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## Hydrological consistency between the upstream and downstream estimates of Q1000 flood on the upper Rhine River, using historical series in Basel (1808-2017) and Maxau (1815-2018)

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Estimation of extreme design floods with a short series of a few decades remains challenging because the statistical extrapolation of observed floods to extreme floods induces great uncertainties. Several alternative methods take advantage of the use of additional information: regional methods (e.g. the index flood method), Monte Carlo rainfall-runoff simulation methods, or specific statistical methods adapted to historical series. Here we present a flood frequency analysis on the upper Rhine River, using long historical series in Basel (1808-2017) and Maxau (1815-2018). We used a Bayesian framework to fit the parameters of the GEV distribution. Each value of the annual maximum discharge has uncertainties, which vary from  $\pm 5-7\%$  for the last decades to  $\pm 22-42\%$  for the oldest period depending on the station. At the local scale, without prior assumption on the three parameters of a GEV distribution, we found that the credibility intervals of the Basel and Maxau flood distributions are consistent. However, beyond a 1000-year return period, flood quantiles are incoherent with  $Q(\text{Maxau}) < Q(\text{Basel})$  although Maxau (50 000 km<sup>2</sup>) is located downstream of Basel (36 000 km<sup>2</sup>). The floods at Basel are almost Gumbel distributed (shape parameter  $k = 0.066$ ), whereas the floods at Maxau are Weibull distributed (shape parameter  $k = 0.219$ ) with an asymptotic maximum value. Assuming that the shape parameter  $k$  has a certain regional consistency, we have performed a second iteration, with a prior interval  $[-0.1; +0.4]$  on  $k$ . The width of this interval corresponds to the union of the posterior distribution of  $k$  parameter of each local distribution:  $[-0.1; +0.2]$  at Basel and  $[0.0; +0.4]$  at Maxau. The second version of each distribution is almost the same up to a return period of 100 years, but there is no more crossing for extreme values. Using the predictive distribution with a regional prior on the shape parameter of the GEV distribution, the result is hydrologically consistent from upstream to downstream.