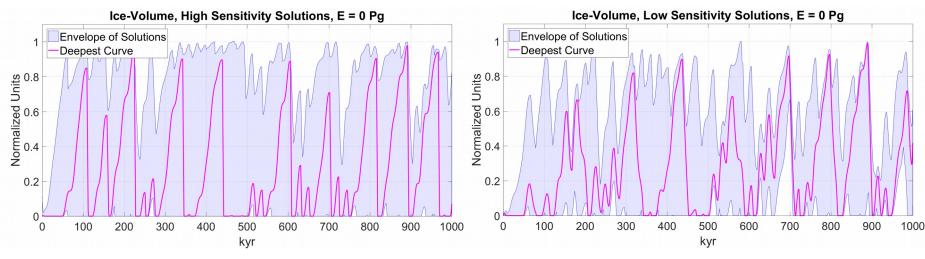
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- Low Sensitivity Solutions:
 - Next 1 Myr: Large Uncertainty
 - Next Glacial Inception: Likely in ~120 kyr







Ice-Volume, High Sensitivity Solutions, E = 500 Pg Ice-Volume, Low Sensitivity Solutions, E = 500 Pg Envelope of Solutions Envelope of Solutions Deepest Curve Deepest Curve Normalized Units 9.0 9.0 7 9.0 8 Units 8'0 Normalized L 0.2 0.2 500 600 200 500 200 300 400 700 800 900 1000 300 400 600 700 800 900 100 100 0 0 kyr kyr

Natural Scenario (E = 0)

- High Sensitivity Solutions:
 - Next 1 Myr: Large Uncertainty
 - Next Glacial Inception: Likely in ~50 kyr
- Low Sensitivity Solutions:
 - Next 1 Myr: Large Uncertainty
 - Next Glacial Inception: Likely in ~120 kyr

Emissions Scenario (E = 500 Pg)

- High Sensitivity Solutions:
 - Next 300 kyr: Conditions significantly different from Natural, Low Uncertainity of almost icefree conditions
- Low Sensitivity Solutions:

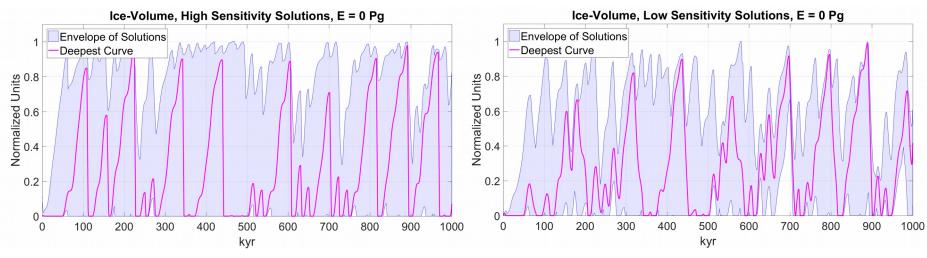
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 Next 120 kyr: Conditions significantly different from Natural, Low Uncertainity of almost icefree conditions

*Deepest curve: "Most central curve" in the Ensemble, following Löpez-Pintado and Romo (2006)

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Ice-Volume, High Sensitivity Solutions, E = 3000 Pg Ice-Volume, Low Sensitivity Solutions, E = 3000 Pg Envelope of Solutions Envelope of Solutions Deepest Curve Deepest Curve Normalized Units 9.0 9.0 7 9.0 8 Normalized Units 9.0 9.0 7 9.0 8 0.2 0.2 500 600 500 200 300 400 700 800 900 1000 200 300 600 700 800 900 1000 0 100 100 400 0 kyr kyr

Natural Scenario (E = 0)

- High Sensitivity Solutions:
 - Next 1 Myr: Large Uncertainty
 - Next Glacial Inception: Likely in ~50 kyr
- Low Sensitivity Solutions:
 - Next 1 Myr: Large Uncertainty
 - Next Glacial Inception: Likely in ~120 kyr

Emissions Scenario (E = 3000 Pg)

- High Sensitivity Solutions:
 - Next 700 kyr: Conditions significantly different from Natural evoultion Low Uncertainity of almost ice-free conditions
- Low Sensitivity Solutions:
 - Next 550 kyr: Conditions significantly different from Natural evoultion. Low Uncertainity of almost ice-free conditions

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Summary and Conclusions

- The Model is successful in reproducing the Natural Evolution of the Climate System in the last 800 kyr
- The Model is skillful in Predictive Mode (when evaluated with data in an independent Validation Set)
- For the Future:
 - Natural Scenario:
 - Large Uncertainty in the Next 1 Myr: Indication that the past does not constraint the future of the Climate Evolution subject only to Orbital Forcing
 - Next Glacial Inception: Most likely to occurr in ~50 kyr from now
 - Anthropogenic Emissions Scenarios:
 - Even already achieved CO2 Anthropogenic Emissions (500 Pg) are capable of affecting the Climate Evolution for long periods: Significantly different from Natural behaviour in, at least, the next 120 kyr
 - High CO2 Anthropogenic Emissions (3000 Pg or larger): Significantly different from Natural behaviour in, at least, the next 550 kyr





Thanks!

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References

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